

# Probing 3D structure with a large MUSE mosaic: extending the mass model of Frontier Field Abell 370

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## ABSTRACT

We present an updated strong-lensing analysis of the massive cluster Abell 370 (A370), continuing the work first presented in L17. In this new analysis, we take advantage of the deeper imaging data from the *Hubble Space Telescope* Frontier Fields programme, as well as a large spectroscopic mosaic obtained with the Multi-Unit Spectroscopic Explorer (MUSE). Thanks to the extended coverage of this mosaic, we probe the full 3D distribution of galaxies in the field, giving us a unique picture of the extended structure of the cluster and its surroundings. Our final catalogue contains 584 redshifts, representing the largest spectroscopic catalogue of A370 to date. Constructing the model, we measure a total mass distribution that is quantitatively similar to our previous work – though to ensure a low rms error in the model fit, we invoke a significantly large external shear term. Using the redshift catalogue, we search for other bound groups of galaxies, which may give rise to a more physical interpretation of this shear. We identify three structures in narrow redshift ranges along the line of sight, highlighting possible infalling substructures into the main cluster halo. We also discover additional substructure candidates in low-resolution imaging at larger projected radii. More spectroscopic coverage of these regions (pushing close to the A370 virial radius) and more extended, high-resolution imaging will be required to investigate this possibility, further advancing the analysis of these interesting developments.

**Key words:** gravitational lensing: strong – techniques: imaging spectroscopy – galaxies: clusters: individual: Abell 370 – galaxies: high-redshift – dark matter – large-scale structure of Universe.

## 1 INTRODUCTION

Probing the formation and build-up of matter from large to small scales is a key ingredient in understanding the Universe. With an accurate picture of structure formation, we can gain critical insight into a variety of astrophysical topics, such as galaxy evolution

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(e.g. Koopmans et al. 2006; Franx et al. 2008; Wetzel et al. 2013; Conselice 2014), cosmology (e.g. Percival & White 2009; Jullo et al. 2010; Blake, James & Poole 2014), and even the nature of dark matter itself (e.g. Nierenberg et al. 2013; Bozek et al. 2016; Li et al. 2016). Clusters of galaxies – gravitationally bound collections of tens to hundreds of individual galaxies – act as ideal laboratories for this phenomenon, as they provide information about structure formation at several physical scales simultaneously. Forming at the intersections of long filaments of the cosmic web (e.g. Bond, Kofman & Pogosyan 1996; Springel, Frenk & White 2006; Kravtsov & Borgani 2012), clusters trace the large-scale structure of the Universe, while the accretion of smaller haloes on to the primary mass (either via these filaments or independently) showcases more compact distributions in the so-called non-linear regime of the  $\Lambda$ CDM cold dark matter ( $\Lambda$ CDM) cosmological model (Bullock & Boylan-Kolchin 2017). At the same time, mergers between two (or more) pre-existing clusters can highlight structure build-up at intermediate scales, and individual mass configurations within and around the cluster lead to localized pockets of substructure, which represents another important aspect of mass accumulation.

While there are many ways to study the distribution of mass within clusters, including X-ray gas (e.g. Stanford et al. 2006; Ettori et al. 2013; Merten et al. 2015), the Sunyaev–Zeldovich effect (e.g. Marrone et al. 2012; Shirasaki, Nagai & Lau 2016; López-Corredoira, Gutiérrez & Génova-Santos 2017), and density maps of cluster light (e.g. Gavazzi et al. 2004; Bahcall & Kulier 2014; Sebesta et al. 2016), one of the most robust methods is gravitational lensing. Unlike other techniques, lensing does not rely on kinematic effects and makes no assumptions about the dynamic state of the cluster. Lensing is also achromatic, producing the same signal at all frequencies and making it trivially easy to combine information from multiwavelength data sets.

Such multiband imaging is a key feature of the Frontier Fields (FF) programme, a campaign designed to obtain deep *Hubble* (HST) and *Spitzer Space Telescope* imaging of six massive lensing clusters (Lotz et al. 2017) in order to better observe extremely faint and distant ( $z > 5$ ) galaxies being magnified by the cluster, pushing the boundaries of the observable Universe. Among these faint objects are hundreds of strongly lensed, multiply imaged background galaxies, which are used to model the mass distributions of these clusters with unprecedented accuracy. Since the release of the FF images, analysis of the data in conjunction with other ancillary products has provided numerous insights into cluster mass (e.g. Diego et al. 2015; Wang et al. 2015; Hoag et al. 2016; Ogren et al. 2016; Meneghetti et al. 2017), including confirmation that merging lensing clusters – often the most efficient gravitational lenses (Wong et al. 2012, 2013) – have exceedingly complex mass distributions. Specifically, many studies have shown significant substructure populations within cluster fields (e.g. Jauzac et al. 2016; Limousin et al. 2016; Natarajan et al. 2017; Williams, Sebesta & Liesenborgs 2018) and an elevated number of ‘jellyfish’ galaxies: gas-rich, infalling spiral galaxies being stripped down by the intracluster medium (ICM; e.g. Ebeling, Stephenson & Edge 2014; McPartland et al. 2016).

The presence of complex substructure points to an evolving dynamical mass state, and has a significant impact on the accuracy of model cluster masses: Failure to account for mass concentrations at large clustercentric radii can bias lens models by up to 20 per cent (Acebron et al. 2017). The FF cluster Abell 2744 is a prime example, where the weak-lensing analysis of Jauzac et al. (2016) revealed several massive subhaloes at the cluster redshift, located at projected radii of 0.5–1 Mpc from the strong-lensing core. These

substructures strongly influenced past central cluster lens modelling (Mahler et al. 2018), where the inclusion of these haloes mimicked the effects of a previously important ad hoc ‘external shear’ term and provided a more physical interpretation of the observations. Results from Abell 2744 and other merging clusters (e.g. Girardi et al. 2015) highlight the fact that substructures are often located at considerable distance from the cluster core, and can be missed in narrowly targeted imaging and spectroscopic campaigns. This is an important motivator for the Beyond Ultra-deep Frontier Fields And Legacy Observations (BUFFALO) project,<sup>1</sup> a new survey designed to expand the HST FF (HFF) imaging data by as much as four times the area of the current pointings. This wider area will improve our ability to trace the overall mass profile and substructure characteristics of the dark and luminous components of the FF clusters to  $\sim 75$  per cent of the cluster virial radius ( $R_{\text{vir}}$ ), using a combination of both strong- and weak-lensing techniques. This will provide critical insight into each cluster’s central assembly history, which can be compared to theoretical predictions from standard  $\Lambda$ CDM (Vogelsberger et al. 2014; Schaye et al. 2015; Schwinn et al. 2017; Jauzac et al. 2018) and alternative models (e.g. Kravtsov & Borgani 2012; Koyama 2016).

While the high-resolution HST data sets provided by the HFF and BUFFALO projects are useful, imaging alone is not sufficient for this analysis. Indeed, the only robust way to derive physical values from a detected lensing signal is through a combination of imaging and spectroscopy. Historically, lensing clusters have lacked comprehensive spectroscopic coverage due to the inefficient and often time-consuming observing process utilized by traditional instruments. However, this paradigm is changing. Thanks to the arrival of integral field unit spectrographs (IFUs) such as the Multi-Unit Spectroscopic Explorer (MUSE; Bacon et al. 2010), we can now obtain hundreds of high-quality spectra in a given field with only a few hours of integration (e.g. Bacon et al. 2015). In particular, the wide (1 arcmin  $\times$  1 arcmin) field of view and high throughput at optical wavelengths (4800–9300 Å) make MUSE an efficient tool for capturing redshifts of cluster galaxies, nearby infalling objects, and distant multiply imaged background systems all at once. At the same time, by studying the redshift distribution of other ‘interloper’ galaxies in the field, it is possible to detect compact groups of objects in front of or behind the cluster (i.e. line-of-sight substructures) that are not often obvious in imaging. Over the past few years, several lensing studies have taken advantage of MUSE spectroscopy (e.g. Karman et al. 2015; Richard et al. 2015; Bina et al. 2016; Patrício et al. 2016; Grillo et al. 2016; Caminha et al. 2017b; Griffiths et al. 2018; Mahler et al. 2018) to great effect.

In this work, we study the merging cluster Abell 370 (A370) using a combination of HFF imaging and MUSE spectroscopy. Centred at  $z = 0.375$  (Mellier et al. 1988), A370 is a highly elongated and efficient lens, with an Einstein radius of 39 arcsec at  $z \approx 2$ , a mass of  $M_{<250 \text{ kpc}} = 3.8 \times 10^{14} M_{\odot}$  (Richard et al. 2010), and an X-ray luminosity  $L_X = 1.1 \times 10^{45} \text{ erg s}^{-1}$  (Morandi, Ettori & Moscardini 2007). A370 is notable for hosting the first confirmed giant gravitational arc, at  $z = 0.725$  (Hammer 1987; Soucail et al. 1987; Patrício et al. 2018) and for having a high magnification area ( $\mu > 5$ –10) roughly twice as large as any other FF cluster (Richard et al. 2014).

This project follows up our previous investigation into A370 (Lagattuta et al. 2017; hereafter L17), which modelled the total mass distribution with the help of a two-hour MUSE pointing in the very core of the cluster. That analysis revealed a number

<sup>1</sup><http://buffalo.ipac.caltech.edu/>

of interesting properties of the system, including a largely flat central mass profile, boxy-shaped mass contours, and the possible existence of a third large-scale halo in the north-east. However, our conclusions regarding structure at extended radii were limited, due to a lack of spectroscopy beyond the central core. Here we expand the original MUSE data with a  $2 \text{ arcmin} \times 2 \text{ arcmin}$  mosaic that covers nearly the entire region where strong-lensing constraints are expected to be found, as well as a large fraction of the deep multiband imaging region of the HFF data set. This allows us to investigate our initial claims more rigorously, and also gives us an opportunity to search directly for substructures or other complex mass distributions. Overall, this provides a more complete picture of the structure of A370 and serves as a pathfinder for other upcoming programmes with *HST* (e.g. BUFFALO) and the *James Webb Space Telescope* (*JWST*).

This paper is organized as follows: In Section 2 we describe the data used in our analysis and briefly discuss the reduction techniques. In Section 3 we explain our spectral extraction process and present an updated catalogue of redshifts in the A370 field. We use these redshifts to generate an initial set of mass models, which we present in Section 4. Next, we identify possible substructure candidates in Section 5 and modify our models to include the effects of the additional mass. We also discuss our results in this section, paying special attention to the physical interpretation of external shear. Finally, we briefly conclude in Section 6. Throughout this work, we assume a standard cosmological model of  $\Omega_M = 0.3$ ,  $\Omega_\Lambda = 0.7$ , and  $H_0 = 70 \text{ km s}^{-1} \text{ Mpc}^{-1}$ . In this framework, a span of 1 arcsec corresponds to a physical distance of 5.162 kpc at the cluster redshift of  $z = 0.375$ . Finally, unless otherwise stated all magnitudes are measured using the AB system.

## 2 DATA

To improve our understanding of the cluster we use a combination of imaging and spectroscopic data in this work, both to construct a model of the A370 mass distribution and to identify overdensities in the redshift distribution, which can be indicative of line-of-sight substructure.

### 2.1 *HST*

As in L17, we again use the publicly available HFF image stacks of A370<sup>2</sup> to identify cluster members and multiple-image candidates, and as a basis for spectral extraction in MUSE data (Section 3). The complete HFF data set covers seven broad-band filters (*F435W*, *F606W*, *F814W*, *F105W*, *F125W*, *F140W*, and *F160W*), forming the deepest optical and near-infrared (IR) imaging ever taken of A370. For the three optical bands we use the final Epoch 1 v1.0 stacks (consisting of 20, 10, and 52 *HST* orbits, respectively), while for the near-IR bands we use the Epoch 2 v1.0 stacks (consisting of 25, 12, 13, and 28 *HST* orbits), which were not available in our previous work.

The addition of deeper near-IR data is especially useful for identifying high-redshift dropout candidates that can be lensed more efficiently by the cluster. Multiband photometry also enhances our analysis by providing important colour information about each object. In particular, we use an optical colour–colour selection criterion to identify cluster members that otherwise lack secure spectroscopic redshifts (see Section 4.2), which allows us to build a more complete and robust lens model.

To better resolve small, point-source-like objects in the field, we use the images with 30 mas resolution, and to ensure the best possible data quality we use the ‘selfcal’ charge transfer inefficiency (CTI)-corrected data for the Advanced Camera for Surveys (ACS) images and the ‘bkgsdcor’ data for Wide Field Camera 3 (WFC3), which applies corrections for persistence effects and detector artefacts, as well as an improved handling of time-variable sky emission. The full details of the data reduction and cleaning are described in the HFF data archive for A370<sup>3</sup> and in Lotz et al. (2017).

