# A Large Double-ring Disk Around the Taurus M Dwarf J04124068+2438157 

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#### Abstract

Planet formation imprints signatures on the physical structures of disks. In this paper, we present high-resolution ( $\sim 50 \mathrm{mas}, 8 \mathrm{au}$ ) Atacama Large Millimeter/submillimeter Array observations of 1.3 mm dust continuum and CO line emission toward the disk around the M3.5 star 2MASS J04124068+2438157. The dust disk consists of only two narrow rings at radial distances of $0!47$ and $0!!78$ ( $\sim 70$ and 116 au ), with Gaussian $\sigma$ widths of 5.6 and 8.5 au, respectively. The width of the outer ring is smaller than the estimated pressure scale height by $\sim 25 \%$, suggesting dust trapping in a radial pressure bump. The dust disk size, set by the location of the outermost ring, is significantly larger (by $3 \sigma$ ) than other disks with similar millimeter luminosity, which can be explained by an early formation of local pressure bump to stop radial drift of millimeter dust grains. After considering the disk's physical structure and accretion properties, we prefer planet-disk interaction over dead zone or photoevaporation models to explain the observed dust disk morphology. We carry out high-contrast imaging at the $L^{\prime}$ band using Keck/NIRC2 to search for potential young planets, but do not identify any source above $5 \sigma$. Within the dust gap between the two rings, we reach a contrast level of $\sim 7 \mathrm{mag}$, constraining the possible planet below $\sim 2-4 M_{\mathrm{Jup}}$. Analyses of the gap/ring properties suggest that an approximately Saturn-mass planet at $\sim 90$ au is likely responsible for the formation of the outer ring, which can potentially be revealed with JWST.


Unified Astronomy Thesaurus concepts: Protoplanetary disks (1300); Planetary-disk interactions (2204);
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Supporting material: data behind figure
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## 1. Introduction

Our observational understanding of planet formation in circumstellar disks has greatly advanced in the past decade, largely due to the advent of the Atacama Large Millimeter/ submillimeter Array (ALMA). On one hand, near-complete

ALMA disk surveys in a number of star-forming regions with moderate spatial resolution have revealed important trends among the global stellar and disk properties, for example, suggesting higher mass stars host more massive disks thus with larger potential to form giant planets (e.g., Ansdell et al. 2016; Pascucci et al. 2016; Ruíz-Rodríguez et al. 2018; Cazzoletti et al. 2019, see also pre-ALMA results in Andrews et al. 2013). On the other hand, high-resolution imaging toward a targeted group of disks has shown that large and massive disks are often associated with substructures, mostly seen as gaps and rings (e.g., Partnership et al. 2015; Andrews et al. 2018a; Long et al. 2018; Cieza et al. 2021), but also as arcs and spiral arms (van der Marel et al. 2013; Huang et al. 2018b; Dong et al. 2018). Given the ubiquitous nature of planetary systems in the Galaxy (e.g., Winn \& Fabrycky 2015), the frequent appearance of disk substructures suggests that they might be relevant to the process of planet formation, though establishing the direct connection between a disk feature and a planet is so far challenging, considering the complex physics involved in disk and planet evolution (e.g., Nayakshin 2020).

These substructures provide an immediate observational solution to the long-standing problem in dust evolution and planet formation-the so-called radial drift barrier (Weidenschilling 1977; Nakagawa et al. 1986). In the default assumption of a smooth gas disk, millimeter-sized particles tend to move toward the (global) pressure maximum (the inner disk region) due to aerodynamic drag and quickly deplete the outer disk, in contradiction to early observations of large millimeter disks. Those recently identified dust rings/gaps, as regions of material accumulation/depletion, suggest the presence of local pressure maxima that stop the inward migration of particles and sustain them locally (Pinilla et al. 2012b). For this reason, these are also favorable places of planet formation through planetesimal and/or pebble accretion (e.g., Cummins et al. 2022; Jiang \& Ormel 2022).

Pressure bumps can result from planet-disk interactions, where the planet motion carves the disk material and builds some over-dense regions outside its orbit (e.g., Rice et al. 2006; Dodson-Robinson \& Salyk 2011; Pinilla et al. 2012a; Zhu et al.
2012; Paardekooper et al. 2022). Many other mechanisms, including a variety of (magneto-) hydrodynamic instabilities, have also been proposed to produce pressure modulations and then trap particles (see references in Andrews 2020; Bae et al. 2022). Though, in most cases, the origin of disk substructures is still debated, they are likely fundamental to the planetformation process. Thus, characterizing disk substructures in different star and disk environments is crucial in building a complete view of planet formation.

Currently, most high-resolution observations are designed to target disks around early-type stars (M3 or earlier) and/or bright disks (that also mostly surround solar-mass stars, see references above). Though gaps and rings have been reported in the disks of a few bright M dwarfs (Hashimoto et al. 2021; Kurtovic et al. 2021; Pinilla 2022), our generic knowledge about dust substructure properties in disks around these latetype stars is still missing. In addition, we expect that the dust radial drift problem is even more severe for disks around lower mass stars, as the drift velocity is faster when surrounding lower mass stars $\left(v_{\text {drift }} \propto L_{*}^{1 / 4} / \sqrt{M_{*}}\right.$, which is mostly controlled by stellar mass in the low-mass regime, Pinilla et al. 2013). To understand how M-dwarf disks overcome the radial drift barrier and how substructure properties vary across
stellar mass, we have conducted a high-resolution ALMA survey toward a number of M-dwarf disks in the Taurus starforming region (Y. Shi et al. 2023, in preparation).

This paper reports on the interesting object 2MASS J04124068 +2438157 in our M-dwarf disk sample, which hosts a very extended dust disk composed of two dust rings. We arrange the paper as follows. Section 2 provides a detailed summary of the source properties. Section 3 describes the ALMA and Keck observations, as well as their corresponding data reduction. Section 4 presents our characterization of the disk morphology, and Section 5 discusses this target in the context of other disks and the origin of the dust rings. A summary is then given in Section 6.

## 2. Source Properties

The object 2MASS J04124068+2438157 (hereafter 2M041240) was first identified as a member of Taurus in a search for objects with mid-IR excess emission in the WISE survey (Rebull et al. 2011, as Class II disks). Membership is confirmed with Gaia DR2 proper motions (Galli et al. 2019). The Gaia EDR3 parallax leads to a distance of $148.7 \pm 0.5 \mathrm{pc}$ (Gaia Collaboration 2022).

