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Tunable plasmon-induced transparency and slow light in terahertz chipscale semiconductor plasmonic waveguides

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Tunable plasmon-induced transparency and slow light in terahertz chipscale semiconductor plasmonic waveguides

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15 Abstract: We numerically propose the plasmon-induced transparency (PIT) and slow light effect based on terahertz (THz) 16 chipscale plasmonic semiconductor-insulator-semiconductor (SIS) 17 waveguide system. Via the coupling between two stub resonators, 18 PIT is introduced due to the destructive interference, which can be 19 theoretically described by the transmission-line Method (TLM). 20 Meanwhile, the strong dispersion within the transparent window 21 will lead to the slow light effect. Via tuning the geometric 22 parameters, the profile of PIT as well as group delay line can be 23 arbitrarily tailored. Moreover, active control of both PIT and slow 24 light can be realized by changing the ambient temperature. 25 Especially, by integrating monolayer graphene into the structure, 26 PIT and slow light can also be electrically modulated via applying 27 voltage. This work provides geometrical, thermal and electrical 28 approaches to manipulate THz transmission and group delay in 29 subwavelength scale, and can find potential applications as filters, sensors, modulators and active optical delay lines in THz 30 ultracompact circuits. 31

Keywords: plasmonic waveguide, plasmon-induced transparency, terahertz, slow light, graphene

1. Introduction

Terahertz (THz) is at the region between microwave and optical frequency, and related technologies have not been widely explored due to a lack of lab-based sources until mid-1980s [1]. In recent decades, significant progress has been made in efficient and compact THz sources, which leads to great demand for THz devices [2-3]. Especially, THz on-chip integrated circuits have drawn more attention owing to the potential applications in communication, imaging and chipscale sensing [4-6]. As a basic component of chipscale systems, THz waveguides have also been focused [7]. Up to now, various THz waveguides have been introduced such as polymer waveguides [8-9], silicon waveguides [10-14] and metallic waveguides are restricted by the diffraction limit, therefore cannot meet the requirement of ultracompact circuits.

It is known that electromagnetic waves can propagate beyond the diffraction limit in the form of surface plasmon polaritons (SPPs) [17]. Generally, SPPs can exist on the dielectric-metal interface in optical and near-infrared frequencies, since waves within such frequencies can stimulate collective oscillations of electron plasma in the metal. However, metal will be a perfect

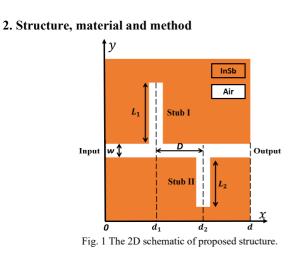


electric conductor for THz waves and cannot support THz SPPs. To mimic SPPs, THz spoof SPPs are introduced based on corrugated metal surfaces [18-21]. However, spoof plasmonic waveguides suffer from integration difficulty, as well as nonarbitrary length due to the periodic structures [22]. Recently, it has been reported that semiconductors, such as Indium Antimonide (InSb), can support SPPs in THz band due to the similar optical property in THz with that of metals in optical band [23-25]. Resembling infrared plasmonic metal-insulator-metal (MIM) waveguides, THz plasmonic semiconductor-insulatorsemiconductor (SIS) waveguides are also introduced [26]. SIS waveguides can deliver THz waves in deep-subwavelength scale, meanwhile possess flexible integration and easy fabrication, consequently are suitable for highly integrated THz circuits.

Recently, plasmon-induced transparency (PIT), an analogue of the electromagnetically induced transparency (EIT) in three-level atomic system, has drawn more attention due to promising photonic applications [27-28]. PIT can produce the transparent peak via the destructive interference between directly-excited (bright) and indirectly-excited (dark) modes, and slow light effect can happen within the transparent window due to the intense dispersion [29]. Up to now, PIT-based slow light effect has been widely proposed based on metamaterials [30-32] and chipscale system [33-37], which can play an important role in optical signal buffering and time-domain processing [38].