### 2.2 MUSE

For spectroscopic information we turn to MUSE, observing the A370 field using a large mosaic covering  $\sim 4 \text{ arcmin}^2$ . This mosaic, programme 096.A-0710(A) (PI: Bauer), is an expansion of an initial guaranteed time observing (GTO) programme 094.A-0115(A) (PI: Richard) that focused on the central cluster core. This full mosaic covers a  $2 \text{ arcmin} \times 2 \text{ arcmin}$  area centred on the cluster, providing nearly complete coverage of the ‘multiple-image zone’: the area where multiple images of all background galaxies out to high redshift ( $z = 10$ ) are expected to fall (Fig. 1).

The mosaic was designed to have a factor of  $\sim 3\text{--}4$  higher exposure in the central portion (highest lensing area) of A370 in order to achieve relatively uniform line sensitivity in the face of strong intracluster light, which raises the background for line detection by up to a factor of  $\sim 2$  at the centre. To this end, we obtained 2 h on-source exposure rotated by  $28^\circ$  to cover the bulk of the *HST* WFC  $\sim 5 \text{ arcmin}^2$  footprint (excluding a bright star), while a further 4 h of on-source exposure was devoted to two pointings centred on the N–S high-magnification region. We incorporated the archival 2 h on-source exposure to deepen the exposure to 8 h in the very centre. In total, the mosaic comprises 18 h of on-source exposure. The full MUSE exposure map can be seen in Fig. 2.

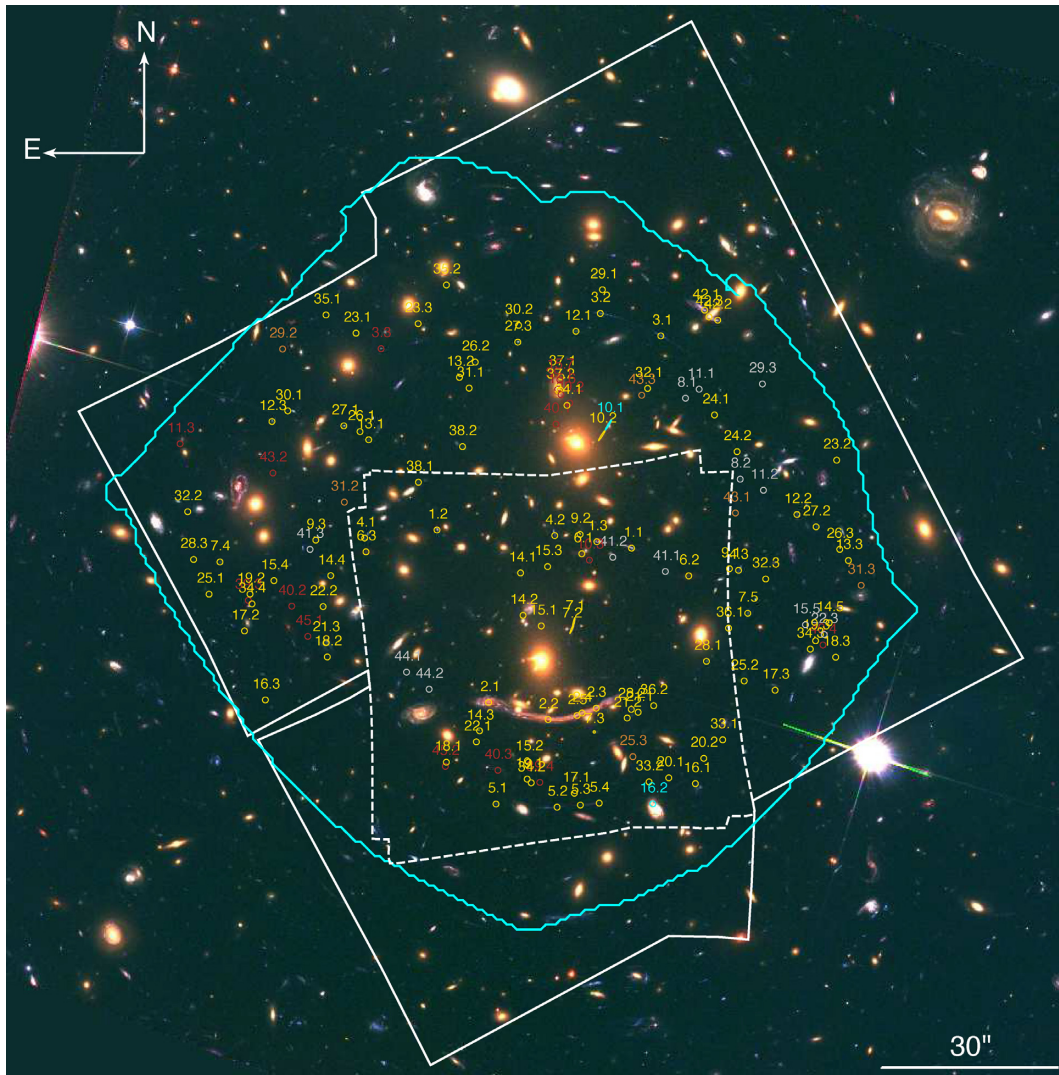
MUSE was employed in non-AO mode for all observations, and individual exposures were limited to  $< 15\text{--}30$  min to minimize sky variation and cosmic-ray effects. The source exposures for programme 094.A-0115(A) ( $4 \times 1800$  s) were acquired on 2014 November 20, while the exposures for programme 096.A-0710(A) ( $32 \times 930$  s,  $3 \times 953$  s,  $37 \times 962$  s,  $2 \times 963$  s) were obtained in queue mode between 2015 October 8 and 2016 September 28 in 15 separate observing blocks. Each observing block was ideally composed of four equal exposures, rotated by  $90^\circ$  from one another and dithered within a 1 arcsec box. Observations were taken in both ‘clear’ and ‘photometric’ conditions (‘clear’ requested), with DIMM seeing values between 0.37 arcsec and 1.09 arcsec (0.68 arcsec median;  $< 0.8$  arcsec requested), airmasses between 1.09 and 1.42 (1.17 median;  $< 1.6$  requested) and  $< \pm 7$  d from full Moon.

Data were reduced largely following the standard procedures of the ESOREX pipeline (muse-kit-2.4.1; Weilbacher, Streicher & Palsa 2016). Basic calibration files were used to perform bias subtraction and flat fielding, using illumination and twilight exposures taken closest to the date of the source exposure. Flux calibration and telluric correction were performed using the standard star taken closest to the date of the source exposure (generally but not always the same night). Spectral response curves were visually inspected for problems; all appeared reasonable and were applied to all

<sup>2</sup><https://archive.stsci.edu/prepds/frontier/abell370.html>

<sup>3</sup>[https://archive.stsci.edu/pub/hlsp/frontier/abell370/images/hst/v1.0-epoch2/hlsp\\_frontier\\_hst\\_acs-00\\_abell370\\_v1.0-epoch2\\_readme.pdf](https://archive.stsci.edu/pub/hlsp/frontier/abell370/images/hst/v1.0-epoch2/hlsp_frontier_hst_acs-00_abell370_v1.0-epoch2_readme.pdf)





**Figure 1.** Colour image of the A370 field, using the Epoch 1.0 *F435W*, *F606W*, and *F814W* data sets from the *Hubble* Frontier Fields programme. The region covered by the MUSE mosaic is represented by the thick white line; for reference, we show the original GTO MUSE footprint used in L17 as a dashed white line. In addition, all multiply imaged galaxy constraints used in the lens modelling are shown as coloured circles. The colour of each constraint (gold, silver, bronze, and copper) is based on its ranking according to the HFF public modelling challenge (see Section 4.2 and Table 1 for complete details.) The copper-coloured constraints appear darker than their bronze counterparts. The cyan-coloured circles are items that are predicted but not used in the modelling. The cyan contour traces out the ‘multiple-image zone’, the region where all multiply imaged objects are expected to fall out to high redshift ( $z = 10$ ).

individual cubes. Autocalibration was performed to improve IFU-to-IFU and slice-to-slice flux variations, using masks generated via Source Extractor (hereafter referred to as SEXTRACTOR; Bertin & Arnouts 1996).

Individual data cubes were aligned to the *HST F814W* reference frame using a combination of SEXTRACTOR, to identify bright sources in the individual data cubes and *HST* image, and custom software, to calculate the offsets between them. ZAP (Soto et al. 2016) was applied to individual cubes to mitigate sky-line residuals. Individual data cubes were then renormalized based on photometric offset compared to point spread function (PSF)-matched *HST F606W* and *F814W* images; flux offsets ranged from 0.95 to 1.08 with a median of 1.02. Finally, individual exposure-weighted cubes were stacked on a common grid to create the final mosaic.

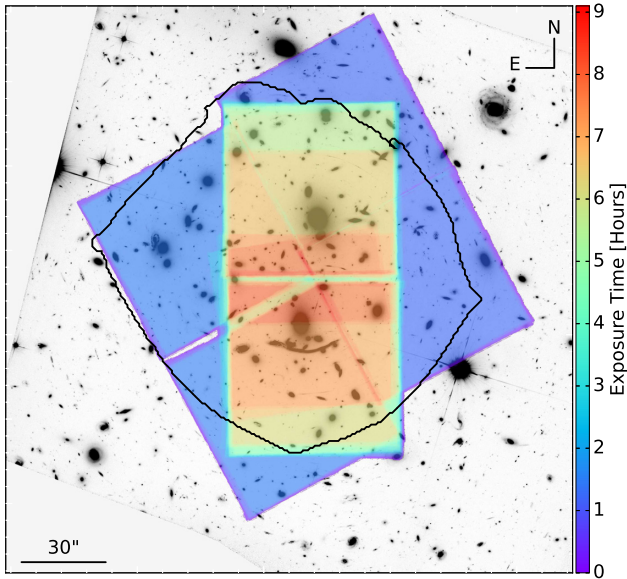
An image highlighting the coverage of the A370 MUSE mosaic can be seen in Fig. 1.

### 3 SPECTROSCOPY

#### 3.1 Spectral extraction

We obtain spectral information for objects in the MUSE mosaic using two complementary techniques: a targeted extraction based on *HST* imaging and a ‘blind’ identification of emission lines. The full procedure is described in Mahler et al. (2018), but we briefly describe the process here.

For the targeted search, we identify objects by running SEXTRACTOR on an inverse-variance-weighted stacked image of all seven broad-band HFF filters. Prior to stacking the data, we first remove bright intracluster light from each image by subtracting the median value of a  $21 \times 21$  pixel box surrounding each point. This significantly improves the contrast between bright and faint objects, resulting in cleaner spectral extraction. The actual extraction is based on the SEXTRACTOR segmentation map for each object, convolved with the MUSE PSF and resampled to match its pixel



**Figure 2.** Exposure-time map of the MUSE mosaic covering A370. The deeper central region is designed to overcome noise due to strong intracluster light while the outer region covers the remaining section of the cluster core, all with relatively uniform line sensitivity. The thick black line again shows the multiple-image zone and highlights the nearly complete coverage of this area, which greatly improves our ability to spectroscopically detect lens-model constraints (Section 3.3.1).

scale. All MUSE spaxels that fall in this broadened mask region are combined, weighted by the signal-to-noise (S/N) ratio, and collapsed from 3D to 1D, which we take as the final spectrum of each object.

Conversely, the blind search operates on the MUSE cube directly, using MUSELET<sup>4</sup> to detect emission lines without regard to any *HST* imaging. To do this, the program creates a series of pseudo-narrow-band images over the full MUSE wavelength range, summing the flux from five spectral bins around a given wavelength slice (spanning 6.25 Å) and subtracting the nearby continuum: the average of the 25 Å immediately redward and blueward of the averaged narrow band. The program then runs an additional iteration of SEXTRACTOR on these images and notes the positions of any bright flux peaks. If multiple emission lines appear at the same spatial location, MUSELET attempts to fit a redshift for the object by matching it with a library of known spectral features. Otherwise, it simply reports the coordinates and wavelength of the emission line(s), which can then be inspected manually.

Since MUSELET operates independently of the *HST* data, many of these lines can also be seen in spectra extracted from the targeted search. Therefore, to avoid duplicate efforts while measuring redshifts (Section 3.2) we first match MUSELET detections to any *HST* object that falls within a 1 arcsec radius of its centroid. In cases where multiple *HST* objects fall within this radius, we simply take the closest object to be the match. The average separation between the matched MUSELET and *HST* centroids is less than 0.1 arcsec, resulting in a high likelihood that matched entries identify the same object. Never the less, we still compare the two values during redshift measurement, to make sure this is the case. While this

accounts for a large fraction of lines, there are still 21 ‘orphan’ MUSELET detections that do not have a counterpart in the *HST* SEXTRACTOR catalogue. These are typically extremely faint (or continuum-free) galaxies at high redshift ( $z > 3$ ) displaying strong Lyman  $\alpha$  emission (e.g. Maseda et al. 2018). Since the targeted extraction method does not automatically generate a spectrum for these systems, we instead create one by hand by combining all spaxels in the MUSE data within a 1 arcsec radius from the MUSELET-measured centroid.

