Transient Flow Modelling of Start-up CO₂ Injection into Highly-depleted Oil/Gas Fields

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Abstract— Carbon Capture and Storage (CCS) represent a promising technology in mitigating global warming challenges. In this study, we developed a model for the numerical simulation of the highly transient phenomena taking place in a wellbore during start-up CO₂ injection operations. The basic conservation equations a Homogeneous Equilibrium Mixture (HEM) model are considered in the tubing. The wall friction factor and heat transfer coefficient between the fluid and the surrounding formation are also taken into account. The simulation results obtained show a significant drop in pressure and temperature at the wellhead during CO₂ start-up injection. This is a serious safety concern and poses several risks, including hydrate and ice formation with interstitial water around the wellbore and thermal shocking of the wellbore casing steel and thus in response, ways of minimising its occurrence are recommended.

Index Terms—depleted oil/gas reservoir, carbon storage, modelling, start-up injection, transient flow

I. INTRODUCTION

Beginning with the term "carbon problem" which refers to the ongoing increase in the atmospheric concentrations of the greenhouse gas carbon dioxide (CO2) observed over the last two centuries. This increase is said to be driven mainly by anthropogenic emissions that are associated with combustion of fossil fuels such as coal as well as emissions from industrial sources such as cement manufacturing, ceramics etc. Different techniques are employed in a quest to providing a solution to the continuous global temperature rise caused by the emission of greenhouse gases of which (CO₂) is a major contributor. In the absence of a drastic reduction in the use of fossil fuels, Carbon Capture and Storage (CCS) involving the capture of CO₂ from the various power and industrial emission sources followed by its transportation using high pressure transmission pipelines for subsequent storage represents the promising technology in mitigating global warming challenges. Highly-depleted oil/gas fields represent prime potential targets for large-scale storage of captured CO₂ emitted from industrial sources and fossil-fuel power plants, due to their ability to retain petroleum/gas for millions of years.

The latest conclusions from the Intergovernmental Panel on Climate Change (IPCC) are that warming of the climate system is unequivocal and that increases in greenhouse gases, (including CO_2) in the atmosphere have been accompanied by

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warming of the atmosphere and oceans, reducing snow and ice, ocean acidification and sea level rise [1]. The IPCC earlier stated that there is an immediate need for implementation of various actions to reduce CO_2 emissions to mitigate these changes, including increased energy supply from renewable and nuclear sources, increased energy efficiency and moving to fossil-fuel based power with carbon capture and storage [2], [3].

Recently, about 198 Nations met in Paris for the global climate change summit and agreed on a global temperature control regulation called "Paris Agreement" [4], [5]. The Global Energy Perspective (GEP) forecasts that the continuous increase in the world population means that world primary energy demand will also increase per year [6].

The increasing demand in the world primary energy will then lead to higher usage of fossil fuel sources and increased greenhouse emissions. However, efforts are being coordinated globally to enhance the use of non-fossil energy sources such as biomass, wind, solar collectors etc. to reduce the dependence on fossil sources. Global energy summits are held annually in order to find solutions to the challenge posed by greenhouse effect. This has raised the level of alertness and the need to reduce greenhouse emissions globally. The International Energy Agency (IEA) forecasts that there will be up to 1.5% increase per year in the world primary energy demand between now and 2050 just over 12,000 million tons (Mt) of oil equivalent to 16,800 Mt an overall increase of 40% [6].

The UK is expected to cut its greenhouse gas emissions by 61% below 1990 levels during its fifth carbon budget period from 2028 to 2032, says the Committee on Climate Change (CCC). As can be seen in Fig. 1, the projected net CO_2 emission plan by the Department of Energy and Climate Change is below 200 Mega tons CO_2 annually by 2050.

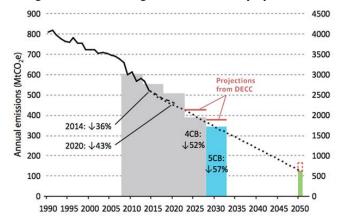


Fig. 1: The CCC recommended UK carbon budgets and the UK's 2050 target (based on DECC 2015 final UK greenhouse gas emissions national statistics)

Geological storage of CO₂ is aimed to play an important

role in mitigating greenhouse gas emissions. For a realistic CO_2 start up injection process, according to [7], the "flow behaviour of CO_2 at start-up injection and within the injection well during geological storage is of interest for two main reasons".

