Search for Anomalous WW and WZ Production in $p\bar{p}$ Collisions at $\sqrt{s} = 1.8$ TeV


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We present results from a search for anomalous $WW$ and $WZ$ production in $pp$ collisions at $\sqrt{s} = 1.8$ TeV. We used $pp \to e\nu jjX$ events observed during the 1992–1993 run of the Fermilab Tevatron collider, corresponding to an integrated luminosity of $13.7 \pm 0.7$ pb$^{-1}$. A fit to the transverse momentum spectrum of the $W$ boson yields direct limits on the $CP$-conserving anomalous $WWg$ and $WWZ$ coupling parameters of $2 < 0.9, D_k$, $1.1 < 0.6$ (with $l = 0$) and $2 < 0.6, l, 0.7$ (with $D_k = 0$) at the 95% confidence level, for a form factor scale $\Lambda = 1.5$ TeV, assuming that the $WWg$ and $WWZ$ coupling parameters are equal. [S0031-9007(96)01377-4]

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Self-interactions of the electroweak gauge bosons such as $WWg$ and $WWZ$ are a direct consequence of the non-Abelian gauge symmetry of the standard model (SM). The strength of these interactions can be directly measured by studying gauge boson pair production in $p\bar{p}$ collisions [1]. For example, $WW$ production is sensitive to the $WW\gamma$ and $WWZ$ couplings and $WZ$ production is sensitive to the $WWZ$ coupling. Any deviation of these couplings from their SM values indicates physics beyond the SM.

The $WW\gamma$ and $WWZ$ interactions are generally described by a Lagrangian with 14 independent coupling parameters [2], of which $\kappa$, $\lambda$, and $\gamma$ for the $WW\gamma$
vertex and $\kappa_Z$ and $\lambda_Z$ for the WWZ vertex are usually studied. These are CP-conserving coupling parameters. In the SM, $\Delta\kappa_Z = (\kappa_Z - 1) = \Delta\lambda_Z = (\lambda_Z - 1) = 0$ and the production cross section for $p\bar{p} \rightarrow W^+W^-X(W^\pm ZX)$ at $\sqrt{s} = 1.8$ TeV is $9.5(2.5)$ pb [1].

Non-SM (i.e., anomalous) couplings dramatically increase the production cross section and enhance the transverse momentum spectrum of the W boson ($p_T^W$) for large values of $p_T^Z$. Therefore a study of the $p_T^W$ spectrum of WW(WZ) production leads to a sensitive test of the size of the WW $\gamma$ and WWZ couplings. With anomalous couplings, some helicity amplitudes of the $p\bar{p} \rightarrow WW(WZ)$ processes grow with $\Delta$, the square of the invariant mass of the WW(WZ) system, and cause the cross section eventually to violate tree level S-matrix unitarity. To avoid this, the anomalous couplings are commonly parametrized as dipole form factors with a cutoff scale $\Lambda$: $\Delta\kappa(\Delta) = \Delta\kappa/(1 + \Delta^2/\Lambda^2)^\alpha$, $\lambda(\Delta) = \lambda/(1 + \Delta^2/\Lambda^2)^\delta$ [1]. Consequently, limits on the couplings $\Delta\kappa$ and $\lambda$ are dependent on the choice of $\Lambda$.

The DØ Collaboration has reported limits on WW $\gamma$ and WWZ anomalous couplings from two processes using data from the 1992–1993 Fermilab Tevatron collider run with $p\bar{p}$ collisions at $\sqrt{s} = 1.8$ TeV: on the WW $\gamma$ coupling from a measurement of WW production [3] and on the WW $\gamma$ and WWZ couplings from a search for W boson pair production in the dilepton decay modes [4]. In this Letter we present a new, independent determination of limits on the WW $\gamma$ and WWZ anomalous couplings obtained from a search for $p\bar{p} \rightarrow WW$ followed by $W \rightarrow e\nu$ and $W \rightarrow jj$, and $p\bar{p} \rightarrow WZX$ followed by $W \rightarrow e\nu$ and $Z \rightarrow jj$, where $j$ represents a jet. Because of the limited jet energy resolution, we cannot distinguish WZ events from WW events. This analysis uses the same data set as in the papers cited above, corresponding to an integrated luminosity of $13.7 \pm 0.7$ pb$^{-1}$. The CDF Collaboration has reported a similar measurement [5].

The DØ detector and data collection systems are described in Ref. [6]. The basic elements of the trigger and reconstruction algorithms for jets, electrons, and neutrinos are given in Ref. [7].