### 3.2 Redshift measurements

Once all spectra are extracted and coincident *HST*- and MUSELET-based entries are merged together, we analyse the data to measure redshifts. As an initial guess, we run the automated software AUTOZ (Baldry et al. 2014) on all extracted spectra, without regard to object size or brightness. The software attempts to find a best-fitting redshift for each spectrum using cross-correlation with user-supplied redshift templates; for templates we use a series of previously classified MUSE spectra (transformed to  $z = 0$ ) with prominent optical emission and absorption features, following Inami et al. (2017). The correlation coefficient (cc) output by AUTOZ provides an objective measure to determine the quality of the template match, where a value  $cc > 5$  is considered a ‘good’ fit to the data.

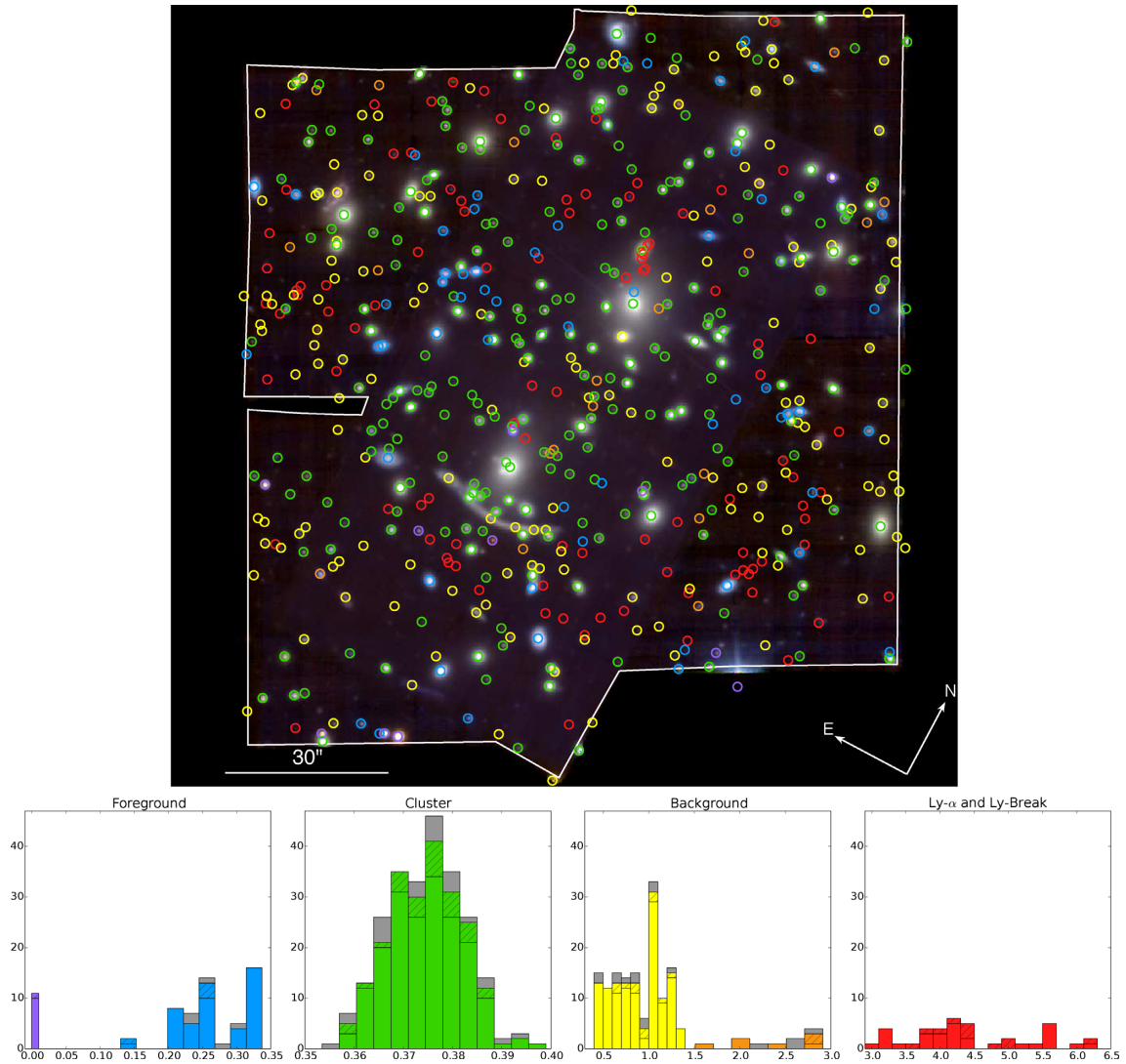
After running the automatic method, we review the results using a customized PYTHON-based redshifting tool that allows a user to manually refine redshifts up to  $\delta z = 0.0001$  precision, independent of the redshift. We also compare these measurements to any MUSELET value associated with the object. We inspect all objects down to  $m_{F814W} = 26.5$  in the deeper, central region of the MUSE mosaic, and  $m_{F814W} = 25.0$  in the shallower outer regions. In both cases this marks the point where continuum- or absorption-based features become too faint to be detected, and also corresponds to a steep decline in objects with an AUTOZ  $cc > 5$ . We stress however that any objects with a MUSELET detection or an AUTOZ  $cc > 5$  are included in this subsample, regardless of the magnitude cut-off.

### 3.3 Redshift catalogue

The final master catalogue contains 584 objects, though there are only 506 unique systems when accounting for multiple imaging of background galaxies. We identify and refine multiply imaged objects using an iterative process based on the current lens model. These steps are described in the next subsection and in Section 4. The full catalogue spans a redshift range  $0 \leq z \leq 6.2855$  and is made up of stars, cluster members, multiply imaged galaxies, and other foreground and background interlopers. The spectral distribution and spatial location of all objects with measured redshifts can be seen in Fig. 3. In addition, we also provide a sample of the first few entries of the catalogue in Table C1. The full catalogue is available as an online supplement to the electronic version of this manuscript.

We now describe portions of the redshift sample that are important for our subsequent lensing analysis, as well as a few additional objects that are interesting in their own right. We also compare our catalogue to the Grism Lens-Amplified Survey from Space (GLASS; Schmidt et al. 2014; Treu et al. 2015), a programme providing catalogues of lower resolution near-IR spectroscopy of all six FF clusters. Given the higher sensitivity and resolution of MUSE relative to the *HST* grism, the number of objects with secure, high-confidence redshifts is significantly higher in our catalogue compared to that of GLASS, though we still find several

<sup>4</sup><http://mpdaf.readthedocs.io/en/latest/muselet.html>



**Figure 3.** Top: Spatial distribution of all objects identified in the redshift catalogue. Objects are colour-coded based on their redshift range and match the colours used in the lower panels. The RGB colour image is generated from the MUSE data itself. Bottom: redshift distribution of all objects in the catalogue (for clarity, all members of a multiply imaged object are combined into a single entry). Colours are as follows: purple – stars ( $z = 0$ ); blue – foreground galaxies ( $0 < z < 0.35$ ); green – cluster galaxies ( $0.35 \leq z \leq 0.4$ ); yellow – ‘near’ background galaxies ( $0.4 < z < 1.5$ ); orange – MUSE redshift desert ( $1.5 < z < 2.9$ ); red – ‘far’ background galaxies ( $z > 2.9$ ). The colours and shading of the histogram bars are based on the spectral confidence value, as follows: plain bar – confidence 3 (high confidence); hashed bar – confidence 2 (medium confidence); grey bar – confidence 1 (low confidence). For complete spectral information, see Table C1 and the online catalogue supplement. Details of the spectral classification (including the confidence measurement) can be found in Appendix C.

objects in common between the two. While in most cases the GLASS catalogue agrees (within measurement uncertainty) with our updated MUSE results, there are some instances where MUSE is able to correct misidentified features in the GLASS data and provide a more accurate redshift for the object. Likewise, there are also instances where the presence of emission lines in the observed near-IR from GLASS improves the confidence of a redshift initially based on low-S/N features in the MUSE spectra. A summary of these comparisons can be seen in Table D1.

### 3.3.1 Multiply imaged systems

By covering nearly the entire multiple-image zone of A370 (Fig. 1) the new redshift catalogue contains a substantial number of lensing constraints that can significantly improve the overall mass model.

Thanks to the deeper data in the cluster core, we are able to revise redshifts of previously known systems, while the wider coverage at larger distances allows us to confirm (or modify) counterimages missed in the GTO cube and identify entirely new systems located in different parts of the cluster.

We begin by revisiting the lensing constraints used to construct the mass model presented in L17 (hereafter referred to as the ‘GTO model’). Of the 22 multiple-image systems used in that work, only 4 (Systems 1, 2, 5, and 6) were completely contained within the GTO data, leading to secure spectroscopic redshifts for all images in the set. All other systems had at least one ‘missed’ counterimage lying beyond the MUSE footprint (identified only by lens-model predictions and HFF imaging), including six (Systems 3, 8, 10, 11, 12, and 13) that fell entirely outside of the cube. With our larger catalogue, we are able to examine the missed counterimages of the partial GTO systems, remarkably finding that



(without exception) our model predictions are correct: We measure the expected redshifts in the mosaic at the same positions as the HFF imaging candidates. This showcases the predictive power of our initial lens model, and highlights the usefulness of even partial spectroscopic coverage. We note, however, that without the additional high-resolution imaging, our initial guesses would likely not have been as accurate.

Additionally, we provide new redshifts for many of the systems outside of the GTO cube and adjust the redshift of one GTO system that was too faint to be accurately measured. These updates are as follows.

(i) System 3: While this system was too far north to be seen in the GTO cube, Images 3.1 and 3.2 did have low-resolution grism spectroscopy from GLASS (Diego et al. 2018; hereafter D18), and we used this redshift ( $z_{\text{GLASS}} = 1.95$ ) in our earlier mass model. In the mosaic catalogue, we detect C III] emission in the central regions of these two images, giving rise to an updated redshift  $z = 1.9553$ . More importantly, we modify the position of the third counterimage (Image 3.3), shifting it from the original galaxy identified in Richard et al. (2010) to a nearby object slightly to the east (Fig. 4) based on the presence of faint C III] emission in the new counterimage that does not appear in the original candidate. We note that this new result agrees with the prediction presented in Kawamata et al. (2018, hereafter K18), made without the use of other spectroscopic data.

(ii) System 9: Although Image 9.1 fell inside the original GTO data set, the spectrum was too faint to measure any definitive lines. Therefore, like System 3, we relied on GLASS spectroscopy ( $z_{\text{GLASS}} = 1.52$ ) for our previous mass model. With deeper mosaic data in the core, we are able to detect faint C III] emission, leading to an improved redshift  $z = 1.5182$ .

(iii) System 10: We identify faint C III] in Images 10.1 and 10.2, leading to a redshift  $z = 2.7512$ . We also detect possible (though extremely weak;  $S/N \sim 1.6$ ) traces of C III] in a separate counterimage (10.3; also predicted in D18) at the same redshift. That this redshift is exactly the same as the one measured for System 7 brings up the intriguing possibility that both systems are in fact images of the same galaxy. We address this possibility in Section 4.

(iv) System 12: All images in this system show strong, broad Lyman  $\alpha$  absorption, along with other, narrower ultraviolet (UV) absorption features such as O I [ $\lambda 1301$ ] and Si II [ $\lambda 1303$ ]. Image 12.1 (which lies in the deeper central region of the mosaic) also shows faint C III] emission, which we use to set the systemic velocity of the system ( $z = 3.4809$ ).

(v) System 13: Both original images in this system (Images 13.1 and 13.2) show strong Lyman  $\alpha$  emission, resulting in a redshift  $z = 4.2480$ . Furthermore, we also discover a faint counterimage (Image 13.3) in the south-west of the cluster with the same redshift, which has similar *HST* colours. While this new image is far from the prediction for 13.3 made with the GTO model, the lack of a secure redshift for the system in that model made an accurate guess more difficult.

(vi) Systems 8 and 11: Even with the new mosaic we are still unable to detect any features in spectra of Systems 8 and 11, though given their observed colours this is not entirely surprising. Photometric estimates for System 8 place it in the MUSE ‘redshift desert’ ( $z \sim 1.5$ – $3$ ), where bright optical lines are too red to be observed, while Lyman  $\alpha$  emission is still too blue. Although C III] can be used to measure redshifts in this range, we do not detect C III] emission in either of the known counterimages of this system. Conversely, the photometric redshift of System 11 (an *F814W*

dropout galaxy) is  $z \sim 7.8$ , suggesting it is too distant to be measured by MUSE. We do note, however, that thanks to the enhanced near-IR HFF coverage, we are able to identify a new counterimage with matching *HST* colours on the far-eastern side of the multiple-image region, which we use in subsequent mass modelling.