However, there are few works to investigate THz PIT-based slow light effect in SIS waveguide system up to now. Therefore, in this work, we numerically and systematically investigate PIT as well as slow light effect based on THz plasmonic SIS waveguide system. Utilizing two side-coupled stub resonators, PIT is realized, and the induced strong dispersion within the transparent window will bring about the slow light. Via tuning the length or position of stubs, the profile of PIT can be flexibly modulated, and the slow light is tailored at the same time. Especially, PIT as well as slow light can also be actively adjusted by the temperature due to the temperature-dependent optical properties of InSb. Furthermore, by integrating monolayer graphene in the system, PIT and slow light can also be dynamically tuned via applying voltage on graphene. This work realizes geometrical, thermal and electrical approaches to manipulate THz transmission and group delay in subwavelength scale, and can find potential THz on-chip applications as filters, sensors, modulators and active optical delay lines.





The proposed structure is shown in Fig. 1, including an input waveguide and two side-coupled stub microcavities. The geometric parameters are as follows: $w=50 \text{ }\mu\text{m}$, $L_1=280 \text{ }\mu\text{m}$, $L_2=240 \text{ }\mu\text{m}$, $d=600 \text{ }\mu\text{m}$, and $D=d_2-d_1$, which is the distance between two stubs. In practice, such structure can be fabricated by applying laser micro-machining process on InSb wafer [39], and the measurement can be fulfilled via THz time-domain spectrometers [23]. The permittivity of InSb can be described as follows [23, 40-42]:

$$\varepsilon_{lnSb} = \varepsilon_{\infty} - \frac{\omega_p^2}{\omega^2 + i\gamma\omega} \tag{1}$$

(2)

where ε_{∞} is the permittivity at infinite frequency, which is 15.68. ω is the angular frequency of the incident wave, γ represents damping constant, which is 0.1π THz. ω_p is the plasma frequency and is defined as follows:

$$\omega_n = \sqrt{Ne^2} / \varepsilon_0 m^*$$

here, *e* is the electronic charge, \mathcal{E}_0 is the permittivity of vacuum, and $m^* = 0.015m_e$, where m^* is the effective mass of free carriers, and m_e is the mass of electron, which is 9.1×10^{-31} kg. *N* is the intrinsic carrier density, which can be calculated by the following equation:

$$N = 5.76 \times 10^{20} T^{1.5} \exp(-0.26 / 2k_B T)$$
(3)

where k_B is the Boltzmann constant, and *T* is the temperature in Kelvin (K). Obviously, the plasma frequency of InSb can be influenced by temperature. The real and imaginary part of permittivity for InSb under different temperatures from 0.6 to 1 THz are depicted in Fig. 2(a) and (b), respectively. It is shown that higher temperature will make the real part of permittivity decline, while will increase the imaginary part.

Similar with MIM waveguides, SIS waveguides only support THz SPPs with transverse-magnetic (TM) mode. Besides, there is only fundamental TM mode because the width of waveguide *w* is much smaller than the incident wavelength [43]. The dispersion of the fundamental TM mode follows this equation [44]:

$$\frac{\varepsilon_i \sqrt{\beta^2 - \varepsilon_{insb} k_0^2}}{\varepsilon_{insb} \sqrt{\beta^2 - \varepsilon_i k_0^2}} + \tanh(\frac{w\sqrt{\beta^2 - \varepsilon_i k_0^2}}{2}) = 0$$
(4)

here, ε_i is the permittivity of insulator, $k_0 = 2\pi/\lambda_0$ is the wavevector in the free space. β is the wavevector of SPPs in SIS waveguides, and the effective refractive index is $n_{eff} = \beta/k_0$. The

calculated real and imaginary part of n_{eff} under different temperatures are shown in Fig. 2 (c) and (d), respectively. Apparently, SPPs in SIS waveguides possess a temperature-dependent optical property.