The WW, WZ $\rightarrow e\nu jj$ candidates were selected by searching for events containing a $W \rightarrow e\nu$ decay and at least two jets consistent with $W \rightarrow jj$ or $Z \rightarrow jj$. The data sample was obtained with a trigger which required an isolated electromagnetic (EM) calorimeter cluster with transverse energy $E_T > 20$ GeV. In off-line event selection, this EM cluster was required to be within $|\eta| \leq 1.1$ in the central calorimeter, or $1.5 \leq |\eta| \leq 2.5$ in the end calorimeters, where $\eta$ is the pseudorapidity, defined as $\eta = -\ln(\tan \theta/2)$ and $\theta$ is the polar angle with respect to the proton beam direction. Such an EM cluster was identified as an electron if (i) the ratio of EM energy to the total shower energy was greater than 0.9; (iii) the isolation variable of the cluster was less than 0.1, where isolation is defined as $I = [E_{tot}(0.4) - E_{EM}(0.2)]/E_{EM}(0.2)$, and $E_{tot}(0.4)$ is the total calorimeter energy inside a cone of radius $R = \sqrt{\Delta\eta^2 + (\Delta\phi)^2} = 0.4$, where $\phi$ is the azimuthal angle around the beam axis and $E_{EM}(0.2)$ is the EM energy inside a cone of radius 0.2; and (iv) a matching track was found in the drift chambers. The $W \rightarrow e\nu$ decay was identified by an electron with $E_T > 25$ GeV and missing transverse energy $E_{T}^{miss} > 25$ GeV forming a transverse mass $M_T^{\nu} = [2E_T^{\nu}E_{T}(1 - \cos \phi^{ee})/c^{4}]^{1/2} > 40$ GeV/$c^2$, where $\phi^{ee}$ is the angle between the $E_T$ and $E_{T}^{miss}$ vectors.

Jets were reconstructed using a cone algorithm with radius $R = 0.3$ and were required to be within $|\eta| < 2.5$. The jet energies were corrected for detector effects: jet energy scale calibration and out-of-cone showering, for energy from the underlying event, and for energy loss due to out-of-cone gluon radiation [7]. We required that a candidate event contain at least two jets with $E_T > 20$ GeV and that the dijet invariant mass (the largest invariant mass if there were more than two jets with $E_T > 20$ GeV in the event) satisfy $50 < m_{jj} < 110$ GeV/$c^2$, consistent with $W$ and $Z$ boson masses. Monte Carlo studies showed that the standard deviation of the dijet invariant mass distribution of the signal events is 15 GeV/$c^2$. The above selection criteria yielded 84 candidate events.

The trigger and electron selection efficiencies were measured [8] using $Z \rightarrow ee$ events. The product of these efficiencies was found to be $0.78 \pm 0.02$ in the central calorimeter and $0.62 \pm 0.01$ in the end calorimeters. The $W \rightarrow jj$ selection efficiency was parametrized as a function of $p_T^W$, as shown in Fig. 1. This was estimated using events generated with the ISAJET [9] and PYTHIA [10] programs, followed by a detailed simulation of the DØ detector based on the GEANT package [11] and application of our event selection criteria. The rolloff of efficiency in the $p_T^W$ region beyond $\sim 350$ GeV/$c$ is due to merging of the two jets from the $W$ or $Z$ boson. The use of a cone size as narrow as $R = 0.3$ for jet reconstruction

![FIG. 1. Total efficiency for $W \rightarrow jj$ selection as a function of $p_T^W$, estimated using the ISAJET (solid) and PYTHIA (dashed) generators followed by a full detector simulation.](image)
ensures that the loss of efficiency occurs only for $W$ and $Z$ bosons with transverse momenta greater than expected from the coupling parameter values studied. In estimating the detection efficiencies of the $WW(WZ)$ process, we used the $W(Z) \rightarrow jj$ efficiency obtained from ISAJET, which is smaller than that from PYTHIA and therefore gives more conservative limits on the coupling parameters.