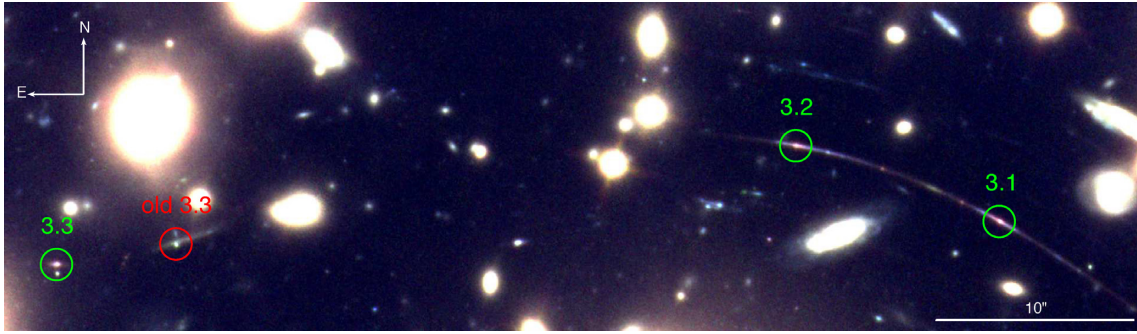
After making adjustments to the known constraints, we search for new multiply imaged objects in the field. While the larger mosaic makes finding these systems significantly easier than before – we simply identify groups of images that have the same redshift inside the multiple-image zone – we still use the GTO mass model as a guide. Specifically, we check that the observed image configuration of a candidate system is at least broadly consistent with its model prediction, to ensure that the targets are not simply a chance alignment of individual galaxies. While in principle we allow for a large separation (up to 10 arcsec) between prediction and observation before rejecting the image – to avoid potentially biasing the new model – we note that none of the actual candidates deviate from their initial prediction by more than 3 arcsec. At the same time, model predictions can also reveal additional counterimages missed by our spectroscopic campaign, either because they are too faint to be detected automatically or because they are highly contaminated by a nearby bright source.

Overall, we identify 18 new systems with secure spectroscopic redshifts (labelled as Systems 23 through 40) in the MUSE data, with redshifts between  $z = 2.9$  and  $z = 6.3$ . This more than doubles the number of spectroscopically confirmed multiply imaged galaxies in A370, and considerably increases the total number of robust model constraints. Given their higher redshifts, many of these new images are located farther from the cluster centre than the GTO systems, providing better information about the A370 mass distribution out to larger radii. Most systems are identified by strong Lyman  $\alpha$  emission (except System 38, which is instead a Lyman-break galaxy, identified by a prominent trough in the UV continuum), and while many are point-like, some do present features of extended emission – which is expected based on previous MUSE-based Lyman  $\alpha$  studies (e.g. Wisotzki et al. 2016, 2018; Leclercq et al. 2017). This is especially apparent in the merging pair of System 24 and the large extended arc seen in System 29 (Fig. 5). Furthermore, the two most distant lensed galaxies are located beyond  $z = 6$  (System 35,  $z = 6.1735$ ; System 36,  $z = 6.2855$ ) – placing them close to the end of the epoch of reionization, possibly making them interesting objects for future study (e.g. Hernán-Caballero et al. 2017).

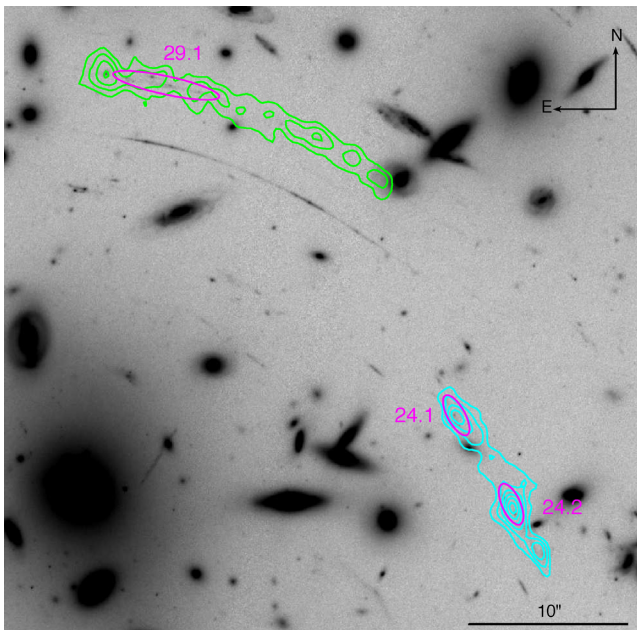
Of the 18 systems, 3 are independently presented in other works: D18 identify System 24 (labelled system 20 in that paper), while K18 detect System 26 (labelled system 47) and System 29 (split into two systems, 34 and 35). These studies also partially identify five other systems, but without additional spectroscopic information they miss (or misidentify) counterimages that we detect in MUSE. These are summarized as follows.

(i) System 25 (D18 system 16): Images 25.1 (D16.2) and 25.2 (D16.1) are identified though slightly offset from the bright Lyman  $\alpha$  emission, while Image 25.3 is missed. Though it lies in the central part of the cluster, this image is significantly fainter than the others in MUSE, and does not have an obvious *HST* counterpart. Its long extended Lyman  $\alpha$  halo and matching spectral line profile, along with its prediction in the GTO model, make us confident it is a real counterimage.

(ii) System 27 (D18 system 27): Images 27.1 (D27.2) and 27.3 (D27.1) are identified. The third image in D18 (D27.3) is a misidentified object at a different redshift ( $z = 1.2754$ ). The correct



**Figure 4.** Updated configuration of System 3 ( $z = 1.9553$ ), including the new location of Image 3.3. We correct the position of Image 3.3 thanks to new spectroscopic and visual evidence: The C III] emission seen in the core of Images 3.1 and 3.2 is also found in the new counterimage (see Fig. B1), but is absent in the old candidate (red circle). Additionally, the deeper near-IR HFF data show that the new counterimage has a pink colour (using an  $F814W$ ,  $F105W$ , and  $F160W$  colour scheme) which better matches the core of the Image 3.1/3.2 pair.



**Figure 5.** Two examples of extended Lyman  $\alpha$  arcs found in the A370 MUSE mosaic: the merging pair System 24 ( $z = 4.9160$ ; cyan contours) and the giant arc System 29 ( $z = 4.4897$ ; green contours). In both cases the narrow-band Lyman  $\alpha$  flux is significantly larger than the observed continuum counterpart, highlighted by the magenta ellipses.

counterimage (Image 27.2) is slightly farther south-west than the candidate presented in that work and is significantly fainter.

(iii) System 28 (D18 system 21): Images 28.1 (D21.1) and 28.2 (D21.2) are identified. Image 28.3, a faint companion at the far-eastern side of the cluster, is missed.

(iv) System 38 (D18 system 30): Image 38.1 (D30.1) is correctly identified, while Image 38.2 (D30.2) is missed. However, this may simply be a transcription error as the coordinates of D30.2 point to a patch of blank sky, and the published declinations of D30.1 and D30.2 are identical.

(v) System 40 (K18 system 42): K18 identify the three southern images in this system – Images 40.2, 40.3, and 40.4 (K42.1, K42.2, and K42.3, respectively) – but miss the northernmost Image 40.1, which lies very close to the northern brightest cluster galaxy (BCG).

Though heavily contaminated by the BCG, we still see faint traces of Lyman  $\alpha$  emission in narrow-band MUSE imaging.

To be as complete as possible, we do attempt to measure redshifts from all other multiple-image candidates presented in D18 and K18, though we are largely unable to do so: Many of these systems are quite faint, and their extracted spectra contain only noise. At the same time, much like Systems 8 and 11, many have photometric redshift estimates that are not optimal for a MUSE detection. One major exception is D18 system 15, a bright spiral galaxy at  $z = 1.0315$  being galaxy–galaxy lensed by a single cluster member in the north-west corner. Conversely, we are able to reject D18 system 24 as being not multiply imaged but rather a chance alignment of three faint cluster members (D24.1,  $z = 0.3788$ ; D24.2,  $z = 0.3721$ ; D24.3,  $z = 0.3749$ ). We also measure a tentative redshift for D18 image D14.1 ( $z = 1.2777$ ) based on a faint [O II] line, though it is at low confidence and we do not see this line in the two counterimages D14.2 and D14.3 (located in the shallower outskirts of the mosaic.) Without a strong confirmation, we do not use this redshift during the lens-modelling process (Section 4), opting instead to fit the system’s redshift as a free parameter. We note, however, that the best-fitting redshift in our final model ( $z = 1.272 \pm 0.016$ ) is remarkably close to the tentative spectroscopic value.

Following discussions held during the HFF Public Modeling Challenge, a collaborative project bringing together several lens-modelling teams to work with common data sets as a way to better characterize systematic differences between modelling techniques,<sup>5</sup> we include D14 and D15 as constraints to the model (as Systems 41 and 42, respectively), along with three others (Systems 43 to 45) without any redshift measurement. We will discuss this selection more in Section 4.2. All constraints (with or without a measured redshift) are presented in Table 1, and their spatial distribution in A370 is shown in Fig. 1. The redshift distribution of spectroscopic multiple images can be seen in Fig. 6.

### 3.3.2 Cluster members

Cluster members represent another significant component of the spectroscopic catalogue, and as in L17 they make up the majority of redshifts measured in the field. With a larger sample of cluster members, we can better characterize small-scale mass components

<sup>5</sup><http://archive.stsci.edu/prepds/frontier/lensmodels/>



**Table 1.** Multiply imaged systems.

ID	RA	Dec.	$z^a$	Class <sup>b</sup>
1.1	39.967047	−1.5769172	0.8041	gold
1.2	39.976273	−1.5760558	0.8041	gold
1.3	39.968691	−1.5766113	0.8041	gold
2.1	39.973825	−1.5842290	0.7251	gold
2.2	39.971003	−1.5850422	0.7251	gold
2.3	39.968722	−1.5845058	0.7251	gold
2.4	39.969394	−1.5847328	0.7251	gold
2.5	39.969630	−1.5848508	0.7251	gold
3.1	39.965658	−1.5668560	1.9553	gold
3.2	39.968526	−1.5657906	1.9553	gold
3.3	39.978925	−1.5674624	1.9553	bronze
4.1	39.979704	−1.5764364	1.2728	gold
4.2	39.970688	−1.5763221	1.2728	gold
4.3	39.961971	−1.5779671	1.2728	gold
5.1	39.973473	−1.5890463	1.2775	gold
5.2	39.970576	−1.5891946	1.2775	gold
5.3	39.969472	−1.5890961	1.2775	gold
5.4	39.968580	−1.5890045	1.2775	gold
6.1	39.969405	−1.5771811	1.0633	gold
6.2	39.964334	−1.5782307	1.0633	gold
6.3	39.979641	−1.5770904	1.0633	gold
7.1	39.969788	−1.5804299	2.7512	gold
7.2	39.969882	−1.5807608	2.7512	gold
7.3	39.968815	−1.5856313	2.7512	gold
7.4	39.986567	−1.5775688	2.7512	gold
7.5	39.961533	−1.5800028	2.7512	gold
8.1	39.964485	−1.5698065	{2.884 ± 0.084}	silver
8.2	39.961889	−1.5736473	{2.884 ± 0.084}	silver
9.1	39.962402	−1.5778911	1.5182	gold
9.2	39.969486	−1.5762654	1.5182	gold
9.3	39.982022	−1.5765337	1.5182	gold
10.1 <sup>*,**</sup>	39.968142	−1.5710778	2.7512	–
10.2 <sup>**</sup>	39.968454	−1.5715778	2.7512	gold
10.3 <sup>**</sup>	39.969046	−1.5774833	2.7512	copper
11.1	39.963839	−1.5693802	{7.040 ± 0.181}	silver
11.2	39.960789	−1.5741702	{7.040 ± 0.181}	silver
11.3	39.988460	−1.5719676	{7.040 ± 0.181}	copper
12.1	39.969682	−1.5666360	3.4809	gold
12.2	39.959198	−1.5753221	3.4809	gold
12.3	39.984100	−1.5709127	3.4809	gold
13.1	39.979513	−1.5717782	4.2480	gold
13.2	39.975210	−1.5688203	4.2480	gold
13.3	39.956759	−1.5775032	4.2480	gold
14.1	39.972309	−1.5780910	3.1309	gold
14.2	39.972192	−1.5801027	3.1309	gold
14.3	39.974254	−1.5855770	3.1309	gold
14.4	39.981313	−1.5782202	3.1309	gold
14.5	39.957673	−1.5804590	3.1309	gold
15.1	39.971328	−1.5806040	3.7084	gold
15.2	39.971935	−1.5870512	3.7084	gold
15.3	39.971027	−1.5777907	3.7084	gold
15.4	39.984008	−1.5784556	3.7084	gold
15.5	39.958795	−1.5805488	3.7084	silver
15.6	39.970391	−1.5696387	3.7084	copper
15.7	39.970450	−1.5689437	3.7084	copper
16.1	39.964016	−1.5880782	3.7743	gold
16.2 <sup>*</sup>	39.966037	−1.5890355	3.7743	–
16.3	39.984414	−1.5841111	3.7743	gold
17.1	39.969758	−1.5885333	4.2567	gold
17.2	39.985403	−1.5808406	4.2567	gold
17.3	39.960235	−1.5836508	4.2567	gold
18.1	39.975830	−1.5870613	4.4296	gold
18.2	39.981476	−1.5820728	4.4296	gold
18.3	39.957362	−1.5820861	4.4296	gold