We adopt the spectral type of M3.5 $5^{32}$ and the extinction $A_{J}=0.37$ from the compilation of Taurus members by Esplin \& Luhman (2019). The spectral type corresponds to an effective temperature of $\sim 3300 \mathrm{~K}$ (Herczeg \& Hillenbrand 2014), consistent with temperatures measured from LAMOST spectra (Luo et al. 2022). The luminosity of 2M041240 is $0.153 L_{\odot}$, measured from the 2MASS $J$-band magnitude of 11.151, the bolometric correction from Pecaut \& Mamajek (2013), and zero-point flux of $3.013 \times 10^{35} \mathrm{erg} \mathrm{s}^{-1}$. The temperature and luminosity lead to a radius of $1.20 R_{\odot}$ and correspond to a mass of $0.25 M_{\odot}$ and an age of 1.6 Myr using the Baraffe et al. (2015) and spotless Somers et al. (2020) models. When relying on Feiden (2016) magnetic models of pre-main sequence evolution and the Somers et al. (2020) models for a young star with $50 \%$ spot coverage, we obtain a mass of $0.38 M_{\odot}$ and an age of 4.4 Myr , and $0.42 M_{\odot}$ and 4.7 Myr, respectively. The $\sim 0.4 M_{\odot}$ estimate is adopted here, given the consistency of those evolutionary tracks with the dynamical measurement of stellar mass for two M4 members of Taurus (Pegues et al. 2021). The sizes of dust disks around most stars are well within 100 au , which also gradually decrease with stellar mass (Hendler et al. 2020), thus the finding of an $\sim 120$ au disk (see results in Section 4.1) around this mid-M star is rather surprising and studied in detail here.

The object 2 M 041240 is actively accreting, as indicated from the $\mathrm{H} \alpha$ equivalent widths of 42 and 46 A measured by LAMOST on two different nights (Luo et al. 2022). The He I $\lambda 6678$ equivalent width is $0.64 \AA$ in a Keck/HIRES highresolution optical spectrum obtained on UT 2019 November 29 (PI: L. Hillenbrand). This equivalent width translates to a flux of $\sim 1.3 \times 10^{-15} \mathrm{erg} \mathrm{cm}{ }^{-2} \mathrm{~s}^{-1}$, calculated based on the continuum flux obtained by flux-calibrating a low-resolution optical spectrum obtained from UH88/SNIFS (see description in Guo et al. 2018) with Gaia DR3 spectrophotometry. This flux should be robust to continuum variability, since the Gaia

[^0]$R_{P}$-band flux varies by $\sim 0.04 \mathrm{mag}$ (ignoring one outlier, Gaia Collaboration 2022). After correcting for extinction and distance, the line luminosity is $2.4 \times 10^{-6} L_{\odot}$, which corresponds to an accretion luminosity of $0.012 L_{\odot}$ (from the correlations of Alcalá et al. 2017) and a mass accretion rate of $\sim 1.4 \times 10^{-9} M_{\odot} \mathrm{yr}^{-1}$. This accretion rate is likely variable, as the ${ }^{\mathrm{H}} \alpha$ equivalent width in the epoch of Keck observation is $30 \AA$, lower than those measured in the two epochs with LAMOST. The [O I] $\lambda 6300$ line has an equivalent width of $1.34 \AA$ and a FWHM of $32 \mathrm{~km} \mathrm{~s}^{-1}$, indicating the presence of a disk wind (e.g., Banzatti et al. 2019).

## 3. Observations

### 3.1. ALMA Observations

The object 2M041240 was observed with ALMA Band 6 receivers on UT 2021 August 27, during the Return to Operations phase after the Covid19 shutdown, as part of program 2019.1.00566.S (PI: G. Herczeg). The observations were performed with 39 antennas spanning baselines from 92 m to 10.8 km , with a total on-source time of 16.8 minutes. The receivers were configured into four spectral windows (SPWs), including two continuum SPWs centered at 217 and 234.4 GHz , each with a bandwidth of 1.875 GHz . The two remaining SPWs targeted ${ }^{12} \mathrm{CO},{ }^{13} \mathrm{CO}$, and $\mathrm{C}^{18} \mathrm{O} J=2-1$ lines at a channel spacing of $0.244 \mathrm{MHz}\left(\sim 0.3 \mathrm{~km} \mathrm{~s}^{-1}\right)$.

The raw visibilities were first pipeline calibrated using the specified CASA version 6.1.1 (CASA Team et al. 2022) to flag problematic data segments, correct for bandpass responses, set absolute flux scales, and solve for complex gain variations. We inspected the calibrated visibilities and identified some residual features of atmospheric absorption correction around channel 500 in the 234.4 GHz SPW. The corresponding channel range of 400-600 was then flagged. Finally, one round of phase-only self-calibration (solint = ' inf'') was performed. As the improvement of continuum image quality is subtle ( $\sim 10 \%$ in peak $\mathrm{S} / \mathrm{N}$ ), self-calibration solutions were not applied to the line SPWs.

Continuum images at a mean frequency of 225.6 GHz $(1.3 \mathrm{~mm})$ were generated with the tclean task. To better visualize the faint disk millimeter emission, we produced two images with synthesized beam sizes of $0!!06 \times 0!$ ! 05 $\left(\mathrm{PA}=17^{\circ}\right) \quad($ robust $=0.5)$ and $0!12 \times 0!12\left(\mathrm{PA}=26^{\circ}\right)$ (robust $=2$ ), where uv taper is applied for a more circular beam. ${ }^{33}$ The $1 \sigma$ noise levels computed from nearby emissionfree regions in the images are $\sim 32$ and $35 \mu \mathrm{Jy} \mathrm{beam}^{-1}$, respectively. The three CO lines were imaged at a velocity resolution of $0.4 \mathrm{~km} \mathrm{~s}^{-1}$ with a coarser beam size of $0!2$, reaching a $1 \sigma$ noise level of $\sim 5-6 \mathrm{mJy} \mathrm{beam}^{-1}$ in individual channels.

### 3.2. Keck/NIRC2 High-contrast Imaging Observations

We used the Keck/NIRC2 vortex coronagraph (Mawet et al. 2017; Serabyn et al. 2017) to suppress central starlight and observed the surroundings of 2 M 041240 in the $L^{\prime}$ band ( $\sim 3.78 \mu \mathrm{~m}$ ) on UT 2021 October 27 under the Keck program H290 (PI: M. Liu). The Gaia DR3 $R_{P}$-band magnitude of 13.27 for 2M041240 (Gaia Collaboration 2022) is too faint for existing Shack-Hartmann wave-front sensors that perform

[^1]adaptive optics corrections in visible wavelengths to efficiently conduct high-contrast imaging for companions. In comparison, its $H$-band magnitude of $10.38 \pm 0.02$ (Cutri et al. 2003) situates within the operation range of the pyramid wave-front sensor that performs wave-front sensing in $H$-band ( $\sim 1.63 \mu \mathrm{~m}$; Bond et al. 2020) at the Keck II telescope. The single integration time is 0.5 s and each exposure frame comprises 60 integrations. During the observation, we obtained 105 frames that cover a parallactic angle change of 97.5 to perform angular differential imaging (ADI). The total on-target integration time is 3150 s .