We calculated the overall event selection efficiency as a function of the coupling parameters using a fast detector simulation program which incorporates the efficiencies described above and the detector resolutions [7]. The efficiencies were obtained in a similar manner. In estimating the $Z$-boson detection efficiencies, the $WW$, $WZ$, and $WW$ efficiencies (2%) on the cross section were approximated by a factor $K = 1 + \frac{8}{9} \pi \alpha_s = 1.34$. We included the $p_T$ distribution of the $WZ$ events in the simulation of the $WW(WZ)$ production. We calculated the total efficiency for SM couplings to be $0.15 \pm 0.02$ for $WW$ and $0.16 \pm 0.02$ for $WZ$. The error is 13%, which is the addition in quadrature of the uncertainties on the electron trigger and selection efficiencies (2%), on the $W(Z) \rightarrow jj$ efficiency due to the difference between the ISAJET and PYTHIA programs (9%), the statistics of the Monte Carlo samples (4%), $E_T$ smearing (6%), and jet energy scale (6%). Therefore $3.2 \pm 0.6$ $WW$ and $WZ$ events are expected based on the SM (2.8 $\pm$ 0.6 $WW$ events plus 0.4 $\pm$ 0.1 $WZ$ event). The error here is the sum in quadrature of the uncertainty in the efficiency above and that of the higher order QCD corrections to the signal prediction (14%) [5].

The background estimate, summarized in Table 1, includes contributions from multijet events, where a jet was misidentified as an electron and there was significant (mis)measured missing transverse energy; $W + \geq 2j$ events with $W \rightarrow e\nu$; $t\bar{t} \rightarrow W^+W^-b\bar{b}$ [14], $WW(WZ) \rightarrow \tau\nu jj$ [1], and $ZX \rightarrow eeX$, where one electron was not identified.

The multijet background was estimated from the data by measuring the $E_T$ distribution of a background-dominated sample, which was obtained by selecting events containing an EM cluster that failed at least one of the electron identification requirements (ii) to (iv) described previously (shower shape, isolation, or track match). The $E_T$ distribution of this sample was scaled to match the candidate sample in the region $0 < E_T < 15$ GeV (before the $E_T$ requirement was applied), where the contribution of signal events is negligible; then the portion of this distribution passing the $E_T$ requirement ($E_T > 25$ GeV) was taken as our estimate of the multijet background, giving $12.2 \pm 2.3\text{(stat)} \pm 1.1\text{(syst)}$ events. The $W + \geq 2j$ background was estimated using the VECBOS Monte Carlo program [13], with $Q^2 = m_W^2$, followed by parton fragmentation using the ISAJET program and a detailed detector simulation. We normalized the number of VECBOS $W + \geq 2j$ events to the number of observed $W + \geq 2j$ events (after multijet events were subtracted) outside of the dijet mass signal region. This yielded 6 $W + \geq 2j$ background events inside the $m_{jj}$ signal region, where the statistical uncertainty is due to the size of the VECBOS $W + \geq 2j$ event sample and of all samples used to calculate the normalization factor (13%), and the systematic error is due to the normalization and to the jet energy scale correction (16%). The $W + \geq 2j$ cross section obtained with this normalization procedure was consistent with the VECBOS prediction. The backgrounds due to $t\bar{t} \rightarrow W^+W^-b\bar{b}$ [14], $WW(WZ) \rightarrow \tau\nu jj$ [1], and $ZX \rightarrow eeX$ were estimated using the ISAJET program followed by the GEANT detector simulation and found to be small. The total background from all sources was estimated to be $75.5 \pm 13.3$ events. Therefore we observed no statistically significant signal above the background. Figure 2 shows the $p_T$ distribution of the $e\nu$ system of the data events, background estimates, and Monte Carlo predictions of $WW$ and $WZ$ production for SM couplings and for one example with anomalous couplings.

Using the efficiencies for SM $WW$ and $WZ$ production, the background-subtracted signal, the branching fractions $B(W \rightarrow e\nu)$, $B(W \rightarrow \text{hadrons})$, and $B(Z \rightarrow \text{hadrons})$ from Ref. [15], and assuming the SM ratio of the cross sections of $p\bar{p} \rightarrow W^+W^-X$ and $p\bar{p} \rightarrow W^+ZX$, we set an upper limit at the 95% confidence level (C.L.) on the cross section $\sigma(p\bar{p} \rightarrow W^+W^-X)$ of 183 pb.

![FIG. 2. $p_T$ distributions of the $e\nu$ system: data (points), total background (solid), $W + \geq 2j$ jets background (dotted), and Monte Carlo predictions of $WW$ and $WZ$ production with SM (dashed) and non-SM (dot-dashed, $\Delta \kappa_Z = \Delta \kappa_Y = 2$, $\lambda_Z = \lambda_Y = 1.5$) couplings.](image-url)
FIG. 3 Contour limits on anomalous coupling parameters at the 95% C.L. (inner curves) and limits from S-matrix unitarity (outer curves), assuming (a) $\Delta \kappa = \Delta \kappa_y = \Delta \kappa_Z$, $\lambda = \lambda_y = \lambda_Z$; (b) HISZ relations [17]; (c) SM $WW\gamma$ couplings; and (d) SM $WWZ$ couplings. $\Lambda = 1.5$ TeV is used for (a), (b), and (c); $\Lambda = 1.0$ TeV is used for (d). The SM prediction is $\Delta \kappa = 0$, $\lambda = 0$.