**Table 1** – *continued*

ID	RA	Dec.	$z^a$	Class <sup>b</sup>
19.1	39.971996	−1.5878654	5.6493	gold
19.2	39.985142	−1.5790944	5.6493	gold
19.3	39.958316	−1.5813093	5.6493	gold
20.1	39.965279	−1.5878055	5.7505	gold
20.2	39.963619	−1.5868798	5.7505	gold
21.1	39.966733	−1.5846943	1.2567	gold
21.2	39.967252	−1.5849694	1.2567	gold
21.3	39.981539	−1.5814028	1.2567	gold
22.1	39.974406	−1.5861017	3.1309	gold
22.2	39.981675	−1.5796852	3.1309	gold
22.3	39.957906	−1.5810108	3.1309	silver
23.1	39.9801126	−1.5667264	5.9386	gold
23.2	39.9573149	−1.572744	5.9386	gold
23.3	39.9771658	−1.5662748	5.9386	gold
24.1	39.9631110	−1.5706030	4.916	gold
24.2	39.9620400	−1.5723407	4.916	gold
25.1	39.9870836	−1.5790992	3.8145	gold
25.2	39.9617028	−1.5832126	3.8145	gold
25.3	39.966982	−1.5867999	3.8145	bronze
26.1	39.979924	−1.571393	3.9359	gold
26.2	39.97446	−1.5680963	3.9359	gold
26.3	39.95717	−1.5769717	3.9359	gold
27.1	39.9806909	−1.5711198	3.0161	gold
27.2	39.9582916	−1.5759068	3.0161	gold
27.3	39.9724399	−1.5671511	3.0161	gold
28.1	39.963492	−1.5822806	2.9101	gold
28.2	39.967058	−1.5845583	2.9101	gold
28.3	39.987817	−1.5774528	2.9101	gold
29.1	39.968425	−1.5646657	4.4897	gold
29.2	39.983596	−1.5674774	4.4897	bronze
29.3	39.960838	−1.5691328	4.4897	silver
30.1	39.9833507	−1.5704081	5.6459	gold
30.2	39.972404	−1.5663533	5.6459	gold
31.1	39.9747496	−1.5693301	5.4476	gold
31.2	39.980667	−1.5747346	5.4476	bronze
31.3	39.956156	−1.5786786	5.4476	bronze
32.1	39.9662845	−1.5693446	4.4953	gold
32.2	39.988097	−1.5751871	4.4953	gold
32.3	39.960682	−1.5783795	4.4953	gold
33.1	39.9627222	−1.5860036	4.882	gold
33.2	39.9662152	−1.5879961	4.882	gold
34.1	39.9701070	−1.5701499	5.2437	gold
34.2	39.971805	−1.5880395	5.2437	gold
34.3	39.9585664	−1.5817008	5.2437	gold
34.4	39.985048	−1.579559	5.2437	gold
35.1	39.981538	−1.5658624	6.1735	gold
35.2	39.9758248	−1.5644423	6.1735	gold
36.1	39.9624435	−1.5807098	6.2855	gold
36.2	39.965996	−1.5843845	6.2855	gold
37.1 <sup>**</sup>	39.9703912	−1.5687943	5.6489	gold
37.2 <sup>**</sup>	39.970428	−1.5694203	5.6489	gold
38.1	39.977154	−1.5737917	3.20	gold
38.2	39.975063	−1.5721045	3.20	gold
39.1	39.970546	−1.5693801	4.9441	copper
39.2	39.969977	−1.5700367	4.9441	copper
39.3	39.985223	−1.5793885	4.9441	copper
39.4	39.971395	−1.5880200	4.9441	copper
40.1	39.970632	−1.5710393	4.3381	copper
40.2	39.983162	−1.5796664	4.3381	copper
40.3	39.973383	−1.5874465	4.3381	copper
40.4	39.957967	−1.5815081	4.3381	copper
41.1	39.965442	−1.5780222	{1.272 ± 0.016}	silver
41.2	39.967933	−1.5773472	{1.272 ± 0.016}	silver
41.3	39.982296	−1.5769750	{1.272 ± 0.016}	silver

Table 1 – continued

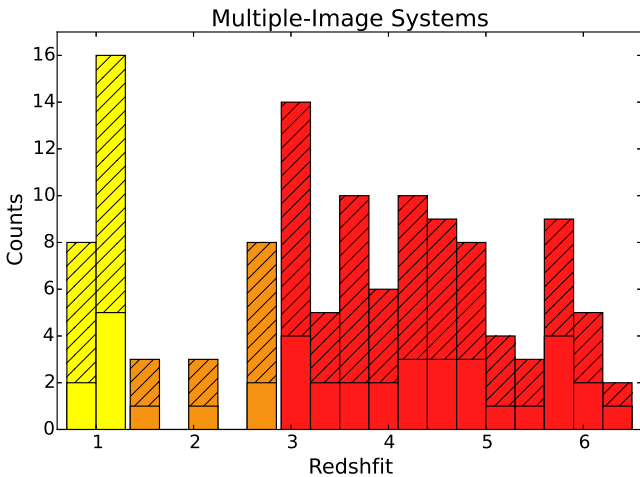
ID	RA	Dec.	$z^a$	Class <sup>b</sup>
42.1	39.963579	−1.5656333	1.0315	gold
42.2	39.962958	−1.5661111	1.0315	gold
42.3	39.963375	−1.5659528	1.0315	gold
43.1	39.962117	−1.5752500	$\{1.973 \pm 0.034\}$	bronze
43.2	39.984054	−1.5733556	$\{1.973 \pm 0.034\}$	copper
43.3	39.966563	−1.5696694	$\{1.973 \pm 0.034\}$	bronze
44.1	39.977717	−1.5827917	$\{2.336 \pm 0.027\}$	silver
44.2	39.976646	−1.5836028	$\{2.336 \pm 0.027\}$	silver
45.1	39.982400	−1.5811000	$\{8.593 \pm 0.432\}$	copper
45.2	39.975875	−1.5872600	$\{8.593 \pm 0.432\}$	copper

<sup>a</sup>Unless otherwise specified (i.e. a measurement having fewer than four significant digits), spectroscopic redshifts have an uncertainty  $\delta z = \pm 0.0001$ . Redshifts enclosed in braces are not spectroscopic, instead fitted by the model as free parameters.

<sup>b</sup>Objects are classified according to the FF Public Modeling Challenge convention (see Section 4.2.) *Gold* systems are considered the most reliable constraints, while *copper* systems are the most uncertain.

\*These systems are not used as constraints in our mass model. Our best-fitting solution merges Image 10.1 and 10.2 into a single constraint, while Image 16.2 is predicted but is not seen in either MUSE or *HST* data (see details in L17).

\*\*While originally identified as unique systems, updated modelling suggests they are in fact counterimages of other objects (Section 4.3.4).



**Figure 6.** Redshift histogram of multiply imaged galaxies in the A370 field. Solid-colour bars represent individual systems, while the hashed bars include all counterimages that make up these systems. The colour scheme here mimics the redshift ranges used in Fig. 3.

in the A370 lens model, giving us a more complete picture of the total mass distribution. At the same time, an accurate representation of the (3D) positions of these galaxies provides information about the internal structure and dynamics of the cluster itself.

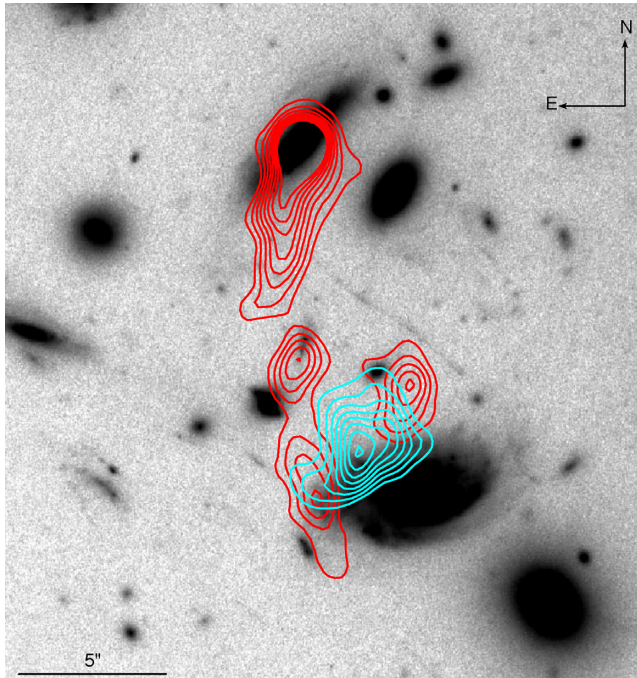
To identify these galaxies from the catalogue directly, we simply select all objects with a redshift close to the A370 systemic value ( $z_{\text{sys}} = 0.375$ ) and treat these systems as cluster members. Although we do not initially apply a hard limit to this selection, we find that the range from  $z = 0.35$  to  $z = 0.4$  is considerably overdense compared to the rest of the catalogue, and the redshift distribution of galaxies within this range are well fitted by a Gaussian with  $\mu = 0.3745$  and  $\sigma = 0.0077$ , corresponding to a physical velocity dispersion  $\sigma_v = 1680 \text{ km s}^{-1}$ , which is consistent with a massive lensing cluster. We therefore take the  $0.35 \leq z \leq 0.4$  limits to be the A370 cluster

boundary, which is only slightly larger than a  $3\sigma$  spread about the Gaussian mean. This matches the redshift parameter space we use in the GTO catalogue, and we note that a Gaussian redshift distribution is expected for a system that is gravitationally bound and dynamically relaxed (e.g. Wen & Han 2013) – though any deviation from a pure Gaussian can be a sign of substructure (e.g. Girardi et al. 2015). While we could in principle apply a radial cut-off to the selection criteria as well, the new MUSE mosaic is well within the virial radius of the cluster ( $r_{\text{vir}} \sim 1 \text{ Mpc}$ , corresponding to  $\sim 195 \text{ arcsec}$  at  $z = 0.375$ ), so an assumption that all objects are cluster members is not especially unwarranted. Applying these limits, we find a total of 244 cluster objects, representing a four-fold increase from the GTO catalogue.

We easily identify the two BCGs in the catalogue, and note that each has a different redshift, with the northern galaxy (catalogue ID 11917;  $z = 0.3780$ ) slightly redder than  $z_{\text{sys}}$  and the southern galaxy (ID 8844;  $z = 0.3733$ ) slightly bluer. However, unlike other merging clusters with significant MUSE coverage, such as Abell 2744 (Mahler et al. 2018) and MACSJ0416 (Caminha et al. 2017a; Richard et al., in preparation), we do not see distinct subpopulations of cluster redshifts centred around each BCG. Instead, the single-peaked Gaussian used to initially identify the cluster is a good fit to the entire population. This may imply that the merger is occurring nearly face-on, or – given the elongated X-ray contours (see e.g. Richard et al. 2010; L17) and similarly shaped centralized mass distribution (Section 4.3) – that the merging components have already passed through each other once, allowing the two populations to mix.

Aside from the BCGs, we also investigate the bright northern ‘crown’ of galaxies presented in L17, finding that (as we expect) all have redshifts consistent with being cluster members. Projecting these galaxies into 3D space, we find that they are not tightly grouped together but instead circle around the outskirts of the cluster, approximately creating a ring above the BCGs. While this would suggest that the crown galaxies are not strictly associated with each other and instead a 2D projection of several galaxies falling towards the central potential, we do not include peculiar velocity effects in our projections, which can create additional separation in redshift space. We note, however, that the three bright galaxies in the easternmost section of the crown do appear close together and have a small velocity separation ( $\Delta V \sim 325 \text{ km s}^{-1}$ ). This coincides with the location of the ‘crown clump’ of the GTO model, providing additional physical motivation for this mass component.

While the majority of cluster members have only absorption features in their spectra and appear as passive early-type galaxies in *HST* imaging, nearly 40 show [O II] or H  $\alpha$  emission (or both). Most emission-line objects appear near the outskirts of the cluster and have redshifts close to the low or high end of the redshift distribution, suggesting that they are infalling or otherwise interacting with the ICM. The most prominent examples of this are four jellyfish galaxies that show evidence of extreme tidal stripping and have prominent ‘tails’ of shocked gas in the MUSE cube. Three of these galaxies (IDs 15715, 12808, and 16798) are located in the north of the cluster, near the crown. The fourth (object 8006) is further to the south and positioned eastwards of the southern BCG. We explicitly mention this object (particularly its tail of shocked gas), as it helps to resolve a peculiar observation seen in the GTO cube. Specifically, in our previous paper we discussed the unusual cluster member CL49, an object with a divergent velocity field and no *HST* counterpart. Thanks to the larger mosaic data, we now see that this emission is simply the bottom section of the jellyfish gas stream (Fig. 7).