The raw exposures of 2M041240 from Keck/NIRC2 require pre- and post-processing to reveal the surroundings that have been overwhelmed by starlight. We followed Xuan et al. (2018), which customized the VIP package (Gomez Gonzalez et al. 2017), to perform pre-processing of the data, including flat-fielding, bad-pixel removal, background removal, and image centering. We then performed ADI post-processing using the principal-component-analysis-based KarhunenLoève image projection algorithm (KLIP; Amara \& Quanz 2012; Soummer et al. 2012) to remove the central starlight and speckles. In the processing of high-contrast imaging data, ADI and KLIP can introduce reduction artefacts including self-subtraction and over-subtraction, respectively. These artefacts can vary with different reduction parameters, including the number of KLIP components, the rotation angle, etc. To address these artefacts and explore the best limits for our NIRC2 observations, we followed the procedures outlined in Wallack et al. (2023) and varied these reduction parameters to obtain the deepest contrast limits. Specifically, we generated $5 \sigma$ contrast curves using VIP (Gomez Gonzalez et al. 2017) for different combinations of inner and outer image mask sizes and number of principal components, accounting for the effects of small sample statistics (Mawet et al. 2014). We then compared our achieved contrast across all of the combinations of mask sizes and principal components, and determined the best contrast for an angular separation from the star. We performed the contrast calculation with a 1 pixel step $\left(9.971 \mathrm{mas}^{34}\right)$ to generate an optimal contrast curve for the entire image.

## 4. Results

### 4.1. A Disk with Two Dust Rings

The 1.3 mm continuum image of the 2M041240 disk at a resolution of $0!\prime 06$ is shown in the upper left panel of Figure 1. As the peak emission is only detected at $\sim 6 \sigma$ level, a radial intensity profile is created by averaging the emission along the azimuthal direction to boost the significance of faint emission features (displayed in Figure 1 alongside the image). The image deprojection adopts an inclination angle of 16.0 and position angle of $122^{\circ} .7$ (derived from visibility modeling below). All of the emission is concentrated in two narrow dust rings, peaking at $0!47$ and $0!78$ (70 and 116 au , hereafter B70 and B116), with the inner ring narrower and fainter than the outer one. Both rings are optically thin, with $\tau \sim 0.03-0.04$, assuming a dust temperature of $15-20 \mathrm{~K}$ (e.g., Andrews et al. 2013), in contrast to many dust rings that appear to have optical depths of $\sim 0.6$ but are probably optically thick with scattering (Huang et al. 2018a). The wide gap separating the two rings is nearly empty, and the average emission does not exceed three

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Figure 1. Top left: Continuum emission image of the 2 M 041240 disk at 1.3 mm with a beam size of $0!\prime 06 \times 0!$. 05 . The synthesized beam shape is shown in the bottom-left corner of the panel. White contours are at levels of $3,5 \sigma$. Top right: Azimuthally averaged radial intensity profile based on image to the left (after deprojection). The Gaussian profile in the bottom-right corner shows the FWHM of the synthesized beam. Bottom left: Continuum emission image at 1.3 mm with a beam size of $0!12$. White contours are at levels of $3,5,7 \sigma$. The azimuthal angle conversion is shown in the bottom right corner. Bottom right: Azimuthal intensity profiles at the two dust-ring locations using the image to the left. The horizontal shaded regions mark the $1 \sigma$ scatter of dust emission within the ring, centered at the averaged ring intensity.
times the local noise level, where the noise level is estimated as the $1 \sigma$ scatter along the whole azimuth divided by the square root of beam numbers across the region and shown as the shaded region in Figure 1.
A better visualization of the morphology of dust emission is provided by the image with a coarser resolution of $0!12$ (lower left panel of Figure 1). Some dusty filaments (at $\sim 3 \sigma$ level) seem to emerge and connect the inner and outer rings, while the low surface brightness of the ring emission suggests that these features are likely due to imaging artifacts (but see a claimed dusty filament across the gap in HD 135344B, Casassus et al. 2021). Likewise, the clumpiness of the dust rings could be attributed to the low sensitivity of the observations and imperfect uv sampling. To better demonstrate any azimuthal emission variations, we created intensity profiles along the azimuthal direction by averaging emission within a radial annulus of $0!44-0!52$ and $0!\prime 72-0!!82$ for B70 and B116, respectively. Around the azimuthal angle of $300^{\circ}$ (see the azimuthal angle conversion in Figure 1), both rings exhibit a drop of dust emission by a factor of two compared with the averaged ring emission. It is unclear if the faintness of this azimuth in both rings shares a common origin (e.g., inner disk
shadowing, though the inner disk of 2M041240 lacks large grains that can emit predominantly at millimeter wavelength), as such a deficit of dust emission is also seen around $140^{\circ}$ but only in the B70 ring. Small-scale azimuthal asymmetries in dust rings have been predicted in hydrodynamic simulations from a number of instabilities (e.g., Huang et al. 2020b; Bi \& Fung 2022; Lehmann \& Lin 2022). Observational evidence of such instabilities would, however, require deep integration for high-significance detection of asymmetries in dust rings.
To quantify the dust emission morphology and disk geometry, we performed model fitting in the visibility domain. We adopted an axisymmetric model with two Gaussian rings, representing the two peaks in the radial profile, which can be expressed as

$$
\begin{equation*}
I(r)=A_{1} \exp \left[-\frac{\left(r-R_{1}\right)^{2}}{2 \sigma_{1}^{2}}\right]+A_{2} \exp \left[-\frac{\left(r-R_{2}\right)^{2}}{2 \sigma_{2}^{2}}\right], \tag{1}
\end{equation*}
$$

where $A_{i}, R_{i}$, and $\sigma_{i}$ are the amplitude, peak location, and width for individual rings, respectively. Four additional disk geometry parameters (inclination $i$, position angle PA, and offsets from the phase center $\Delta_{\text {R.A. }}$ and $\Delta_{\text {decl. }}$ ) were also included in the fitting. The model visibilities are then calculated

Table 1
Dust Disk Model Results

| Ring Number | Flux <br> $(\mathrm{mJy})$ | Ring Location <br> $\left({ }^{\prime \prime}\right)$ | Ring Width $(\sigma)$ <br> $(\prime)$ | incl. <br> $\left({ }^{\circ}\right)$ | PA <br> $\left(^{\circ}\right)$ | $\Delta_{\text {R.A. }}$ <br> $(\prime \prime)$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| $\# 1$ (B70) | $3.3 \pm 0.3$ | $0.472 \pm 0.004$ | $0.038 \pm 0.006$ | $16.0 \pm 1.1$ | $122.6 \pm 4.3$ | $0.003 \pm 0.002$ |
| $\# 2($ B116) | $12.7 \pm 0.3$ | $0.782 \pm 0.002$ | $0.058 \pm 0.003$ |  | $-0.001 \pm 0.002$ |  |