The absence of an excess of events with high $p_T^W$ excludes large deviations from the SM couplings. To set limits on the anomalous coupling parameters, we performed a binned likelihood fit on the entire $p_T^W$ spectrum. For each $p_T^W$ bin in the likelihood fit, and for a given set of anomalous coupling parameter values, we calculated the probability for the sum of the background and the predicted signal to fluctuate to the observed number of events. The uncertainties in the efficiency, background estimates, integrated luminosity, and higher order QCD corrections to the signal prediction were convoluted in the likelihood function with Gaussian distributions. Our analysis is sensitive to anomalous couplings at both large and small $\hat{s}$, since we do not require high $p_T^W$, and therefore we retain events with small $\hat{s}$ [16].

We obtained limits on the coupling parameters using four different assumptions of how the parameters are related to each other [(a)–(d) below]. The 95% C.L. contour limits are shown as the inner curves in Fig. 3, along with the S-matrix unitarity limits, shown as the outer curves, which are obtained by evaluating all (i.e., $W\gamma$, $WW$, and $WZ$) processes. The 95% C.L. limits on the axes are listed in Table II. Two $\Lambda$ values are used, $\Lambda = 1.5$ TeV for (a), (b), and (c) and $\Lambda = 1.0$ TeV for (d). These are values used in other measurements [3,5]. For (d), the results obtained with $\Lambda = 1.5$ TeV violate the S-matrix unitarity limit (not shown).

In conclusion, we have searched for anomalous $WW$ and $WZ$ production in the $e\nu jjX$ decay mode, and set limits

<table>
<thead>
<tr>
<th>Assumptions</th>
<th>$\Lambda$ (TeV)</th>
<th>Limits on axes</th>
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<tbody>
<tr>
<td>(a) $\Delta \kappa_y = \Delta \kappa_Z$</td>
<td>1.5</td>
<td>$-0.9 &lt; \Delta \kappa &lt; 1.1$ ($\lambda = 0$)</td>
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<tr>
<td></td>
<td></td>
<td>$-0.6 &lt; \lambda &lt; 0.7$ ($\Delta \kappa = 0$)</td>
</tr>
<tr>
<td>(b) HISZ [17]</td>
<td>1.5</td>
<td>$-1.0 &lt; \Delta \kappa_y &lt; 1.3$ ($\lambda_y = 0$)</td>
</tr>
<tr>
<td></td>
<td></td>
<td>$-0.6 &lt; \lambda_y &lt; 0.7$ ($\Delta \kappa_y = 0$)</td>
</tr>
<tr>
<td>(c) SM $WW\gamma$</td>
<td>1.5</td>
<td>$-1.1 &lt; \Delta \kappa_Z &lt; 1.3$ ($\lambda_Z = 0$)</td>
</tr>
<tr>
<td></td>
<td></td>
<td>$-0.7 &lt; \lambda_Z &lt; 0.7$ ($\Delta \kappa_Z = 0$)</td>
</tr>
<tr>
<td>(d) SM $WWZ$</td>
<td>1.0</td>
<td>$-2.8 &lt; \Delta \kappa_y &lt; 3.3$ ($\lambda_y = 0$)</td>
</tr>
<tr>
<td></td>
<td></td>
<td>$-2.5 &lt; \lambda_y &lt; 2.6$ ($\Delta \kappa_y = 0$)</td>
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on the $WW\gamma$ and $WWZ$ anomalous coupling parameters $\Delta \kappa$ and $\lambda$. The limits on $\lambda$ are comparable to those measured using $W\gamma$ production, whereas those on $\Delta \kappa$ from this analysis are significantly better. The results with assumption (c) are unique to $WW$ ($WZ$) production since the $WWZ$ couplings are not accessible with $W\gamma$ production. The limits on both $\Delta \kappa$ and $\lambda$ are significantly tighter than those from the analysis using $WW$ ($WZ$) production, due to the additional $WZ$ production mode here, and to the larger branching fractions of $W(Z)$ decaying to hadrons than that of $W$ to $e\nu$ or $\mu\nu$ in the dilepton analysis.

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