**Figure 7.** [O II] emission associated with the unusual object CL49 from L17 (cyan contours;  $\lambda = 5157 \text{ \AA}$ ) and a nearby jellyfish galaxy (ID 8006; red contours;  $\lambda = 5167 \text{ \AA}$ ). Stepping through the MUSE cube we find that the emission flows seamlessly from the cyan contours to the red, suggesting that the two contour regions are part of the same ‘tail’ flowing out of the jellyfish galaxy at an offset velocity  $\Delta V \sim 420 \text{ km s}^{-1}$ .

### 3.3.3 Foreground and background objects

The final subset of the redshift catalogue contains all remaining objects: stars, foreground galaxies, and non-multiply imaged background galaxies. These help to fill in the line-of-sight picture of A370, and (in some cases) also provide information about the lens model.

We identify 11 stars in the field, including the very bright star (ID 10011) south-west of the cluster at the extreme edge of the MUSE footprint. Moving outside of the Milky Way, we detect 57 galaxies in front of A370, with redshifts between  $z = 0.1$  and  $z = 0.35$ . A large fraction of these objects are late-type galaxies with blue colours and prominent  $H\alpha$  and [O II] emission, though six show only absorption features in their spectra and have more elliptical morphologies. While the foreground systems do not display any obvious spatial clustering in the HFF data – galaxies are more or less evenly distributed throughout the mosaic footprint – we do find slight spectral overdensities at  $z \sim 0.26$  and  $z \sim 0.32$ , which could indicate the presence of coincident galaxy groups. Given their relative paucity, it is unlikely that these candidate groups will significantly affect the overall mass model, but we investigate this more thoroughly in Section 5.

There are considerably more background galaxies in the catalogue, especially in the range from just behind the cluster to the start of the MUSE redshift desert. In particular, we identify 134 (singly imaged) galaxies between  $z = 0.4$  and  $z = 1.5$ , which, like their foreground counterparts, largely appear blue and pink in optical (ACS) colour and show prominent emission lines – though we do find eight purely passive early-type galaxies randomly spread throughout the mosaic. The observed emission lines are predominantly [O II] and [O III], as  $H\alpha$  redshifts out of MUSE

spectra at  $z = 0.425$ . While some objects appear to be well-defined late-type galaxies, a larger fraction have clumpy, irregular morphologies, suggesting that many of these systems are actively forming stars. One interesting example is Object 15491, located in the far north of the mosaic. This galaxy has a strong blue power-law continuum, and several emission features with extremely high equivalent widths, including a strong Mg II [ $\lambda 2797, 2804$ ] doublet. While weak extended emission can be seen in the HFF imaging, it has a bright point-like centre suggesting the object is an AGN.

As in the foreground, galaxies in this redshift range are evenly spread throughout the mosaic and largely have a flat redshift distribution. However, we do find one prominent redshift overdensity at  $z \sim 1.05$ , where the number of objects is more than double any other redshift bin. This overdensity, which is also detected in D18, consists of a significantly larger number of galaxies than either of the foreground groups and may be indicative of additional substructure. As background objects, these galaxies also have a much better chance of affecting the positions of observed lensing constraints, so we investigate their effects on the mass model in Section 5.

Within the redshift desert, we find two objects (ID 10793,  $z = 2.3830$ ; ID 13028,  $z = 2.8050$ ) with moderate C III] emission in the north-east and north-west of the cluster, respectively, above the crown. We also identify a strong C III] emitter in the south-west of the cluster (ID 4139,  $z = 1.9655$ ) with a bright UV continuum and several other emission and absorption features, including Fe II\* [ $\lambda \sim 2400 \text{ \AA}$ ,  $\lambda \sim 2600 \text{ \AA}$ ] emission, which is useful for probing galactic winds (see e.g. Finley et al. 2017). Additionally, we identify a fourth potential C III] emitter (ID 11481,  $z = 2.5607$ ) in the north-east, and three objects with weak UV absorption features (ID 6655,  $z = 2.1240$ ; ID 13600,  $z = 2.5442$ ; and ID 14822,  $z = 2.8897$ ) at the western edges of the mosaic, but we stress that these identifications are made at low confidence ( $C = 1$ ) and could simply be noise.

Finally, we detect 14 singly imaged galaxies in the catalogue at distances beyond the redshift desert ( $z \gtrsim 3$ ). Given the high redshifts of these objects, they are largely located in the outskirts of the mosaic, outside of the A370 multiple-image zone. In nearly all cases, galaxies are identified by strong Lyman  $\alpha$  emission, though we do detect two Lyman-break systems with several other prominent UV-continuum absorption features (ID 12137,  $z = 4.2510$ ; ID 14650,  $z = 4.2561$ ) in the northern region of the cluster. With the exception of the very lowest redshift galaxies ( $z \sim 2.9$ ) and the Lyman-break objects, most systems are barely resolved in the HFF imaging with limited morphological information. Likewise, the extracted spectra often show little to no continuum emission, relying solely on the Lyman  $\alpha$  feature for redshift identification. The typical line flux for the Lyman  $\alpha$  emission is  $2.5 \times 10^{-18} \text{ erg s}^{-1} \text{ cm}^{-2} \text{ \AA}^{-1}$ , which, when coupled by the relatively low magnification values ( $\mu \sim 2.3$ ) associated with these sources, indicates that the lines are intrinsically bright, especially when compared to their multiply imaged counterparts at similar redshifts.

## 4 LENS MODELLING

### 4.1 Method

To model the total cluster mass, we use the publicly available software LENSTOOL<sup>6</sup> (Kneib et al. 1996; Jullo et al. 2007; Jullo & Kneib 2009). Based on a ‘parametric’ approach, LENSTOOL constructs an

<sup>6</sup><https://projets.lam.fr/projects/lenstool/wiki>



overall distribution using a series of individual components, each with an analytic profile. This is in contrast to ‘non-parametric’ methods such as WSLAP+ (Diego et al. 2007), which utilize a free-form grid of pixels without regard to a particular shape. The specific processes we employ in this work mirror those used in L17, and a complete description of the procedure can be found there. However, to aid the reader we briefly describe the general technique here.

We fit the system with a set of elliptical mass potentials, including both large cluster-scale haloes and smaller galaxy-scale masses. Each potential is constructed with a dual pseudo-isothermal elliptical profile (dPIE; Elíasdóttir et al. 2007), a distribution that matches empirical cluster data well and has enough flexibility to model variations at all scales. The basic dPIE halo is described by seven parameters, including position ( $\alpha$  and  $\delta$ ), position angle ( $\theta$ ), ellipticity ( $\epsilon$ ), central velocity dispersion ( $\sigma_0$ ), and two scale radii ( $r_{\text{core}}$  and  $r_{\text{cut}}$ ) that modify the inner and outer mass slopes of the profile, respectively. To optimize a given model, we take known multiple-image systems (Section 3.3.1) as constraints, minimizing the rms distance between the model-predicted locations of these objects and their actual positions on the sky. LENSTOOL generates a model prediction by first transforming constraints from the lens plane (observed positions) to the source plane (intrinsic, undeflected positions), grouping all counterimages of a given system together, and then calculating the barycentre coordinates of each group. These barycentre positions are then transformed back to the lens plane, where they can be compared to the original observations. Throughout this process, the code continually updates and tests new parameter configurations, using a Bayesian Markov Chain Monte Carlo (MCMC) sampling routine to search for the maximum likelihood region of parameter space. Once this region is discovered, LENSTOOL probes the area using a fixed number of MCMC realizations, treating the most probable configuration as the best-fitting model and averaging the others to determine parameter uncertainties. The exact number of sample iterations is specified by the user, which in this work we set to 100.

During model optimization, we allow all parameters of the cluster-scale potentials to vary freely, with the exception of  $r_{\text{cut}}$ , which we fix at 800 kpc (155 arcsec) since the mosaic data still do not extend far enough to put a meaningful constraint on its value. Conversely, we fix many of the parameters of the galaxy-scale haloes, since these components represent individual cluster-member galaxies and their values can be measured from the data directly. In particular, we match the  $\alpha$ ,  $\delta$ ,  $\epsilon$ , and  $\theta$  parameters for each galaxy to their observed values in the HFF F814W image. To further reduce the model parameter space, we do not fit the remaining galaxy-scale parameters independently. Instead, we only model the parameters of a typical  $L^*$  galaxy, then calibrate all other potentials with an empirical scaling relation, given by

$$\begin{aligned}\sigma_{0,\text{gal}} &= \sigma_0^* \left( \frac{L_{\text{gal}}}{L^*} \right)^{1/4}, \\ r_{\text{core,gal}} &= r_{\text{core}}^* \left( \frac{L_{\text{gal}}}{L^*} \right)^{1/2}, \\ r_{\text{cut,gal}} &= r_{\text{cut}}^* \left( \frac{L_{\text{gal}}}{L^*} \right)^{1/2},\end{aligned}\quad (1)$$

where  $\sigma_0^*$ ,  $r_{\text{core}}^*$ , and  $r_{\text{cut}}^*$  are the optimized components of the  $L^*$  galaxy. We note, however, that we fix the value of  $r_{\text{core}}^*$  to 15 kpc, as it is difficult to constrain a true core radius for small-scale mass distributions. Additionally, we limit the variation of  $r_{\text{cut}}^*$  to be between 10 and 30 kpc, in order to account for the effects of tidal stripping within the cluster (e.g. Halkola, Seitz & Pannella 2007),

and because there is often a strong degeneracy between  $r_{\text{cut}}^*$  and  $\sigma_0^*$ . For reference,  $L^* = 3.19 \times 10^{10} L_{\odot}$  at  $z = 0.375$ , corresponding to an apparent magnitude  $m_{F814W} = 19.78$ .

## 4.2 Model construction

Choosing a robust set of model components (both potentials and multiple-image constraints) is crucial to this work, as it allows us to reproduce the true distribution of A370 as accurately as possible. Since there is no direct evidence to constrain the number of large-scale dark matter haloes in the cluster, we begin by mirroring the GTO model. Namely, we include four such mass components in our initial guess: two located around the BCGs, a third ‘bridge’ clump connecting the BCG haloes and flattening the central mass profile, and finally the crown clump in the north-east of the cluster. However, after the initial model run, we experiment with different numbers of cluster-scale potentials (Section 4.3) to see if an alternative parametrization is more appropriate.

When selecting galaxy-scale potentials, we first investigate sources in the catalogue that fall in the cluster redshift range ( $0.35 \leq z \leq 0.4$ ). While we can in principle include all of these galaxies as potentials, doing so would make the model needlessly complex, as faint (i.e. low-mass) cluster members do not significantly contribute to the total mass budget. From past experience we find that applying a nominal magnitude cut-off ( $m_{F814W} < 22.6$ ) keeps the model computationally manageable without affecting its accuracy, so we maintain these ‘bright’ cluster members as model components and disregard the rest. To supplement these galaxies, we apply a colour–colour cut to the entire HFF field in order to select any potential cluster members without a spectroscopic redshift. Using the confirmed cluster galaxies as a guide, we find that the dual colour–magnitude red sequence given by

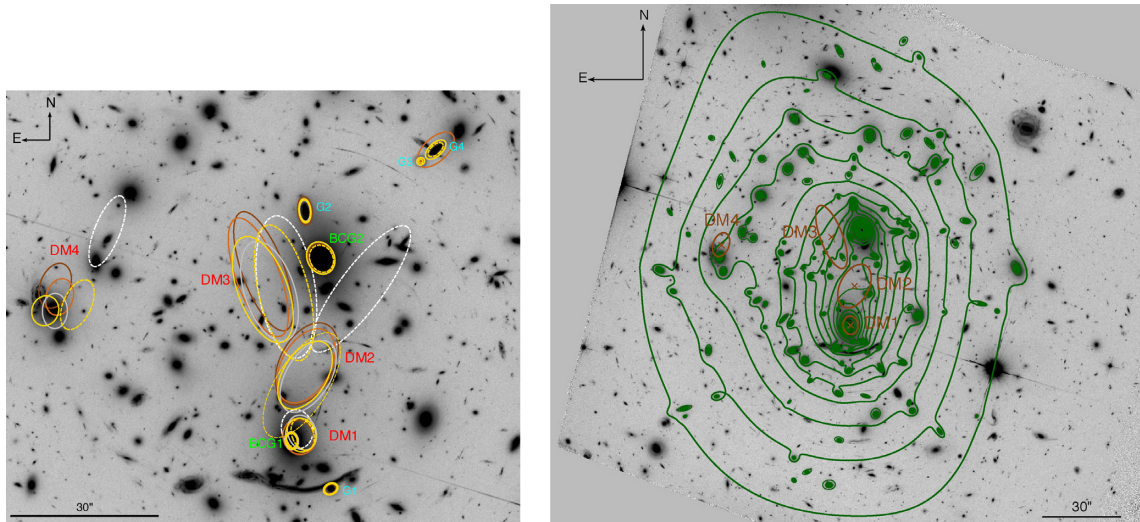
$$\begin{aligned}(-0.11 \times m_{F814W}) + 4.06 &\leq (m_{F435W} - m_{F606W}) \\ (-0.11 \times m_{F814W}) + 4.45 &\geq (m_{F435W} - m_{F606W})\end{aligned}\quad (2)$$

and

$$\begin{aligned}(-0.04 \times m_{F814W}) + 1.74 &\leq (m_{F606W} - m_{F814W}) \\ (-0.04 \times m_{F814W}) + 1.93 &\geq (m_{F606W} - m_{F814W})\end{aligned}\quad (3)$$

can accurately detect these objects. While this selection function does identify some additional galaxies, the gain is small (15 galaxies) and limited to the far outskirts of the cluster, thanks to the large spectroscopic coverage of the MUSE mosaic. Combining all systems, we have a total of 126 galaxy-scale components in the model. Of these, nearly all are included in the  $L^*$ -based scaling relation, but we remove six special objects from the list (see Fig. 8) and model them separately. In particular, we remove the two BCGs because we do not expect them to follow the same empirical relation (e.g. Richard et al. 2010), while an additional four galaxies (IDs 6023, 12084, 12305, and 12718; see Table A1) lie close enough ( $< 2$  arcsec) to a multiple image constraint to induce a galaxy–galaxy lensing signal. Because of the high magnification induced by the galaxy–galaxy interaction, these objects are given an undue weight in the scaling relation, leading to a biased parameter fit.