The monolayer graphene can be expressed by 2D surface conductivity model, the conductivity of which is $\sigma_{gra} = \sigma_{inter} + \sigma_{intra}$, where σ_{inter} and σ_{intra} are interband and intraband conductivity, respectively. In THz region, the conductivity of graphene is described by Kubo formula [45]:

$$\sigma_{gra} \approx \sigma_{intra}(\omega, E_F, \Gamma, T) = i \frac{e^2 k_B T}{\pi \hbar^2(\omega + i\Gamma)} \left[\frac{E_F}{k_B T} + 2ln(e^{-\frac{E_F}{k_B T}} + 1) \right] (5)$$

here, \hbar is the reduced Planck's constant, E_F is the Fermi level. $\Gamma = 1/\tau$ is the carrier scattering rate, where τ describes carrier relaxation time which is defined as $\tau = \mu E_F/ev_F^2$, and μ is the carrier mobility and v_F is the Fermi velocity. Here, we assign $\mu = 3000 \text{ cm}^2/V \cdot s$ and $v_F = 1.1 \times 10^6 \text{ m/s}$, which accord with the experimental measurements [46-47].

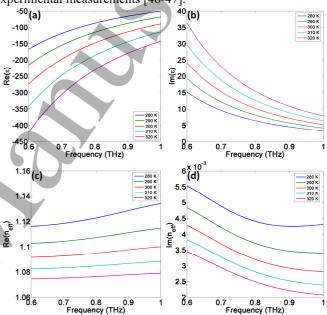


Fig. 2 (a) The real part of permittivity for InSb under different temperatures. (b) The imaginary part of permittivity for InSb under different temperatures. (c) The real part of effective refractive index under different temperatures. (d) The imaginary part of effective refractive index under different temperatures.

2D Lumerical Finite-Difference Time-Domain (FDTD) solution is utilized to do the simulation. In the domain of simulation, mesh sizes are both set as 1 μ m in *x*- and *y*-direction to maintain the accuracy, and perfectly matched layers (PMLs) are used as absorbing boundary conditions to ensure the convergence. Plane wave source with y-direction electric field is set at *x*= 0, and two power (*P*) monitors are placed at *x*= 0 and *x*= *d* respectively. The transmission is calculated by *T*= *P*_{out}/*P*_{in}.

3. Results and discussion

The numerical transmission spectrum for three different structures are shown in Fig. 3(a). Here, we firstly consider D=0 µm and the temperature *T* is kept as 300 K. When only single upper stub (stub I) exists, there is one transmission dip at 0.71 THz as shown in blue line in Fig. 3(c), and the corresponding |*H*| field distribution is given in Fig. 3(e). There will also be one dip at 0.81 THz if only single lower stub (stub II) exists as depicted in green

line, and the corresponding field distribution is shown in Fig. 3(g). Such stub microcavity can be regarded as a semi Fabry-Perot (F-P) resonator, and the resonant condition is as follows [48]:

$$2n+1-\frac{\varphi}{\pi})\lambda = 4\operatorname{Re}(n_{eff})L, \ n = 0,1...$$
(6)

where *n* is the mode order, which is an integer. φ is the phase shift caused by the reflection on the interface between insulator and InSb at the end of the stub. λ is the resonant wavelength, and *L* is the length of the stub. The field distributions indicate that for both cases, n=1.

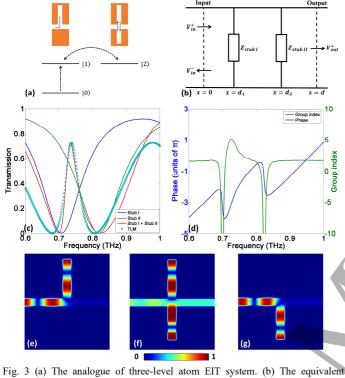


Fig. 3 (a) The analogue of three-level atom EIT system. (b) The equivalent transmission-line model. (c) The numerical transmission spectrum for three different cases: only stub I, only stub II as well as a combination of stub I and II, and the PIT transmission spectra from TLM. (d) The transmission phase shift and group delay line of the double stub system. (e) The $|\mathbf{H}|$ field distribution at 0.71 THz when there is only stub I. (f) The $|\mathbf{H}|$ field distribution at 0.73 THz when there are double stubs. (g) The $|\mathbf{H}|$ field distribution at 0.81 THz when there is only stub II.