Note. In the fitting, we assumed the same inclination, position angle, and phase center offsets for both rings. The disk total flux should be the sum of the two rings. A recent SMA observation suggests a total flux of $20 \pm 2 \mathrm{mJy}$ (Liu, Terada et al., private comm.)
through Hankel transformation (Pearson 1999) and sampled at the same observed spatial frequencies. The comparison of model and data visibilities uses a Gaussian likelihood $\mathcal{L} \propto \exp \left(-\chi^{2} / 2\right)$, where $\chi^{2}=\sum\left|V_{\text {obs }}\left(u_{k}, v_{k}\right)-V_{\text {mod }}\left(u_{k}, v_{k}\right)\right|^{2} w_{k}$, with $w_{k}$ as the observed visibility weights. We assumed uniform priors for the fitted parameters and explored the parameter space with 50 walkers and 5000 steps using a Markov Chain Monte Carlo (MCMC) method (emcee, Foreman-Mackey et al. 2013). As the number of steps largely exceeds the autocorrelation time, which is on the order of 100 steps, the MCMC chains are believed to have reached a stationary state. ${ }^{35}$ The final adopted parameters are summarized in Table 1, as the median values of the posterior distributions (computed from the last 1000 steps of the chains), with uncertainties estimated from the 16th and 84th percentiles.

Figure 2 compares the best-fit model to the data. Our adopted model reproduces the real part of the deprojected and azimuthally averaged data visibilities reasonably well. The imaginary part should be clustered around zero for axisymmetric emission; the non-zero fluxes in the short baselines suggest the presence of some non-axisymmetric structures on large scales, which our observations may not capture very well (the maximum recoverable scale based on the fifth percentile of the baseline lengths is only $0!$ ! 6 ). The model and residual images, created with the same tclean parameters as the data image, are also shown in Figure 2. No residual emission exceeds $5 \sigma$. Interestingly, there is some $4 \sigma$ residual emission within the dust gap (between B70 and B116), as part of the aforementioned dust filament. As there is other residual emission at similar detection significance, confirming that the emission within the gap is real would require deeper observations. Similar to the data image, the model image also exhibits negative fluxes in the inner cavity (see bottom right panel in Figure 2), suggesting that this feature is likely related to the sparse sampling in the uv space among the short baseline range. The clumpiness in the rings is probably attributed to both the sparse uv coverage (see the model image) and noise.
The inner ring B70 has a Gaussian width ( $\sigma$ ) of 38 mas (FWHM of 90 mas ), $\sim 40 \%$ narrower than B116. The integrated flux for each ring is also listed in Table 1; the inner ring is a factor of about four fainter (in total flux). Assuming a dust temperature of $20 \mathrm{~K}^{36}$ and the DSHARP opacity of $\kappa_{1.3 \mathrm{~mm}}=1.9 \mathrm{~cm}^{2} \mathrm{~g}^{-1}$ for a maximum grain size of $1 \mathrm{~mm}^{37}$

[^3](Birnstiel et al. 2018), we calculate the dust masses of $2.5 \pm 0.2$ and $9.6 \pm 0.2 M_{\oplus}$ for B70 and B116, respectively. The continuum disk size estimated from the model intensity profile is $0!85 \pm 0!$ ! $003(126.4 \pm 4.5 \mathrm{au})$ when adopting the effective disk size definition at $90 \%$ fractional luminosity (Tripathi et al. 2017 , or $0!!80 \pm 0!.002$ at $68 \%$, slightly beyond the peak of the outer ring).

### 4.2. Dust Versus Gas Distributions

Three CO isotopologue lines were included in our observations. Emission from ${ }^{12} \mathrm{CO}$ and ${ }^{13} \mathrm{CO} J=2-1$ lines is clearly seen in channel maps within a narrow velocity range of $5-8 \mathrm{~km} \mathrm{~s}^{-1}$ (Figure A2), mostly tracing the Keplerian disk rotation, though the central channels (around the systemic velocity of $\sim 7 \mathrm{~km} \mathrm{~s}^{-1}$ ) are cloud contaminated. The integrated line fluxes are $1.01 \pm 0.12$ and $0.55 \pm 0.11 \mathrm{Jy} \mathrm{km} \mathrm{s}^{-1}$ for ${ }^{12} \mathrm{CO}$ and ${ }^{13} \mathrm{CO}$ lines, respectively, estimated within a circular aperture in radius of $2!!0$ over the velocity range of $5-8 \mathrm{~km} \mathrm{~s}^{-1}$. The uncertainty is measured as the standard deviation of line fluxes from 50 randomly distributed apertures with the same extraction area and velocity range outside the disk emission region. For the $\mathrm{C}^{18} \mathrm{O}$ line, we obtain a line flux upper limit ( $3 \sigma$ ) of $0.2 \mathrm{Jy} \mathrm{km} \mathrm{s}^{-1}$.

Figure 3 compares the radial profiles of CO gas and millimeter dust emission. The line radial profiles were extracted from the peak intensity maps (eighth moment) adopting the same disk geometry parameters as the continuum emission for image deprojection. ${ }^{38}$ Within the dust cavity, line emission is clearly detected, but both CO lines exhibit a drop in emission toward the inner region. The identified peak emission locations are $0!24$ and $0!36$ for the ${ }^{12} \mathrm{CO}$ and ${ }^{13} \mathrm{CO}$ lines, respectively, though the gas cavity sizes may be affected by foreground cloud absorption. CO emission is confined to within $2!\prime 0$ from the disk center, resulting in a low CO-to-millimeter disk size ratio (about 2, see Long et al. (2022a) for this size ratio in a collection of disks). As the maximum recoverable scale in this observation is only $0!6$ (based on the fifth percentile of the baseline lengths), faint line emission on larger scales might be filtered out.

## 5. Discussion <br> 5.1. Context with other Disks

Previous disk population studies have revealed a general trend that more massive stars host brighter disks, though associated with significant scatter (e.g., Andrews et al. 2013; Ansdell et al. 2016; Pascucci et al. 2016). The top panel of Figure 4 compares 2M041240 with other Taurus members in the $M_{*}-L_{\mathrm{mm}}$ plane, where millimeter fluxes for other Taurus disks are taken from Andrews et al. (2013) and updated with

[^4]

Figure 2. Top left: The deprojected and binned visibilities as a function of baseline length for the data and the axisymmetric model. Top right: The model radial intensity profile. Bottom: Comparisons of the data, model, and residual in the image plane, constructed with the same tclean parameters. The two ring locations are marked out in the residual map, with black contours at 3 and $4 \sigma$. The comparison of data and mode radial profiles is shown in the rightmost panel to demonstrate the match in the central depression in the image with the observed uv coverage.


