

# Inter-channel Interference in Non-linear Frequency-division Multiplexed Networks on Fibre Links with Lumped Amplification

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There has been some interest in the Non-linear Frequency-Division Multiplexing (NFDM) in optical fibre communication systems, because it promises interference-free or weak-interference between channels in an optical routed network [1]. NFDM scheme uses Non-linear Fourier Transform (NFT) to bring a time-domain signal into the non-linear frequency domain (NFD), where the spectra evolve in a linear manner during signal propagation in the fibre channel. The successful application of NFT relies heavily on the ‘‘channel’s integrability’’ that is only fulfilled by an ideal distribution-Raman amplification. However, most of the optical fibre links are amplified by Erbium-doped fibre amplifiers (EDFAs). The impact of the non-integrability in NFDM networks is unclear. In such a network, one key device is the Non-linear Add-drop Multiplexer (NADM) that adds or drops channels in the NFD [2]. Simulating such device that processes many channels simultaneously is still difficult due to a high complexity and inaccuracy of the current INFT-NFT algorithm. To get around this difficulty, we adopt a different approach to estimate the inter-channel interference (ICI) in NFDM networks.

The optical fibre channel model of concern is a multi-span dual-polarisation (DP) dispersion unmanaged fibre link, which can be described by the Manakov equation as in (1)

$$\frac{\partial \vec{Q}}{\partial z} + \frac{\alpha}{2} \vec{Q} + \frac{j\beta_2}{2} \frac{\partial^2 \vec{Q}}{\partial t^2} - j\frac{8}{9} \gamma \vec{Q} \|\vec{Q}\|^2 = 0, \quad (1) \quad \frac{\partial \vec{Q}_{pa}}{\partial z} + \frac{j\beta_2}{2} \frac{\partial^2 \vec{Q}_{pa}}{\partial t^2} - j\frac{8}{9} \gamma_a \vec{Q}_{pa} \|\vec{Q}_{pa}\|^2 = 0. \quad (2)$$

where  $\vec{Q}(t, z) = [Q_1(t, z) \ Q_2(t, z)]$  is the complex envelope of the DP-signal as a function of time  $t$  and distance  $z$  along the fibre. Other parameters are listed in the table in Fig. 1. To apply NFT, we approximate (1) with the so-called path-averaged Manakov equation as written in (2), where  $\gamma_a = \gamma(1 - e^{-\alpha L_{sp}})/(\alpha L_{sp})$ . After each EDFA at  $z = ML_{sp}$ ,  $M = 1, 2, \dots, N_{sp}$ ,  $\vec{Q}_{pa}(t, z)$  approximates  $\vec{Q}(t, z)$  with small error. We first clarify the concepts of different digital back-propagation (DBP) schemes, as DBP is the main tool in our estimation. The single-channel DBP (SC-DBP) refers to the process of filtering the channel of interest (COI) and solving (1) to recover  $\vec{Q}(0, t)$  (input) from the filtered boundary condition  $\vec{Q}(z, t)$  (output), using SSFM with fine step size (0.1 km). The EDFAs are replaced with attenuators of the opposite gain. The path-averaged DBP (PA-DBP) refers to the process of solving (2) to recover  $\vec{Q}(0, t)$  from the boundary condition  $\vec{Q}(z, t)$ , using SSFM with fine step size (0.1 km). We compare two noiseless Wavelength-Division Multiplexed (WDM) systems illustrated in Fig. 1(a)(b) using DP 32-QAM Nyquist signal of 50 GHz bandwidth with equalisation: 1) full-band PA-DBP followed by matched filter, 2) matched filter followed by SC-DBP. In single-channel scenario, if viewed as an equalisation scheme, the combination of NFT, back-rotation in the NFD, and INFT is somewhat equivalent to the PA-DBP. Therefore, we consider the residual distortion in the system of Fig. 1(a) as a rough estimate of the ICI in NFDM networks.

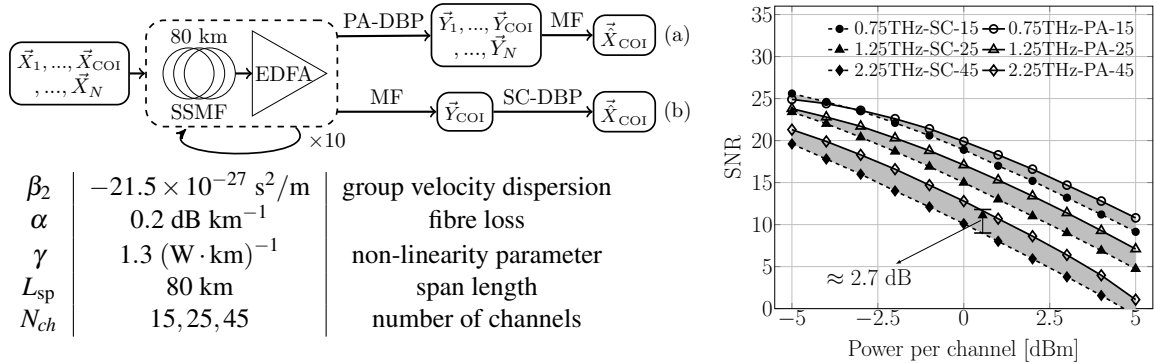


Fig. 1. (a)(b) Simulation diagram of noiseless non-integrable models. MF for matched filter. (c) Residual distortion of SC-DBP (In the legend preceded by total bandwidth and followed by number of channels) and PA-DBP systems.

The estimated ICI in NFDM is weaker than ICI in WDM with SC-DBP when  $N_{ch}$  is larger than 25.

## References

1. M. I. Yousefi et al., ‘‘Linear and nonlinear frequency-division multiplexing,’’ in *ECOC*, Sept 2016.
2. M. I. Yousefi et al., ‘‘Linear and nonlinear frequency-division multiplexing,’’ arXiv:1603.04389v3, May 2016.