When stub I and II are introduced simultaneously as shown in Fig. 1 when $D=0 \mu m$, PIT happens as presented in red line in Fig. 3(c). There is a transparent peak at 0.73 THz, which is PIT effect. Here, a single stub microcavity can be directly excited and serves as the bright mode, while F-P resonance can be formed between the two stubs, behaving as the dark mode in the PIT system [49]. Therefore, such system constructs an analogue of three-level atom system as shown in Fig. 3(a), and the transparent peak is induced via the destructive interference between bright and dark modes. The corresponding field distribution is shown in Fig. 3(f).

Considering that the width of SIS waveguide is much smaller than the THz wavelength and only single fundamental mode exist, such transmission spectrum of PIT can also be theoretically described by the transmission-line method (TLM), which is the photonic analogy of subwavelength waveguiding in electronics [50], and the equivalent transmission-line model is shown in Fig. 3(b). In this model, the electric and magnetic field of SPPs are analogized by the voltage V and current I, and the waveguide as well as stub resonators are characterized by the effective impedances Z. For the waveguide, which is the infinite transmission line, the corresponding effective impedance is as follows [51]:

$$Z_{SIS} \approx \frac{E_y w}{H_z} = \frac{\beta w}{\omega \varepsilon_0 \varepsilon_i}$$
(7)

here, ε_0 is the permittivity of vacuum, E_y and H_z are y-component electric field and z-component magnetic field of SPPs, respectively. For the stub resonator, which is a finite transmission line, the effective impedance is given by a Z_{SIS} terminated by a load Z_L :

$$Z_{stub n} = Z_{SIS} \frac{Z_L - iZ_{SIS} \tan(\beta L_n)}{Z_{SIS} - iZ_L \tan(\beta L_n)}, \quad n = I, II$$
(8)

where $Z_L = \sqrt{\varepsilon_{lnSb}/\varepsilon_i} Z_{SIS}$, accounting for damping and phase shift of SPPs caused by the reflection at the end of the stub. According to transfer matrix method [52], the input (at x=0) and output (at x=d) voltages are related as follows:

$$\begin{pmatrix} V_{in}^{+} \\ V_{in}^{-} \end{pmatrix} = T \begin{pmatrix} V_{out}^{+} \\ 0 \end{pmatrix}$$
(9)

where the transfer matrix T is described by:

$$\boldsymbol{T} = \boldsymbol{A}(d_1)\boldsymbol{B}(\boldsymbol{Z}_{stub \ I})\boldsymbol{A}(D)\boldsymbol{B}(\boldsymbol{Z}_{stub \ II})\boldsymbol{A}(d-d_2)$$
(10)

here, the transfer matrix A(x) refers to the SPP propagation in the waveguides, while the matrix B(stub) describes the coupling between backward- and forward-propagating SPPs induced by the effective impedance Z_{stub} . The detail expressions of A and B can be found in [51]. Finally, the transmission can be calculated by:

$$T = \left| \frac{V_{out}^{+}}{V_{in}^{+}} \right|^{2} = \left| (1 + \frac{Z_{SIS}}{2Z_{stub I}})(1 + \frac{Z_{SIS}}{2Z_{stub II}}) - \frac{Z_{SIS}^{2} \exp(2i\beta D)}{4Z_{stub I} Z_{stub II}} \right|^{-2} \exp(-\frac{d}{d_{spp}})$$
(11)

where $d_{spp} = \lambda_0 / (4\pi \operatorname{Im}(n_{eff}))$. The transmission spectra calculated from TLM with $D=0 \ \mu m$ is plotted in Fig. 3(a), showing a good fitting with numerical results.