(1) That the difference between the wellhead pressure and the incoming CO_2 stream pressure, as well as the difference between the bottom-hole and reservoir pressure is the key driving force for injection.

(2) Flow behaviour determines the temperature at which CO_2 flows into the reservoir. It therefore introduces a thermal aspect to the reservoir fluid migration process, because many fluid properties, such as viscosity and density, are strong functions of temperature [7] – [9].

Investigation of the flow of CO₂ in wellbores was first studied for oil and gas problems, specifically for enhanced oil recovery in 1982 [10]. The authors adopted a simplified flow model based on an approximate thermodynamic treatment. Reference [10] presented a study on CO₂ flow in wellbores, in which they used a simplified scheme to deal with a quasi-steady flow problem. Recently, [8], [11] - [14] have further studied the wellbore flow of pure CO₂, or its mixtures, for geological storage. More sophisticated thermodynamic models and numerical schemes e.g. [15], [16] are developed to study CO₂ wellbore flows in relation to CO₂ sequestration in geological formations. However, they are concerned with the steady-state flow pattern which partly or fully neglects the transient effects during start up injection. While the steady flow model is a good approximation for wellbore flow behaviour over time scales of months to years, it is inappropriate when the flow is in a significantly unsteady state [17].

Despite the uncertainty and complexity involved in the modelling of transient flow during CO₂ start up injection, recent works have modelled the process without special considering for transient changes during start up injection. For example, [19] - [21] developed transient flow models with little or no consideration for the transient changes during start-up injection. This study accounts for detailed consideration of CO₂ stream behaviour during start-up injection and analysis of wellhead pressure and temperature profiles. It is focused on developing economically viable techniques for geological sequestration and models describing the same. As CO₂ is injected into the formation, depending on the pressure difference between incoming fluid and wellhead pressure the CO2 undergo drastic expansion and the temperature drops. This can induce icing and hydrates formation. Transient flow occurs during CO₂ injection due to pressure difference between the incoming supercritical CO₂ and the wellbore resulting to sudden changes in pressure, density and temperature of the incoming CO₂ which may lead to:

(i) Formation of ice at low temperature and pressure resulting to possible blockage of injector outlet,

(ii) Formation of hydrate as CO₂ is mixed with water at low temperature and pressure,

(iii) Fracture of pipe casing due to thermal stress and tension at low temperatures.

Hence, developing a transient flow model capable of predicting the pressure and temperature profile during start up

injection is important for the development of best practice guidelines for injecting CO₂.

II. DEVELOPMENT OF TRANSIENT FLOW MODEL

As pointed out above, the behaviour of CO_2 during well injection operations is strongly dependent on the CO_2 injection rate, injection temperature, and well configuration. Various demonstration projects have different parameters that influence the well transient behaviour. A problem facing these projects is that while the analysis suggests a cooling effect, it remains unclear which parameter is the primary cause and whether this cooling effect can be predicted simply. First, when CO_2 approaches the supercritical state (31.1 °C, 73.8 bar), which is likely to occur somewhere along the wellbore, sharp changes in the properties of CO_2 are induced. These can render a model unstable.

In this study, beginning with the influence of various parameters on transient CO_2 start-up injection operations is investigated using the design of wells in the Goldeneye CCS Project as a case study. The conservation equations for mass, momentum and energy balances follow the downward fluid flow direction in the tubing are employed. This study modelled the transient flow behaviour of CO_2 during start-up injection by developing and verifying a transient flow model for the injection of CO_2 . The model's efficacy is demonstrated by applying it to a real system as a test case. The findings are employed to predict optimum CO_2 start-up injection strategy. The modified Peng-Robinson [22], [23] equation of state is employed to provide the pertinent fluid property data. Fluid/wall friction and heat transfer effects are incorporated into the model as source terms.

The development of a transient flow model for CO_2 geological sequestration comprises three major steps:

1. Formulating the basic governing equations of the flow, thermodynamics, flow-dependent closure equations and the initial and boundary conditions.