Figure 3. Azimuthally averaged radial intensity profiles for CO lines from the deprojected peak intensity maps. The shaded regions mark the $1 \sigma$ scatter at each radial bin divided by the square root of the number of beams across the bin. The continuum emission profile extracted from an image with the same beam size as the line data is shown for comparison. The color ticks at the top of the figure denote the peak emission location for each tracer.
new ALMA measurements ${ }^{39}$ when available (Ward-Duong et al. 2018; Akeson et al. 2019; Long et al. 2019). We also recalculate the stellar masses using the spot models (with $50 \%$ spot coverage) of Somers et al. (2020) to be consistent with our adoption of $0.4 M_{\odot}$ for 2 M 041240 . The disk around 2M041240 falls within the top $10 \%$ of millimeter brightness in the group

[^5]of mid-M-dwarf disks in Taurus (disks around stars of $0.3-0.5 M_{\odot}$ ), a factor of five brighter than the median $L_{\mathrm{mm}}$ ( $\sim 3 \mathrm{mJy}$ ) in this group. However, when compared to other disks with known dust substructures in Taurus (Long et al. 2018; Kurtovic et al. 2021) and other young clusters (Huang et al. 2018a; Cieza et al. 2021), the disk around 2M041240 lies in the very faint end (Figure 4). In particular, we note that the three disks around very low-mass stars (M5) with substructures in Kurtovic et al. (2021) have $L_{\mathrm{mm}}$ comparable to 2 M 041240 . As these early high-resolution disk surveys have often selected bright disks, the detection of dust rings in 2M041240 suggests that substructures might also be prevalent in faint disks around low-mass stars, emphasizing the potentially ubiquitous nature of disk substructures. ${ }^{40}$ Systematic high-resolution millimeter imaging surveys of faint disks are needed to determine if substructure is common.

Disks with large inner cavities are typically brighter and have a much shallower $M_{*}-L_{\mathrm{mm}}$ relation (equivalent to $M_{*}-M_{\mathrm{d}}$ used in Pinilla et al. 2018) than that from the full disk populations. With an inner cavity of $\sim 70$ au, the 2 M 041240 disk deviates significantly (fainter by $\sim 0.5$ dex) from the relation reported in Pinilla et al. (2018) for inner cavity disks. Dust rings are widely interpreted as pressure bumps that trap particles locally and eliminate the loss of particles from radial drift. In an attempt to understand the observed stellar mass and disk brightness correlations, Pinilla et al. (2020) found that the correlations established from the full disk sample in a number

[^6]

Figure 4. Top: The correlation between stellar mass and disk luminosity at 1.3 mm for 2M041240 (orange), other Taurus members (gray), and a collection of disks with substructure detection (blue, see references in the main text); Bottom: The correlation between disk millimeter luminosity and ( $90 \%$ fractional) radius. The solid orange star marks the disk of 2M041240, and the open orange star indicates the inner ring B70. The Lupus sample (in purple), as well as the scaling relation (dashed line) from Andrews et al. (2018b) are shown for comparison. The lupus sample is adopted for its better coverage at the faint end. The fainter and more extended disk in Lupus than our target is J16090141-3925119, which also surrounds an M4 star. Based on the ALMA image in Ansdell et al. $(2016,2018)$, it remains unclear if it is a disk with a large cavity or a close binary system.
(The data used to create this figure are available.)
of star-forming regions can be well reproduced by dust evolution and particle trapping models, despite a discrepancy with the sample of bright inner cavity disks. In this model framework, the predicted lower millimeter fluxes are due to the combined effects of high optical depth and efficient grain growth to larger sizes in dust rings (beyond 10 cm , "invisible" at millimeter wavelengths, Pinilla et al. 2020).

The grain growth effect is more prominent in disks around lower mass stars because of the higher fragmentation barrier that can result in larger grain sizes. Since the rings of 2M041240 have low optical depth (see Section 4.1), the rapid formation of large grains that have negligible contributions to millimeter fluxes serves as a plausible explanation. Given the similar radial scale to cold ExoKuiper belts in debris disks, these dust rings might also be progenitors of old debris rings
sustained by the collision of planetesimals formed within these high-density regions (Marino 2022; Najita et al. 2022). On the contrary, those bright disks with inner cavities that depart from the main population, especially those few around low-mass hosts ( $M_{*}<1 M_{\odot}$ ) that drive the $M_{*}-L_{\mathrm{mm}}$ relation, might be outliers where grain growth was inhibited within pressure bumps, if somehow grains did not fragment efficiently inside the pressure bumps due to the dust properties (such as composition) or because bouncing stops the effective growth.

Though 2M041240 is an average system in the $M_{*}-L_{\mathrm{mm}}$ plane, its dust distribution is far too extended for its given millimeter luminosity, thus sitting high above the wellestablished scaling relation between $R_{\mathrm{mm}}$ and $L_{\mathrm{mm}}$ (see the bottom panel of Figure 4, Andrews et al. 2018b; Hendler et al. 2020, as a $3 \sigma$ outlier considering the derived scatter of 0.2 dex). With a dust disk size of 126 au , the 2M041240 disk is larger than $\sim 90 \%$ of all Lupus disks (adopting the $R_{90}$ results from Andrews et al. (2018b); the Lupus sample is used for comparison due to its higher completeness of size measurement). Among the ring disks with similar $L_{\mathrm{mm}}$, the large disk radii of 2 M 041240 is simply due to the presence of a disk ring at large distance of 110 au . The faint $L_{\mathrm{mm}}$ of 2 M 041240 , compared to other ring disks with similar $R_{\mathrm{mm}}$, could be explained as enhanced grain growth in dust rings (as discussed above) and/or the absence of an inner dust disk that might get lost through radial drift with the lack of material supply from the outer region due to pressure trapping. It is worth pointing out that the inner ring of B70 alone also stands out as an outlier in the $M_{*}-L_{\mathrm{mm}}$ plane, which may suggest that the two rings share a common origin. A number of disks in the Lupus starforming region show similar deviations in the $M_{*}-L_{\mathrm{mm}}$ plane at the fainter end (see Figure 4), which are also found to surround M dwarfs. We suspect that there might be a population of disks around low-mass stars that were born large and somehow built a pressure bump early at large disk radii, then evolved along a different path than the disks on the main $M_{*}-L_{\mathrm{mm}}$ trend, as shown by Zormpas et al. (2022).
Large inner cavities were the first type of substructure revealed from initial sub-arcsecond resolution disk observations (e.g., Andrews et al. 2011). Recently, with the improved spatial resolution of ALMA, the inner cavities are known to be accompanied by dust rings with varying numbers (e.g., Loomis et al. 2017; Pérez et al. 2019; Huang et al. 2020a), but in very rare cases, the inner ring is much fainter than the outer one(s). The LkCa 15 disk stands out as such an example, for which Long et al. (2022b) proposed that the faint inner ring might trace a planet horseshoe orbit with preferential dust accumulation around the two Lagrangian points. Given the lack of such a characteristic feature in the B70 ring of 2 M 041240 , this scenario becomes hard to assess, though the total millimeter fluxes in both rings (B70 ring here and horseshoe ring in $\mathrm{LkCa} 15)$ are quite comparable. Alternatively, Facchini et al. (2020) suggested that the (three-)dust-ring configuration in the LkCa 15 disk can be reproduced when considering a vertically isothermal disk with the planet placed in the middle ring. As 2M041240 only contains two rings, it is unclear if these simulations with such an equation of state are applicable to 2M041240.