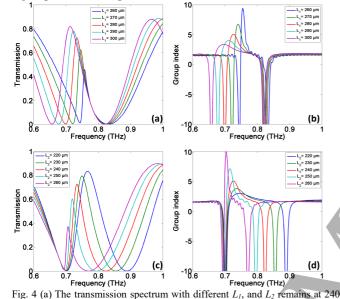
Meanwhile, such sharp peak indicates a strong dispersion within the transparent window, which will manipulate the transmission phase and lead to the slow light effect. The group delay of slow light can be assessed by the group index n_g [53]:

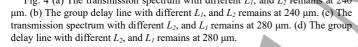
$$n_g = \frac{c}{d} \times \frac{d\psi(\omega)}{d\omega} \tag{12}$$

where *c* is the light speed, and *d* is the length of the device. $\psi(\omega)$ is the transmission phase shift and is provided in blue line in Fig. 3(d). The group index is illustrated in green line in Fig. 3(d), and there is a relatively higher group index 5.11 at the position of transparent peak, which indicates the emergence of group delay, i.e., the slow light effect.

The impacts brought by geometric parameters on PIT profile as well as group delay line are investigated. At first, the length of stub I L_1 is changed from 260 to 300 µm, while the length of stub II L_2 remains at 240 µm. The corresponding transmission spectrum in Fig. 4(a) show that, with the increasing L_1 , the transparent peak will have a red shift, the full width at half maximum (FWHM) of the peak will be wider, and the peak amplitude will rise. Such profile evolution comes from the change of resonant frequency detuning between the two coupled resonators. Meanwhile, as illustrated in Fig. 4(b), the position of group delay will follow the

peak. However, wider peak will lead to the decline of the group index within it, which is up to 9.45 when L_1 = 260 µm while only 3.40 when L_1 = 300 µm. This is because narrower peak will be sharper, consequently brings about a stronger dispersion within the transparent window [54]. Fig. 4(c) and (d) present the transmission spectrum as well as group index line when changing L_2 from 220 to 260 µm, while L_1 is kept as 280 µm. It is shown that longer L_2 will also lead to a red shift of peak, however, the peak will be narrower and lower. The induced behavior of group index is similar as depicted in Fig. 4(d), and the group index at the peak can reach 10 when L_2 = 260 µm. Therefore, the profile of PIT as well as group delay line can be tailored via changing the length of stubs. However, there is a trade-off between the transmittance and group index at the peak.





Besides, the influences of the distance *D* between the two stubs in the *x* direction are also studied. Here, L_1 and L_2 remain at 280 and 240 µm respectively, *T* is kept as 300 K, and *D* is varied from 0 to 50 µm. Fig. 5(a) shows that the amplitude of transparent peak will drop with increasing *D*, while the position of peak will remain unchanged. This is because SPPs will accumulate phase when propagating between the two stubs, which is described by $\phi = \omega n_{eff} D/c$. The phase match between the two coupled resonators will be modified, which in turn affects the interference process [55]. Notably, the second term of Eq. (11) also describes such interference process [51]. In the meantime, the group index at the peak position will also decline from 5.11 to 2.68 without any frequency shift. Therefore, the amplitude of PIT as well as slow light can be tailored via changing the distance between the two stubs.

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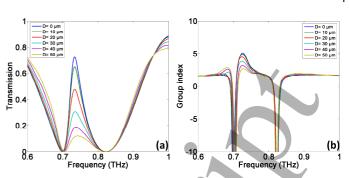


Fig. 5 (a) The transmission spectrum with different D. (b) The group delay line with different D.