2. Selecting and implementing an efficient and accurate method that resolves or simplifies the model equations (such as method of characteristics or finite volume methods).

3. In the case where experimental data is available, validating the model against such available field or experimental data.

However, in the absence of experimental data, the model's efficacy can be tested using input data of a real system and performing sensitivity parametric studies.

Fig. 2 shows a schematic flow diagram of an injection tube. A control volume of a section of the tube is considered for analysis and derivation of model governing equations.

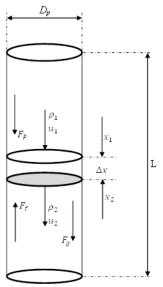


Fig. 2: Schematic representation of a control volume within a vertical pipe and the forces acting on it

Where F_p , F_f , F_g , ρ and u are pressure force, frictional force, gravitational force, fluid density and velocity respectively. L, D_p and Δx are well depth, diameter and differential control volume.

This study considers a purely vertical injection tube only hence, pipe inclination is unaccounted for. The following simplified assumptions are applied:

- One-dimensional flow in the pipe
- Homogeneous equilibrium fluid flow
- Negligible fluid structure interaction through vibrations
- Constant cross section area of pipe

The assumption of homogeneous equilibrium flow means that all phases are at mechanical and thermal equilibrium (i.e. phases are flowing with same velocity and temperature) hence the three conservation equations should be applied for the fluid mixture. Although, in practice usually the vapour phase travels faster than the liquid phase, the HEM model has been investigated proven to have an acceptable accuracy in many practical applications.

The mass, momentum, and energy conservation equations for a homogeneous two-phase flow model in a pipeline are rewritten in a differential form for numerical solution scheme [24] - [27] respectively as:

Mass conservation

$$\frac{\partial \rho_m}{\partial t} + \frac{\partial \rho_m u_m}{\partial x} = 0 \tag{1}$$

Momentum conservation

$$\frac{\partial \rho_m u_m}{\partial t} + \frac{\partial}{\partial x} \left(\rho_m u_m^2 \right) + \frac{\partial P}{\partial x} = \frac{f_w \rho_m u_m^2}{D_p} - \rho_m g \sin \theta$$
⁽²⁾

Energy conservation

$$\frac{\partial E}{\partial t} + \frac{\partial u_m(E+P)}{\partial x} = \frac{f_W \rho_m u_m^3}{D_p} - \rho_m u_m g \sin \theta + \frac{Q}{\pi r_W^2}$$
(3)

where ρ_m , u_m , P, D_p , r_w , g, θ is mixture density, mixture velocity, pressure, wellbore diameter, wellbore inner radius, wall friction coefficient, gravity and inclination angle of the

wall respectively. The subscripts m and w denote mixture and pipe wall.

The wall friction between the fluid and pipe wall is described by the friction factor for pipes with rough walls f_w , is defined by Chen's correlation [28]:

$$\frac{1}{\sqrt{f_w}} = -2\log\left[\frac{\varepsilon/D_p}{3.7065} - \frac{5.0452}{Re}\log\left(\frac{1}{2.8257}\left(\frac{\varepsilon}{D_p}\right)^{1.1098} + \frac{5.8506}{Re^{0.8981}}\right)\right]$$
(4)

Q is the heat exchange between the fluid and its surrounding wall and formation.

$$Q = \frac{4}{D_{eq}} h_f \left(T_w - T_f \right) \tag{5}$$

where the wellbore equivalent diameter is given as

6)

$$D_{eq} = \sqrt{\frac{4A}{\pi}}$$

E in (3) represents the total mixture energy defined as:

$$E = \rho_m \left(e + \frac{1}{2} u_m^2 \right) \tag{7}$$

The modified Peng-Robinson equation of state is given by [22] and [24] is applied using a reference data base REFPROP [29] incorporated with the model.

III. NUMERICAL SOLUTION METHOD

In this study, an effective model based on the Finite Volume Method (FVM), incorporating a conservative Godunov type finite-difference scheme [30] – [32] is used. The FVM is well-established and thoroughly validated CFD technique. In essence, the methodology involves the integration of the fluid flow equations over the entire control volumes of the solution domain and then accurate calculation of the fluxes through the boundaries of the computed cells.