The brightness difference between the two dust rings may also reflect their different dust evolution. If there is only a weak pressure bump at B70 (in contrast to a strong one at B116), then millimeter-sized particles may not be effectively trapped
and would then quickly migrate inward and get lost onto the central stars. This process might be amplified if the disk has a low gas surface density so that the grains grow larger and drift faster. This is likely true for 2 M 041240 , as its normal dust emission level and large emitting area already imply a low dust surface density.

### 5.2. Origin of Disk Substructures

We detect a wide inner cavity and two dust rings peaking at 70 and 116 au with $1 \sigma$ Gaussian width of 5.6 and 8.5 au , respectively, in the 2 M 041240 disk. When considering a passively irradiated flaring disk, the disk midplane temperature at a given radius $r$ can be approximated as:

$$
\begin{equation*}
T_{\mathrm{d}}(r)=\left(\frac{\frac{1}{2} \varphi L_{*}}{4 \pi r^{2} \sigma_{\mathrm{SB}}}\right)^{1 / 4} \tag{2}
\end{equation*}
$$

(e.g., Chiang \& Goldreich 1997; Dullemond et al. 2001), where $\varphi$ is the disk flaring angle, $L_{*}$ is the stellar luminosity, and $\sigma_{\mathrm{SB}}$ is the Stefan-Boltzmann constant. Given the low luminosity of the central star, the disk radius corresponding to a midplane temperature of 15 K is well within 50 au . Therefore, these substructures are unlikely to be related to the ice lines of major volatile species (Zhang et al. 2015; Long et al. 2018). It is worth noticing that ice lines can be very dynamic and difficult to model (e.g., Owen 2020), and obtaining a precise midplane temperature is challenging.

The comparison of ring width to local pressure scale height ( $h_{\mathrm{p}}$ ) can help evaluate if grains are trapped in pressure bumps. This is because a long-lived gas pressure bump is supposed to be wider than $h_{\mathrm{p}}$, while the trapped dust can be concentrated in narrower regions (Dullemond et al. 2018). The disk pressure scale height can be estimated as $h_{\mathrm{p}}=\sqrt{\frac{k_{\mathrm{B}} T_{\mathrm{r}} r^{3}}{\mu \mathrm{~m}_{\mathrm{p}} G M_{*}}}$, where $k_{\mathrm{B}}$ is the Boltzmann constant, $m_{p}$ is the proton mass, $G$ is the gravitational constant, and $\mu=2.3$ is the mean molecular weight in atomic units. Using a temperature profile with $\varphi=0.02$ (a conservative choice), the corresponding pressure scale heights at the two ring locations are 5.7 and 10.7 au , respectively. While the width (Gaussian $\sigma$ ) of the inner ring B70 is comparable to $h_{\mathrm{p}}$, the outer ring B116 is narrower than $h_{\mathrm{p}}$ by $\sim 25 \%$, providing strong evidence of dust trapping operating there.

Local pressure maxima that trap dust grains can occur in many different ways. For example, around the outer edge of a dead zone (induced from magnetohydrodynamical effects), a pressure trap is created due to the sharp change of disk viscosity (e.g., Flock et al. 2015; Pinilla et al. 2016). However, such a location is expected to be within 20 au in disks around M dwarfs (Delage et al. 2022), thus the dead zone hypothesis alone is not applicable to the 2M041240 disk rings.

The recent study by Gárate et al. (2021) proposed that the combined effects of dead zone and X-ray-driven photoevaporation may explain the set of transition disks with wide cavities ( $>20 \mathrm{au}$ ) and considerable mass accretion rates. Though photoevaporation models can open a gap with tens of astronomical units radius, they often fail to reproduce the observed accretion rates (e.g., Ercolano \& Pascucci 2017; Picogna et al. 2019). The object 2M041240 is actively accreting at a rate of $\sim 1.4 \times 10^{-9} M_{\odot} \mathrm{yr}^{-1}$, typical for its stellar mass (Alcalá et al. 2017), which rules out photoevaporation alone as a viable mechanism. One key component of the Gárate
et al. (2021) model relies on the slower viscous evolution in the dead zone region, which sustains a higher accretion rate on a prolonged timescale. However, the probability of creating a 70 au cavity with the needed accretion rate is still low based on their model grids, and the outcome highly depends on the assumed $\alpha$ - viscosity in the dead zone region. Their models also expect a bright inner disk at millimeter wavelength, which is not seen in our ALMA images.

One intriguing possibility is that one or more planets embedded in the disk may be responsible for the observed dust gaps and rings. The propagation and dissipation of spiral density waves driven by planet-disk interactions redistribute disk material, which also allows gas and small grains to flow through the gaps (e.g., Dodson-Robinson \& Salyk 2011; Zhu et al. 2012). Figure 5 presents the results of our search for such dynamical perturbers in the $L^{\prime}$ band of Keck/NIRC2. For each angular separation from the center, we measure the noise and calculate the signal-to-noise ratio for all pixels; we do not identify any sources above $5 \sigma$. In order to determine the mass upper limits corresponding to our optimal contrast curve, we use the AMES-Cond models (Baraffe et al. 2003), assuming the $L^{\prime}$ magnitude from the logarithmic interpolation of the WISE W1 and W2 magnitudes (Marocco et al. 2021), a system age of 4.5 Myr , and a distance of 148.7 pc . Planet mass limits for three representative locations are marked out in the right panel of Figure 5. In the middle of the two dust rings (at $0!!63$, 93 au ), our observations reach a contrast level of $\sim 7.1 \mathrm{mag}$, corresponding to a planet mass upper limit of $\sim 3.9 M_{\text {Jup }}$ (or $\sim 2.1 M_{\text {Jup }}$ when adopting an age of 1.6 Myr ). Inside the first dust ring at $0!3$, we can obtain a mass upper limit of $\sim 5.6 M_{\text {Jup }}$ (or $\sim 3.1 M_{\text {Jup }}$ at 1.6 Myr ).

Our Keck observations rule out stellar companions on circular orbits within $\sim 10-70$ au, while the stellar multiplicity within 10 au is unclear. For circumbinary disks, tidal forces tend to carve out an inner disk cavity, whose size scales with the binary semimajor axis, usually by a factor of two to three (e.g., Artymowicz \& Lubow 1994). Therefore, a stellar companion within 10 au (approximately the coronagraph size) may not be able to explain our observed wide cavity in 2M041240, unless the binary is on a very eccentric orbit. Famous examples include HD142527 and IRAS 04158+2805, where large cavities of $\sim 90$ and 185 au in radii are believed to be carved by highly eccentric binaries at projected separations of $\sim 13$ and 25 au, respectively (Price et al. 2018; Ragusa et al. 2021). Both of those cases show high-contrast azimuthal asymmetries in the dust ring, which is not obviously seen in the 2M041240 disk. Interestingly, recent models of the circumbinary disk CS Cha suggest that the inclusion of a planet inside the cavity orbiting around the close binary could damp the cavity eccentricity and largely reduce the dust-ring asymmetries (Kurtovic et al. 2022). Thus, we could not safely rule out 2M041240 as a binary system, but a binary alone may not explain the observed disk morphology.