Furthermore, we also investigate the relation between temperatures and PIT as well as slow light. Fig. 6(a) shows the transmission spectrum under different temperatures, L_1 and L_2 are kept at 280 and 240 µm, respectively, and D=0 µm. It is shown that the whole spectrum will have a blue shift with increasing temperature, and the profile of PIT is almost unchanged except for a little rise of the transparent peak. The shift is due to the decrease of Re(n_{eff}) of the fundamental mode, and the increasing peak attributes the decrease of Im(n_{eff}), which indicates lower loss. Simultaneously, the group index will also have a blue shift as given in Fig. 6(b). Since there is little change of PIT profile, the group index at the transparent peak is stable. Therefore, active control of the position of PIT as well as slow light can be realized via changing the ambient temperature.

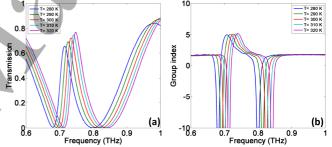


Fig. 6 (a) The transmission spectrum with different ambient temperatures. (b) The group delay line with different ambient temperatures.

Finally, a monolayer graphene is integrated into this system as shown in the inset of Fig. 7(a). Via applied voltage, the Fermi level of graphene can be actively tuned [56]. Here, L_1 and L_2 are still 280 and 240 μ m respectively, $D=0 \mu$ m, and T is kept at 300 K. The transmission spectrum under different Fermi levels of graphene are shown in Fig. 7(a), and the corresponding different group index are depicted in Fig. 7(b). It is shown that the increasing Fermi level, from 0.2 eV to 0.6 eV, will significantly suppress the transmission peak from 73% to 15%. The |H| field distributions at the transparent peak when there is no graphene, graphene with 0.3 eV and 0.6 eV are presented in Fig. 7(c-e) respectively, from which we can see that the energy is partly reflected as well as consumed on the interface of graphene, which attributes to the fact that graphene becomes more conductive with the rise of Fermi level, meanwhile more loss is also introduced on the graphene surface. Meanwhile, the group index within the peak can be lifted from 5.11 to 7.35 due to the modification of the dispersion within the transparent window, however, suffering a low transmission. Here, we just provide a proof of the concept for the active modulation of graphene in this structure. In practice, the

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SIS waveguide can be filled with low loss materials in THz such as silicon [57], and graphene can be embedded into it. Such graphene-loaded structure can be utilized as an active filter, modulator and spacer in THz chipscale system.

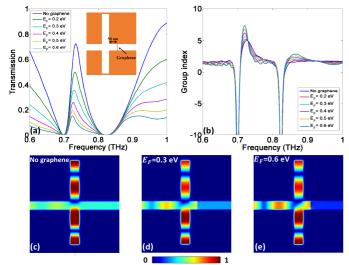


Fig. 7(a) The transmission spectrum under different Fermi levels of graphene. The graphene-embedded system is shown in the inset. (b) The group delay line under different Fermi levels of graphene. (c) The |H| field distribution at 0.71 THz when there is no graphene. (d) The |H| field distribution at 0.71 THz when Fermi level of graphene is 0.3 eV. (e) The $|\mathbf{H}|$ field distribution at 0.71 THz when Fermi level of graphene is 0.6 eV.

4. Conclusion

In summary, we numerically propose the slow light tailor based on the THz plasmonic SIS waveguide system. Utilizing two simple stub resonators, PIT is introduced to realize the group delay within the transparent window. Via tuning the geometric parameters, the PIT profile as well as group delay line can be adjusted at will. Besides, the position of PIT as well as slow light can be actively controlled by the ambient temperature. Furthermore, by embedding monolayer graphene into the waveguide, the applied voltage can be utilized to modulate the amplitude of the transparent peak. This work introduces geometrical, thermal and electrical control of THz transmission and group delay in subwavelength scale and have potential applications in THz highly integrated circuits such as filters, sensors, modulators and active optical delay lines.

Acknowledgments

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Conflicts of Interest

The authors declare no conflict of interest.

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