For the purpose of numerical solution of the governing equations they are written in a vector form [33]:

$$\frac{\partial \vec{Q}}{\partial t} + \frac{\partial f}{\partial z} = \vec{S}, \qquad (8)$$
where
$$\vec{Q} = (\rho, \rho u, \rho e)^{T},$$

$$\vec{f} = (\rho u, (\rho u^{2} + P), u(\rho u e + \rho u^{2} + P))^{T}$$

$$\vec{S} = (S^{m}, S^{mom}, S^{e})^{T} \qquad (9)$$

$$\vec{Q} = \vec{f} + \vec{S}$$

Q, f and S are the vectors of conserved variables, fluxes and source terms respectively. The source terms S^m, S^{mom} and S^e describe the effects of mass, momentum and heat exchange between the fluid and its surrounding respectively, as well as friction and heat exchange at the pipe wall.

The governing equations (9) form a set of quasi-linear hyperbolic equations, provided that they have distinct and real eigenvalues. Equations of such kind can be solved numerically using methods developed in computational gas dynamics [33], [34]. One of these methods is the finite volume method largely used for computation of transient compressible flows.

Applying the widely used and validated finite volume

methodology, the spatial domain is discretised into a finite number of cells (control volumes or grid cells) and keeping track of an approximation of the integral of the flux over these volumes. In each time step the approximation of the flux through the endpoints of the interval is updated.

Denote the *i*-th grid cell by

$$C_i = (x_{i-1/2}, x_{i+1/2})$$
(10)

as shown in Fig. 4. The value Q_i^n will approximate the average value over the *i*-th interval at time t_n :

$$Q_{i}^{n} \approx \frac{1}{\Delta x} \int_{x_{i-1/2}}^{x_{i+1/2}} q(x, t_{n}) dx \equiv \frac{1}{\Delta x} \int_{C_{i}}^{C_{n}} q(x, t_{n}) dx$$
(11)

where $\Delta x = x_{i+1/2} - x_{i-1/2}$ is the length of the cell.

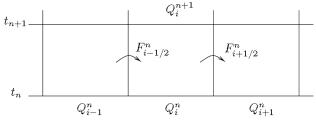


Fig. 4: Cell variables and inter-cell fluxes in finite-volume discretisation of the special and time domains.

Then conservation equations are integrated over a control volume as can be seen in Fig. 4 to transform the differential equations to a finite set of algebraic equations. Integrating and rearranging (11) gives:

$$Q_i^{n+1} = Q_i^n - \frac{\Delta t}{\Delta x} \left(F_{i+1/2}^n - F_{i-1/2}^n \right)_{(12)}$$

where $F_{i-1/2}^{n}$ is the approximation to the average flux along $\Delta x = x_{i-1/2}$. Rewriting (12) becomes:

$$\frac{Q_i^{n+1} - Q_i^n}{\Delta t} + \frac{F_{i+1/2}^n - F_{i-1/2}^n}{\Delta x} = S_i$$
(13)

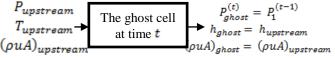
where Q_i^n is an average value for a piece wise constant with various subdomain in each cell for the i-th control volume, the n-th time step. Equation (13) uses explicit time integration scheme.

Boundary Conditions

Setting appropriate boundary conditions at the top and bottom of the well is important given that in practice a finite set of grid cells are covering the computational domain. This means that, the first and last cells will not have the required neighbouring information on the left and right end respectively. In order to close the flow equations, relevant boundary conditions are added using a *ghost cell* at either end of the well.

At the top of the well

At the wellhead, the pressure, enthalpy and mass flowrate in the ghost cell will equate the pressure in the first computational cell at time $t - \Delta t$. This is in line with the analysis of time-dependent boundary conditions for subsonic inflows [38, 39].



At the bottom of the well

At the bottomhole, an empirical pressure-flow relationship derived from reservoir properties [20, 40] is employed:

$$\tilde{A} + \tilde{B} \times M + \tilde{C} \times M^2 = P_{BHF}^2 - P_{res}^2$$
(14)
where

A is the minimum pressure required for the flow to start from the well into the reservoir,

 $\tilde{B}_{\text{and}}\tilde{C}_{\text{are site-specific dimensional constants,}}$

 M is the instantaneous mass flow rate at the bottomhole,

 P_{BHF}^2 is the instantaneous bottomhole pressure, and P_{P}^2

 P_{res}^2 is the reservoir static pressure.