Deficits of CO emission are found within the inner dust cavity, where the ${ }^{13} \mathrm{CO}$ emission peaks at a radial distance of $0!36$, closer in than the millimeter dust. Assuming that the dust rings were produced by embedded planets, based on the criterion ${ }^{41}$ proposed by Crida et al. (2006), we calculate the required minimum planet mass to open a gap in the gas surface

[^7]

Figure 5. Left: Keck/NIRC2 image at the $L^{\prime}$ band, reduced with ADI using $10 \%$ of the principal components. The two ellipses mark the dust rings identified from the ALMA image. We do not identify point sources beyond the $5 \sigma$ detection threshold. Right: $5 \sigma$ contrast curve. The two dust-ring locations are indicated as gray bars at the bottom. The corresponding planet masses at three representative locations (close to the coronagraphic edge, inside the cavity at $0!3$, and at the dust gap of $0!!63$ ) are marked out. The mass ranges are given for system ages of 1.6 and 4.5 Myr.
density that creates a local pressure bump and then efficiently traps dust grains. If a planet placed at $0!3$ is responsible for the wide inner cavity, the estimated planet-to-stellar mass ratios are $5.5 \times 10^{-4}$ and $1.1 \times 10^{-3}$ for $\alpha$ viscosity of $10^{-4}$ and $10^{-3}$, respectively, corresponding to $0.24 M_{\text {Jup }}$ and $0.48 M_{\text {Jup }}$ for a $0.4 M_{\odot}$ star. Planet-disk interaction models often predict spatial segregation of emission peaks between millimeter dust and gas (or small dust, e.g., de Juan Ovelar et al. 2013; Facchini et al. 2018), as seen in our case. The spatial difference of emission peaks is expected to increase with planet mass (albeit with dependencies on other disk parameters, including viscosity). Following Equation (4) in Facchini et al. (2018), we obtain a planet-to-star mass ratio of $1.2 \times 10^{-3}$ based on the ratio of emission peaks ( $R_{\mathrm{mm}}, \mathrm{B} 70 / R_{13 \mathrm{CO}} \sim 1.3$ ), in good agreement with the estimates above. We note that the gas cavity size could be overestimated due to cloud contamination, so that the responsible planet might have lower mass. In addition, the models in Facchini et al. (2018) focused on Sunlike stars, and it remains unclear how this peak offset may change in disks around lower mass stars where the conditions for gas-dust coupling may differ.

At the gap location between the two rings, the Crida et al. (2006) criterion expects a planet mass of $0.39-0.78 M_{\text {Jup }}$. As no clear CO gas gap is identified at the dust gap location, these values may be treated as certain upper limits. Following the method of Lodato et al. (2019) that relates the dust gap width to the planet Hill radius, we obtain a planet mass of $0.21 M_{\text {Jup }}$ when adopting a scaling factor of 4.5 (larger factors lead to lower masses). Those estimates are well below the upper limits derived from Keck observations. If we take the dust disk mass estimates in Section 4.1 and assume a gas-to-dust mass ratio of 100 , the current disk mass is $\sim 3.8 M_{\text {Jup }}$. Taking into account the disk mass accreted onto the star ( $\sim 7.8 M_{\text {Jup }}$, assuming a constant mass accretion rate within the system age), the formation of those planets would make use of about $10 \%$ of the total initial disk mass. Thus, from the disk mass budget
perspective, this rough estimate suggests that planet-disk interaction is a plausible explanation for the observed gaps and rings in the 2 M 041240 disk.

The fact that one single planet can create multiple rings observable at millimeter wavelength in a low viscosity disk (e.g., Bae et al. 2017; Dong et al. 2017; Pérez et al. 2019) has made it challenging to predict the number of planets in a system; a simple allocation of one planet to one dust gap can be problematic. On the other hand, a wide cavity may host multiple planets (e.g., two giant planets detected within the cavity of PDS 70, Keppler et al. 2018; Haffert et al. 2019). Planet migration at an appropriate speed can also produce double-ring emission features (Meru et al. 2019), which can be tested with spectral index analysis by combining multiwavelength observations (Nazari et al. 2019). More recently, Kanagawa et al. (2021) further explored how a migrating planet affects dust-ring morphology in relatively low viscous disks ( $\alpha \sim 10^{-4}$ ) and found that the initial outer dust ring would gradually broaden and fade away with time if the planet migration timescale is shorter than the gap formation timescale (dust ring will not follow the planet's movement). Following the criterion proposed in Kanagawa et al. (2021), the B116 ring in the disk of 2 M 041240 might indicate the initial location of the migrating planet, while its present location is very uncertain, as it highly depends on many other disk properties, in particular disk viscosity.

Though current ground-based AO facilities are only sensitive to planets with a few Jupiter masses, JWST opens a new discovery space. To evaluate the prospects for detecting a putative planet in the disk of 2M041240 with JWST/NIRCam using a coronagraph, we simulate the observations using python package pynrc (Leisenring et al. 2022), consistent with the observational setup and results from Carter et al. (2022) and Girard et al. (2022). Considering the expected contrast between the planet and the star (plus the inner disk), F444W is the optimal band to search for a gas giant planet. In a 4000 s observation, the $5 \sigma$ contrast at $0!6$
from the star is $11 \mathrm{mag}\left(\sim 5 \times 10^{-5}\right)$. According to the Linder et al. (2019) models that are suitable for lower mass planets, this contrast corresponds to $\sim 0.6 M_{\text {Jup }}$ for a 5 Myr old planet (or $\sim 0.3 M_{\text {Jup }}$ for 2 Myr ), within the range where the inferred planet in the gap might be detectable. The contrast at $0!3$ would be 8 mag , corresponding to the brightness of a $3 M_{\text {Jup }}$ planet at 5 Myr , so the planet within the cavity is likely not detectable. Most ringed disks are 2-3 mag brighter in the F444W filter, which limits the sensitivity to planets less massive than Jupiter. Compared to many other disks with dust gaps and rings at tens of au radii, the dimmer stellar emission of 2M041240 makes it a promising target for JWST searches for Saturn-mass planets.