For the multiply imaged features, we include all of the systems identified in the spectroscopic catalogue, as they provide the strongest constraints on the model. However, we also add additional systems with less secure (or missing) redshifts, as these objects can still reveal information about the cluster mass distribution. While we do not apply weights to any multiple-image constraint, we do classify images based on their overall reliability, following the



**Figure 8.** Mass model properties. *Left:* differences between the final optimized haloes of the *gold*, *silver*, *bronze*, and *copper* models (colour scheme matches Fig. 1.) For comparison, the final positions of the large-scale haloes in the GTO model are shown as dashed white ellipses, and those of the ‘no-shear’ gold model are shown as dashed yellow ellipses. The size of each ellipse is scaled to the halo’s velocity dispersion, highlighting the relative mass of each component. The large-scale components (DM1 to DM4) show little change from model to model – thanks largely to the overwhelming number of *gold*-class constraints – though we do see a slight increase in ellipticity as lower-confidence multiple-image systems are added. The crown clump (DM4) shows the most variation, though its change in position is still small (typically  $< 6$  arcsec). Smaller-scale masses show even less variation, and any noticeable change (such as the relative mass difference between G3 and G4) can be explained by model degeneracies. Best-fitting values for all parameters are given in Table A1. *Right:* Mass density contours of the best-fitting *copper*-class model (green lines), along with the positions and orientations of the large-scale dark matter haloes (copper ellipses). We again stress that the ellipses are only meant to show the relative strength and shape of each halo, and are not truly representative of their mass distributions. Contours appear at steps of  $2.5 \times 10^8 \text{ M}_\odot \text{ kpc}^{-2}$ , starting at  $5 \times 10^8 \text{ M}_\odot \text{ kpc}^{-2}$ . Like the GTO model, the contours appear elliptical in the core, and then gradually become boxy towards the outskirts. As expected we see significant mass overdensities near the BCGs and crown galaxies.

convention of the HFF public modelling challenge. As part of the challenge, any modeller can suggest an image to add to the constraint set (either a known multiple image or a new candidate) and all groups then vote on the object’s inclusion. Based on the results of the vote, images can be classified in one of three categories: *gold*, *silver*, or *bronze*, or remain uncategorized and not included in the challenge set.

Images in the *gold* category are considered the most reliable constraints, with a broad agreement between groups that they are real multiple images. These systems often have a distinct and recognizable morphology and a well-defined redshift – in fact, based on the rules of the challenge a *gold*-class constraint is *required* to have a spectroscopic redshift. Similarly, *silver*-class objects are also considered reliable, but may be missing an essential component, such as a distinct morphological identification or a spectroscopic redshift. While these images can generate some disagreement between modelling groups, they are still highly ranked by a majority of teams. Constraints in the *bronze* class are less certain than the other categories – often, these images have only a tentative spectroscopic redshift and/or an unusual feature (such as a dissimilar shape or colour) that makes them appear different from their counterimages. However, there is still enough of an agreement between groups to include them in the challenge. Any remaining candidate systems (which generate even more disagreement between modelling teams) are dropped from consideration.

The A370 challenge considers a total of 150 candidate lens images, gathered from L17, D18, and the new systems presented in this work. Of all the images considered, a vast majority (103 images) are rated as *gold*-class constraints, along with a small minority of *silver*-class (12 images) and *bronze*-class (7 images) objects as well. Although there are only three categories used in the

public modelling challenge, our model of A370 includes a fourth category, which we label as *copper* constraints. While these objects are not formally considered as part of the modelling challenge, their exclusion can often be explained by special circumstances, and we believe they are all real multiply imaged systems. In particular, Systems 39 and 40 and Images 15.6 and 15.7 (all of which have spectroscopic redshifts) were only discovered after the modelling challenge had finished, while System 45 ( $a z > 7$  dropout candidate identified by Ishigaki et al. 2018) was suggested too late in the process to be voted on by all groups. The remaining *copper*-class constraints (such as Images 10.3 and 11.3) have been evaluated by the modelling teams but did not receive enough favourable votes to make the final cut. In spite of this, we feel there is enough additional evidence, such as shape and multiband colour, to include these images regardless. Overall, we include 15 *copper*-class images in our model, which, when combined with all other constraints, leads to a grand total of 137 multiple-image objects in the field. The final classification of all ‘good’ objects can be seen in Table 1.

We note that the additional systems identified by K18 were not available during the modelling challenge voting period. Since these objects have no votes and also no spectroscopic data, even here, we do not include them as model constraints. However, we use them after the fact as predictive images, in order to see if they are consistent with our new model (Section 4.3.3).

### 4.3 Results

After selecting the appropriate set of model components and constraints, we input everything into LENSTOOL and proceed to measure a best-fitting mass distribution for A370. Initially we only include

*gold*-class images as model constraints, as this avoids potentially biasing the fit with less reliable data. However, we progressively add additional constraints as the model develops.

#### 4.3.1 The gold model

In order to probe as broad an area of parameter space as possible, we place large uniform priors on all variables during optimization, centring the limits of each parameter's prior on its corresponding GTO model value. Based on the results of this *gold*-model fit, we find that the shape and magnitude of the mass distribution remain broadly similar to those of the GTO model, though some individual components have significantly shifted. In particular, relative to L17 the two cluster-scale mass clumps near the northern BCG rearrange themselves from a V-shaped configuration to a more linear shape, with the eastern clump moving slightly northwards, and the western clump moving farther south, creating a more obvious bridge between the northern and southern cluster haloes. The relative position angles (PAs) of these components remain the same, however, and still create boxy iso-mass contours that trace the shape of the X-ray gas. We note that the GTO V configuration is likely due to the limitations of using purely elliptical potentials, rather than a true configuration of the mass distribution, and that a linear configuration is likely closer to reality, given the orientation of the two merging clusters. Conversely, the crown clump remains largely unchanged from its GTO orientation and mass, providing further evidence for its importance in the model.

We evaluate the quality of the fit by measuring the rms error of the constraint predictions, finding that – despite using more than double the number of constraints – the average rms separation only increases by a small fraction, from 0.94 arcsec in the GTO model to 1.08 arcsec. While this is not a poor fit overall, it is slightly larger than the 1 arcsec benchmark that is often used as the minimum level of acceptable rms error. To try to improve the fit, we first attempt to add additional mass components to the system, in a similar fashion to the crown clump in the GTO model. Unlike that situation though, there are no significant ‘bad’ regions where the model predictions are highly offset from observations and thus no obvious choice for where to position a new component. Therefore, we generate several new trial configurations, placing a single additional potential at random points throughout the field – but paying particular attention to the western side of the cluster where there are no large scale clumps currently. As before, we again apply broad uniform priors on the component parameters, allowing for a considerable amount of freedom in the fit. However, after running all configurations we find that the model rejects this new clump, assigning it an unrealistically low mass ( $\sigma_0 < 100 \text{ km s}^{-1}$ ) and leaving the average rms unchanged.

#### 4.3.2 External shear

As an alternative, we run the modified *gold* model again but with an external shear component taking the place of the new potential. The results of this test are significantly different from our previous trials: The new model shows a marked improvement over the original, lowering the average rms to 0.66 arcsec. While the new shear term does not significantly change the total enclosed mass of the cluster, it does shift mass between various large-scale components and also affects their shapes. In particular, we notice that the two central cluster haloes (DM2 and DM3) have lower velocity dispersion

parameters (by  $\sim 12$  per cent), while the northern BCG (BCG2) and a nearby cluster member that we model independently from the scaling relation (GAL2; ID 12084) increase by roughly the same amount ( $\sim 15$  per cent). However, this is likely due to a degeneracy between the shear and the potentials, especially in the case of GAL2, which (while likely massive) does not appear to have an unusually large radius like a BCG, nor does it show exceptionally wide absorption features – which would justify a high  $\sigma_0$  value – in its extracted spectrum. At the same time, all large haloes become noticeably rounder with the shear model (a natural consequence of including an additional ‘stretching’ term), with an average ellipticity  $\epsilon = 0.35$  as compared to  $\epsilon = 0.60$  in the shear-free model. Even with this reduction, however, we note that the haloes still maintain the same orientation and continue to drive the boxy appearance of the central mass distribution.

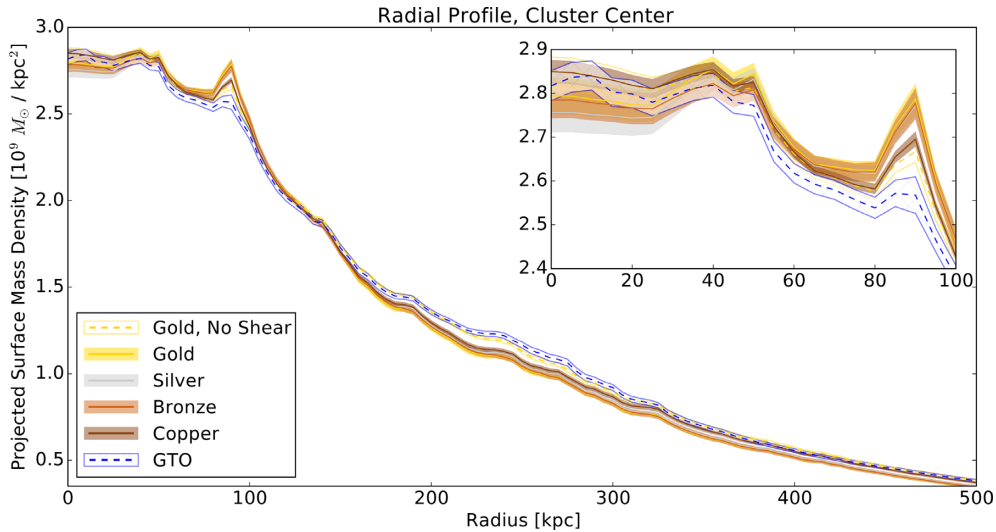
Although including shear improves the fit, the term itself presents a slight problem from a physical point of view: The nature of external shear (a constant, non-localized effect that uniformly distorts model constraints) is inherently non-physical, merely serving as a proxy for some unknown effect. While a small amount of shear can account for localized perturbations such as the intrinsic variation in galaxy-scale masses, larger values ( $\Gamma > 0.1$ ) point to a more significant issue, such as an unaccounted-for mass distribution or substructure – which may be located a considerable distance away from the main cluster (e.g. Jauzac et al. 2016). This is the case in our *gold* model, where the magnitude of the shear term is  $\Gamma = 0.128$ . We investigate the nature of this component in the next section (Section 5), where we attempt to replace it with a more physically motivated feature. For now, however, we maintain the shear term in our subsequent models due to the positive impact it has on the results.