Unlike [21] that used a standard linear relationship called *"injectivity index"* in describing the relationship between the reservoir and the bottom of the well. Equation (14) represents a more sophisticated condition than a standard, linear relationship between the bottomhole pressure and the flow rate given by an injectivity index.

IV. RESULTS

The model results obtained showed the impact of CO₂ start-up injection operations on wellhead pressure and temperature, and the consequent flow of the CO₂ stream down the injection well. In a real CCS project however, the transient behaviour of CO₂ during well start-up will be observed based on the differences in wellbore depth, the injection flow rate, the injection pressure, the reservoir pressure, and the injection temperature. The start-up CO₂ injection analysis is vital to predicting an optimum injection strategy for large-scale CO₂ sequestration. The process of injecting CO_2 with higher pressure into a well with lower pressure at the wellhead is similar to the expansion of a real gas which is released from a high pressure region to a low pressure region. Such process is characterised by an inevitable cooling of the gas upon entering the lower pressure domain and it is called the Joule-Thomson cooling effect.

The model input parameters were based on the Goldeneye CCS project injection well conditions are summarised in Table I [35]. Based on the simulation results obtained, the temperature, pressure and density profiles of CO_2 in the tubing at different depth and times are presented in Figures below.

TABLE I: GOLDENEYE INJECTION WELL AND CO₂ INLET CONDITIONS [35]

Input parameter	Value
Wellhead pressure, bar	36.5
Wellhead temperature, K	280
Bottom-hole pressure, bar	82
Bottom-hole temperature, K	296
Well depth, m	2500
CO ₂ injection rate, kg/s	38
Injection tube diameter, m	0.125
CO ₂ inlet pressure, bar	50
CO ₂ inlet temperature, K	277

The wellhead pressure was maintained at 36.5 bar, and the wellhead temperature reached a thermal equilibrium with its surroundings at 7 °C. The hydrostatic pressure condition is the differential factor between the variations in wellhead pressure and bottom-hole pressure. It is likely that with relatively low reservoir pressure at an injection well, the wellhead pressure at start-up injection may be less than the corresponding saturation pressure at the ambient temperature. As a result of the lower pressure condition at the wellhead, more gaseous CO_2 is present near the wellhead in the tubing during well start-up injection.

As can be seen in Fig. 5, the bottom-hole pressure gradually increased from the reservoir static pressure (82 bar) to about 110 bar after well start-up for 100 seconds. This means that the hole-bottom pressure increases with time as more CO_2 is injected into the well resulting to a corresponding increase in the wellhead pressure due to hydrostatic conditions.

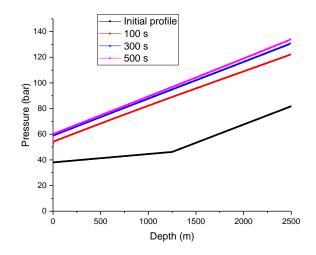


Fig. 5: Wellbore pressure profiles of CO2 stream at different simulation times

As shown in Fig. 6, the temperature at the wellhead (at 0 m depth) dropped significantly within the first 100 sec due to the Joule-Thomson cooling effect of the expanding CO_2 . Notably, there is a continuous decrease in temperature at the reservoir end from 296 K to 286, 282.5 and 281 K after 100, 300 and 500 sec respectively. This decrease can be attributed to the heat exchange between the surrounding formation and the incoming CO_2 stream.

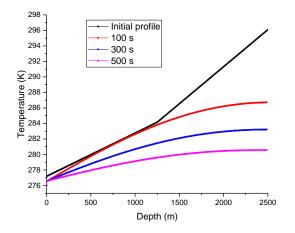


Fig. 6: Wellbore temperature profiles of CO₂ stream at different simulation times

However, as CO_2 pressure increases along the wellbore (see Fig. 5 pressure profile) it tends to get colder and denser with such increasing pressure (see Fig. 6 temperature profile), as heat is lost to the surrounding formation and then the temperature drops as it approaches the reservoir end.