## 6. Summary

This paper presented new ALMA Band 6 observations of the disk around a low-mass star 2MASS J04124068+2438157. We applied parametric Gaussian models to characterize the dust emission morphology in the visibility plane and performed Keck AO observations to explore the cause of the observed disk substructures. Our main findings are summarized as follows:

1. With a spatial resolution of $\sim 50$ mas ( 8 au ), we detected a large dust cavity surrounded by a dust ring at 70 au , followed by another brighter and wider ring at 116 au. Both rings are quite narrow, with Gaussian widths of 5.6 and 8.5 au , respectively. The outer ring is narrower than the local pressure scale height, suggesting the presence of pressure bump that traps dust particles. Though the two dust rings are only detected at low significance (peak brightness of $6-8 \sigma$ ), the large surface area of emission makes it a normal bright disk for its spectral type. However, its dust disk size ( 126 au for $R_{90 \%}$ ) is much larger than disks with similar millimeter luminosity. The 2M041240 disk likely formed large and built the pressure bump at early times that sustained millimeter-sized grains at large radii.
2. We searched for possible young planets in the disk using Keck/NIRC2 high-contrast imaging observations at the $L^{\prime}$ band $(\sim 3.78 \mu \mathrm{~m})$ and did not identify any $5 \sigma$ signals. These observations constrain the potential planets below 2-6 $M_{\text {Jup }}$ outside $\sim 50$ au, and rule out any substellar mass companions outside $\sim 10$ au. Despite the nondetections, planet-disk interactions remain the most likely explanation for the observed gaps and rings, as we explored the possibilities of a few other mechanisms (including ice lines, dead zone, and photoevaporation wind). Based on the gap properties, we suggest the presence of an approximately Saturn-mass planet at $\sim 90 \mathrm{au}$, consistent with the constraints set by direct imaging observations.
3. Among the three targeted CO isotopologue lines, both ${ }^{12} \mathrm{CO}$ and ${ }^{13} \mathrm{CO}$ line emission is detected, though strongly affected by foreground cloud absorption. Both lines show deficits of emission in the inner disk, peaking inside the first dust ring. Compared with existing models, the cavity size difference between the CO gas and millimeter dust also points to an approximately Saturn-mass planet in the inner disk.

There are an increasing number of disks around low-mass stars that show dust substructures. Substructures are likely ubiquitous in all types of disks. M-dwarf disks with prominent gaps and rings provide favorable conditions for young planet
search. On one hand, the increased scale height in disks around lower mass stars requires higher planet-to-star mass ratios to open the gap. On the other hand, the fainter stellar emission allows us to probe lower mass planets for a given contrast. Future JWST observations can potentially detect the predicted $\sim$ Saturn-mass planet in the outer disk of 2M041240.
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Facilities: ALMA, Keck II (NIRC2).
Software: emcee (Foreman-Mackey et al. 2013), CASA (CASA Team et al. 2022), pynrc (Leisenring et al. 2022), VIP (Gomez Gonzalez et al. 2017).

## Appendix <br> CO Channel Maps

The channel maps for ${ }^{12} \mathrm{CO}$ and ${ }^{13} \mathrm{CO} J=2-1$ lines are shown in Figure A1. A Gaussian uv taper $\left(0!2 \times 0!^{\prime \prime} 18,-60^{\circ}\right)$ was applied in tclean to achieve a synthesized beam of $0!22 \times 0!21$ for a better visualization of the faint line emission. Line emission is detected within a velocity range of $5-8 \mathrm{~km} \mathrm{~s}^{-1}$, where the central channels are contaminated by the foreground cloud. For ${ }^{12} \mathrm{CO}$, the blueshifted velocity channels are also heavily contaminated.

As the ${ }^{13} \mathrm{CO}$ is less affected by nearby clouds, we use its velocity field to roughly assess the mass of the central star. Figure A2 shows the position-velocity diagram of the ${ }^{13} \mathrm{CO}$ emission, derived along the disk major axis (PA of $122^{\circ} .7$ ) with a width = ' 1.5 arcsec' ' in CASA task impv. With the lack of emission at high-velocity channels, it is difficult to determine the stellar dynamical mass in high precision. Based on current observations, any value from 0.25 to $0.4 M_{\odot}$ is reasonable.


Figure A1. The channel maps for line emission of ${ }^{12} \mathrm{CO}$ (upper) and ${ }^{13} \mathrm{CO}$ (lower) $J=2-1$ in the 2 M 041240 disk. The line central channels (around $7 \mathrm{~km} \mathrm{~s}{ }^{-1}$ ) are affected by foreground cloud contamination. The beam size is shown in the left corner of the first lower panel.


Figure A2．The position－velocity diagram of ${ }^{13} \mathrm{CO}$ emission along the disk major axis．Keplerian rotation models around a central star of 0.4 and $0.25 M_{\odot}$ are shown as white and gray curves，respectively．The shaded regions indicate the effect of disk inclination angle $\left( \pm 2^{\circ}\right)$ ．

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[^0]:    ${ }^{32}$ The stellar parameters adopted for this paper were based on measurements from the literature. In Y. Shi et al. (2023, in preparation), we are reevaluating the stellar properties with a new spectral analysis and measure a spectral type of M4.3, which, if adopted here, would decrease the $50 \%$ spotted mass to $0.30 M_{\odot}$. The main results from this paper are unchanged.

[^1]:    $\overline{33}$ The Gaussian uv tapers are $0!!04 \times 0!{ }^{\prime \prime} 0\left(\mathrm{PA}=-50^{\circ}\right)$ and $0!08 \times 0!^{\prime \prime} 04$ $\left(\mathrm{PA}=-65^{\circ}\right)$ for images with 60 and 120 mas resolution, respectively.

[^2]:    $34 \mathrm{https}: / /$ github.com/jluastro/nirc2_distortion/wiki

[^3]:    ${ }^{35}$ We note that other approaches, for example, the rank-normalized split-R diagnostic (Vehtari et al. 2021), have been suggested to check the MCMC convergence.
    ${ }^{36}$ Here we adopt the widely used dust temperature of 20 K , but disks around lower mass stars could be cooler. Dust mass will be higher by $\sim 50 \%$ if assuming 15 K .
    ${ }^{37}$ This is a reasonable assumption based on the dust fragmentation barrier (see Equation (8) in Pinilla et al. 2020). A large source of uncertainty in dust opacity also relies on the unknown properties of grain composition.

[^4]:    ${ }^{38}$ Radial profiles derived from moment 0 maps show similar variations.

[^5]:    ${ }^{39}$ If new measurements are only available at 0.89 mm , we scaled them to 1.3 mm using a spectral index of 2.2 (Andrews 2020).

[^6]:    ${ }^{40}$ Substructures have also been found in disks around brown dwarfs (e.g., ISO-Oph 2B, González-Ruilova et al. 2020).

[^7]:    ${ }^{41}$ A gas gap is opened if the disk satisfies the condition of $\frac{3}{4} \frac{H}{R_{H}}+\frac{50}{q R e} \lesssim 1$, where $H, R_{H}, q$, and $R e$ are disk scale height, planet Hill radiưs, planet-to-star mass ratio, and Reynolds number as $r_{p}{ }^{2} \Omega_{p} / \nu$, respectively.