The density profile in Fig. 7 shows a clearer description of the CO₂ stream behaviour going down the injection well. The profiles of t after 5 and 20 seconds of simulation show a sudden decrease at about 400 m and later increases at about 1200 m down the injection well which likely corresponds to a possible phase transition. The CO₂ density rises significantly with well depth showing the presence highly dense CO₂ stream composition down the well. Fig. 8 shows CO₂ phase diagram for density profile of various regions where the liquid region has higher densities followed by the supercritical region. At higher densities above 900 kg/m³ and temperatures above 273 K the CO₂ stream is likely to be in the supercritical or liquid phase.

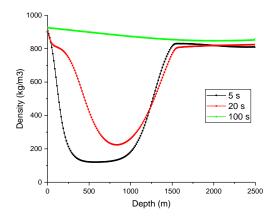


Fig. 7: Wellbore density profiles of CO₂ stream at different simulation times

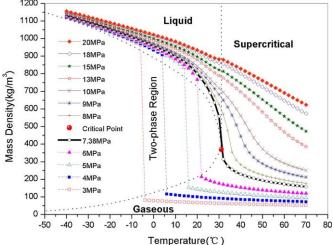


Fig. 8: CO₂ phase diagram showing densities at different regions [36]

The pressure profile in Fig. 9 shows a sharp depressurisation at the start of injection due to the pressure difference between the incoming CO_2 and the wellhead pressure. The incoming CO_2 (at 50 bar) expands upon arriving at the wellhead with lower pressure (at 36.5 bar) attaining a record low pressure within the first 10 to 50 seconds. After which the pressure starts building up due to the hydrostatic condition and possible minimal frictional losses encountered by the fluid. The start-up injection test case at the wellhead showed a significantly low pressure was near 30 bar from the initial inlet pressure of 50 bar. The expanding

gaseous CO₂ at the wellhead and the corresponding frictional losses along the wellbore greatly impacted on the pressure profile.

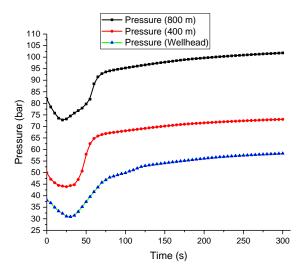
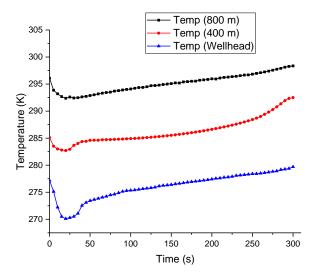
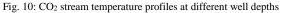


Fig. 9: CO₂ stream pressure profiles at different well depths

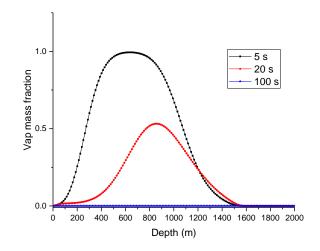
The temperature profile also follows a similar pattern like that of the pressure as can be seen in Fig. 10. However, greater temperature drop is predicted at the wellhead where the CO₂ stream experienced a drastic expansion upon arriving at a lower pressure region. Such expansion is accompanied by a significant temperature drop induced by Joule-Thomson cooling effect on an expanding gas as the dense-phase CO₂ enters the injection well. Hence, the most significant cooling takes place at and near the wellhead during start-up operations compared with 400 and 800 m down the well. Notably, the results show a possibility of massive drop in temperature below the freezing point of water (i.e. 273 K) which poses serious safety concerns for large-scale CO₂ sequestration projects. The presence of interstitial water molecules in the wellbore that come in contact with the injected CO2 may form hydrates or ice which could block the injector inlet and cause severe operational challenges.





Notably in Fig. 11, the vapour mass fraction over time shows CO_2 expansion upon arriving at the wellhead indicated by a rise in vapour mass fraction followed by a rapid drop as more fluid is injected. Such expansion is followed by rapid cooling which reduces the vapour composition quickly and

this behaviour agrees with the previous observation of rapid temperature drop at the wellhead. The vapour fraction profile after 20 sec of simulation shows lower vapour composition in the CO_2 stream compared with the profile after 5 sec of simulation. However, it is noteworthy that the vapour mass fraction from wellhead to reservoir after 100 sec of simulation is constant at zero. This means that after 100 sec of simulation the CO_2 stream pressure and temperature reaches supercritical dense phase where the vapour phase totally disappears.





The simulation results of the current model show trends similar to those published in literature. Reference [20] used OLGA (OLGA 7 User manual, 2010) software for wellbore dynamics to predict the decrease in pressure and temperature of CO_2 at the wellhead, as well as CO_2 phase behaviour in the wellbore during well transient operation.

As can be seen in Fig. 12, the wellhead pressure profile of the current simulation shows very similar trend with the profile obtained by [20]. Both results show an initial depressurisation from the inlet pressure (50 bar) to a value below the wellhead pressure (36.5 bar) before increasing due to continuous injection and hydrostatic pressure build-up from the bottom-hole.

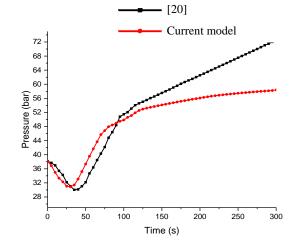
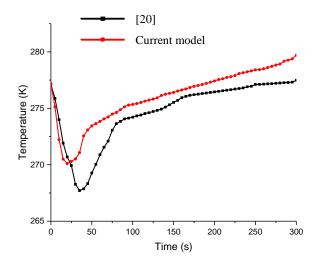
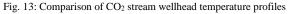


Fig. 12: Comparison of CO2 stream wellhead pressure profiles

Comparing the temperature profiles of the current simulation and [20], the trend is very similar as both predicted significant temperature drop. The gaseous CO_2 expansion induced temperature drop at the wellhead due to

Joule-Thomson cooling effect is observed in Fig. 13. Notably, [20] predicted much lower temperature drop (about 3 °C lower) than our current simulation result. This variation may be due to the different equation of state employed in predicting the thermodynamic properties of CO₂. Reference [20] used Span and Wagner equation of state to calculate the density and the specific heat of CO_2 , and Soave-Redlich-Kwong [37] equation was used for calculating the viscosity and thermal conductivity of CO₂. In current model, we employed the Peng-Robinson equation of state to determine the phase equilibrium and all thermodynamic properties of CO₂. Hence, the varying equation of state used may therefore over-predict or under-predict some properties leading to high or low cooling effect.





The model was further tested to establish an optimum start-up injection condition by alternating some parameters. The lowest wellhead temperature was monitored by varying the injection rate, injection pressure and injection temperature. As can be seen in Table II, the analysis showed the wellhead temperature is lower with decreasing injection rate and injection temperature but reverse is the case for injection pressure, which gives lower wellhead temperature when increased.

TABLE II: LOWEST WELLHEAD TEMPERATURE AT DIFFERENT INJECTION RATE AND INLET PRESSURE DURING START-UP

Case	Injection pressure (bar)	Injection rate (kg/s)	Lowest wellhead temperature (°C)	
			Ref.[20]	Current Simulation
1	50	38	-6.8	-3.2
2	50	38	-10.2	-7.3
3	50	26	-9.4	-5.8
4	60	38		-4.2
5	60	38		-8.6

V. CONCLUSIONS

This study identified very vital safety issues associated with CO_2 sequestration in highly-depleted gas fields and proffered possible ways of minimising the associated risk. The key safety issue was the possibility of large temperature drops at the wellhead which can induce thermal shocking on the steel casing leading to it fracture or can also form hydrates or ice with the interstitial water leading to injector blockage and eventual injection system failure.

As presented in the results session for the start-up injection case. Showing the possibility of large temperature drops at the wellhead which poses serious safety challenges and requires proper approach and in other to minimise the threat it poses the following key points are noteworthy during start-up injection procedure:

- Rapid start-up injection is required to minimise temperature drop at the wellhead
- Higher injection flow rates will also help reduce the temperature drop during start-up injection.
- Minimal pressure difference between incoming CO₂ and wellhead pressure can minimise the Joule-Thomson cooling effect.
- Higher temperature for incoming CO₂ can also minimise the Joule-Thomson cooling effect.
- Increasing the injection pressure with time is required to avoid backflow and blowout situations, since there is continuous pressure build-up during injection.

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