#### 4.3.3 Incorporating further lens constraints

To explore the mass distribution further, we begin adding new constraints to the model, starting with the *silver* images, followed by the *bronze* and finally the *copper* systems. Because the total number of *gold* constraints is considerably larger than all other objects combined, the effects of the new systems are typically very small, though the total model rms error increases slightly, from 0.70 arcsec in the *silver* model to 0.73 arcsec in the *bronze* model and 0.78 arcsec in the *copper* model. We do note, however, that incorporating new constraints near the central regions of the cluster seems to redistribute some mass from individual galaxies back to the large-scale haloes. The final positions and orientations of the large-scale haloes in all models can be seen in Fig. 8. From the figure, it is clear that – despite having large freedom to vary – the cluster haloes remain generally static as the model progresses from *gold* to *copper*. While the crown clump potential (DM4) is the component most sensitive to newer constraints, its centroid moves by less than 6 arcsec over all models. Given the typical centroid uncertainty of DM4 ( $\sim 2.5$  arcsec), this is consistent within  $2\sigma$ . Likewise, the total mass of DM4 (within a 150 kpc aperture) varies by less than  $\sim 10$  per cent, also within the range of model uncertainty.

Similarly, we compute the radially averaged surface mass density profile for each model, starting from the midpoint between the two BCGs ( $\alpha = 39.970417$ ,  $\delta = -1.5768056$ ) and continuing to distances well outside the cluster core (Fig. 9). Like the individual mass components we again see a good agreement between models, in terms of both absolute value and overall profile shape. In all cases the profile shows a flat central core, followed by a small bump at





**Figure 9.** Radial surface mass density profiles of all models. In each case the best-fitting value is shown by a dark line, surrounded by a lighter shaded region representing model uncertainty. The shape of the profile is similar for all models: The surface density is largely flat in the central cluster core and then slowly diminishes at larger radii. This is also consistent with other independent models of A370 (e.g. D18), and we do expect a flat core, based on the high number of multiple images seen near the cluster centre (Section 3.3.1). The sharp peak at  $\sim 90$  kpc is due to the high mass of the BCGs, which are considerably overdense compared to other components. The total magnitude of the density is also largely consistent between models in the inner cluster, given the measured errors, though the GTO and ‘no-shear’ *gold* models show higher densities at distances beyond 200 kpc. This is because these models do not utilize a (massless) external shear term, and the discrepancy between the sheared and non-sheared models can point to the presence of additional mass components in the cluster outskirts. In the inset plot we zoom in on the central 100 kpc of the cluster, better differentiating the profile shape of different models and highlighting their good statistical agreement.

$\sim 90$  kpc (corresponding to the location of the BCGs), and then a long, slowly decreasing tail.

Accounting for model uncertainties, the magnitudes of the profiles are largely consistent with one another, though we note that the models that do not include external shear (the *gold* no-shear model and the GTO model) have higher average densities in the cluster outskirts and beyond. This is often a consequence of including a (massless) external shear term in the model, and can signal the presence of additional mass components at larger radii (e.g. Mahler et al. 2018). Measuring the logarithmic slope ( $d\Sigma$ ) of the profile, we see different  $d\Sigma$  values at different radii (though these values are again consistent between models), instead of a constant value indicating a pure power-law slope. In the region best constrained by strong lensing ( $50 \text{ kpc} < R < 350 \text{ kpc}$ ) we find that the slope gradually steepens from  $d\Sigma = -0.25$  to  $d\Sigma = -1.5$ . This is generally consistent with an equivalent NFW (Navarro, Frenk, and White 1997) halo model (and an exact match at  $R \sim 200 \text{ kpc}$ ), though our values are more extreme at the edges. This can largely be attributed to the dPIE mass profile, which takes the form of a double broken power law that diverges from NFW. Specifically, the dPIE surface profile has a flatter-than-NFW core region ( $d\Sigma = 0$ ), followed by an isothermal middle ( $d\Sigma = -1$ ), and a steeper-than-NFW outer region ( $d\Sigma = -3$ ). Regardless of these slight changes, however, we note that our slope values are fully consistent with predictions made by  $\Lambda$ CDM structure formation models (see e.g. Tasitsiomi et al. 2004).

Because the *copper* model is broadly similar to the other models and includes the largest number of lensing constraints, we subsequently adopt it as our best-fitting ‘fiducial’ model, and it is the one we use to test the effects of substructure in the next section. The major parameters of each model can be seen in Table A1, and we highlight the 2D mass contours of the *copper* model in Fig. 8.

Additionally, we use the *copper* model to test the properties of the remaining lens systems presented in K18. This is done by feeding the already-optimized model and the candidate multiple-image positions to LENSTOOL, allowing the software to make model-based predictions of their counterimages. By comparing the differences between the model predictions and the observed positions of the systems, we measure their rms compatibility with the model. Since all candidates lack a known redshift, for the purposes of this test we assume the best-fitting redshift values measured in the K18 model. After running the test, we find that the candidate multiple-image systems have an average rms error of  $1.5 \text{ arcsec}$ . While this is inherently large, the result is unsurprising since the model is not specifically optimized for these objects and there is a large uncertainty on their redshift estimates. Therefore, we conclude that the K18 systems are at least marginally consistent with the model, and some (if not all) could truly provide additional model constraints. We note that follow-up data, such as secure spectroscopic redshifts, would help this investigation considerably.

As a final check for missed lensing constraints, we also use LENSTOOL to predict the existence of counterimages in the *copper* model for all the remaining spectroscopically confirmed galaxies lying behind the cluster ( $z > 0.4$ ), finding that all such candidates have only single-image configurations.

#### 4.3.4 Complex multiple-image groups

In addition to teaching us about the cluster mass distribution, our best-fitting model also provides information about the multiple-image galaxies themselves. As mentioned in Section 3.3.1, predictions made by a developed lens model can reveal the presence of additional faint counterimages initially missed by observations. This

is the case for Images 15.6 and 15.7, which lie too close to a cluster member (Object 12084) to be directly seen in imaging, and are too faint to be automatically detected by MUSELET. Only by following up a prediction from the initial *gold*-class model are we able to observe faint traces of emission in narrow-band imaging, which we identify as Lyman $\alpha$  after manually extracting spectra from the MUSE cube, thus confirming the nature of the counterimage pair.

However, model predictions can also help to ‘match’ constraint systems together, signalling that objects initially thought to be independent constraints are actually part of the same system. A prime example of this is System 37, a pair of images that is – coincidentally – also located near Object 12084. Initially identified as a simple galaxy–galaxy lens pair in the north of the cluster, our updated mass model predicts three additional counterimages in the south, which happen to coincide with the positions of System 19. Likewise, the three images in System 19 also predict additional counterimages that match to the positions of System 37. While the redshifts of the two systems are slightly different ( $z_{\text{Sys19}} = 5.6493$ ;  $z_{\text{Sys37}} = 5.6489$ ), they are within measurement uncertainty, and the spectra of both show similar shapes in their Lyman $\alpha$  profiles (Fig. B1). Unfortunately, contamination from intracluster light (from the BCG and Object 12084) makes an appearance match between Systems 19 and 37 impossible in the HFF imaging. However, given the strong spectral and model evidence, it is very likely that the two systems are one and the same. To test this, we run a new *gold* model where we explicitly designate the images of System 37 to be part of System 19 (as Images 19.4 and 19.5, respectively) and find that the end result is identical (within uncertainty) to the model where the two systems are kept separate. This further supports our theory. Although we could in principle change the labelling of System 37 based on this test, we choose to keep the original numbering scheme (with separate Systems 19 and 37) in order to keep our results in line with others based on the public modelling challenge.

Similarly, we use model predictions to investigate Systems 7 and 10, which may also be linked together. This possibility is presented in D18, who find that by decreasing the mass-to-light ratio of the two BCGs (which subsequently reduces the dark matter content of the galaxies), their model is able to fit all counterimages of both systems using a single source galaxy. This is a particularly intriguing possibility, not only because a combined System 7 + 10 would create yet another system with a large number of counterimages ( $n > 5$ ) and one with multiple radial arcs, but also because the proposed solution – a BCG that is significantly depleted of dark matter – would be at odds with  $N$ -body simulations and may challenge our understanding of BCG formation history (e.g. Newman et al. 2013a,b; Laporte & White 2015).

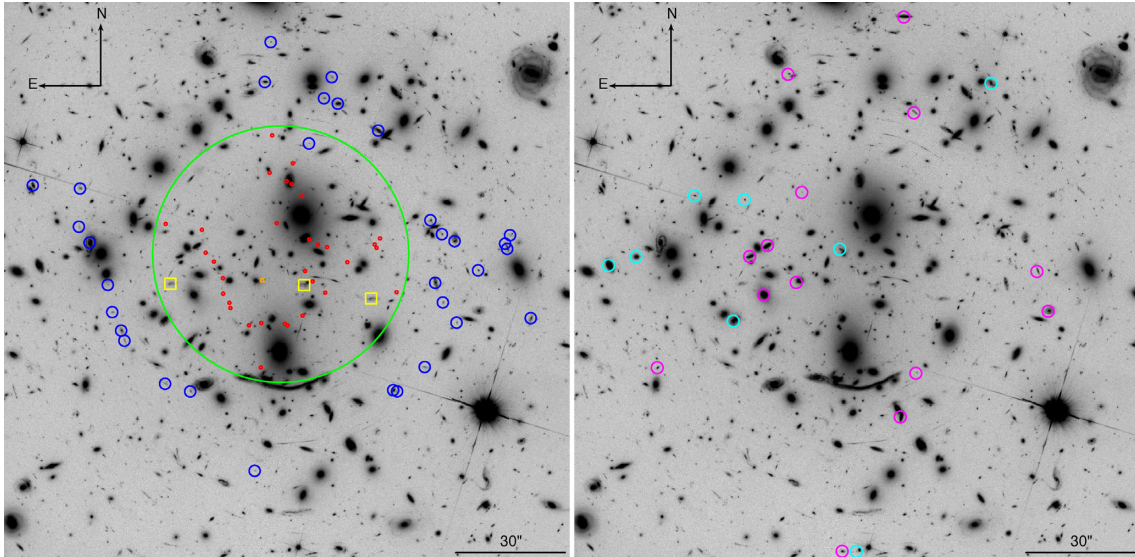
Although we keep the two systems separate in our *copper* model, we find that they fall very close to one another in the source plane, with predicted counterimages of System 7 overlapping the positions of System 10 and vice versa. Thus, given their identical redshifts and similar *HST* colours and appearance, the joint-image theory seems plausible. Unlike D18, our model does not need to alter the mass content of the BCGs for this match to work, as we still fit massive haloes around each galaxy. However, our results do modify the configuration of System 10: Rather than a merging pair of images near the northern BCG (Images 10.1 and 10.2), the model instead predicts a single, highly stretched component at the same location. Because the actual image seen in the HFF data is considerably distorted, it is difficult to identify any distinct morphological markers that could verify whether we are

seeing a single galaxy image or a merging pair. We note, though, that a merging-pair solution would require the critical curve of our model (which would, in that case, bisect the two images) to shift from its current position by a large amount ( $> 2$  arcsec), which is significantly greater than the rms uncertainty of the fit.

## 5 SUBSTRUCTURE: A REPLACEMENT FOR EXTERNAL SHEAR?

As previously mentioned, a large external shear term can signal the presence of substructure or other unidentified mass in the vicinity of the main cluster. To investigate this possibility in A370, we look for conceivable substructures in the data, with the goal of replacing the shear with a more physically motivated component. Of all the possible candidates, the most obvious choice is the moderate overdensity of galaxies at  $z \sim 1$ , containing 33 galaxies spanning the narrow redshift range  $1.03 < z < 1.09$ , including the intriguing ring-like galaxy (ID 10287) first identified in Soucail et al. (1999). At first glance, this appears to agree well with the background group identified in D18 (30 objects between  $z = 1.0$  and  $z = 1.1$ ) using GLASS spectroscopy. However, after cross-checking with MUSE data we find that several members of the D18 group have been misidentified or have incorrect redshifts. Specifically, six of these galaxies are more clearly identified in MUSE as low-redshift ( $z < 0.6$ ) systems (MUSE IDs: 5263, 7115, 9336, 9914, 10544, and 14179), while four other sets of ‘close-pair’ galaxies are simply separate components of highly clumpy spirals. Furthermore, we also notice that three members of the group are in fact the three images of Multiple Image System 6 ( $z = 1.0633$ ), which should only count as a single object. Eliminating the false detections reduces the total number of GLASS systems to 18. Of these, 15 lie in the MUSE footprint and we are able to confirm that their redshifts are indeed in the correct range. The remaining three galaxies lie slightly outside of the MUSE field, so we are unable to independently verify their redshifts. However, looking at these systems in the HFF data, we find that two objects (GLASS IDs 1982 and 3004) appear as faint blue clumps with similar colours and morphologies to many confirmed galaxies in the group, while the third (GLASS ID 1230) is red and elliptical, with an appearance closer to the galaxies rejected by MUSE. Therefore, we include the two blue objects in the final group but reject the red galaxy, which we note is flagged in GLASS as having a low spectral quality ( $Q = 1$ ). Adding in the remaining MUSE-identified systems that do not appear in the GLASS catalogue (18 galaxies), we include 35 galaxies in total for the final substructure sample. The observed positions of these objects are shown in Fig. 10.

As a first test we simply include all group members as additional galaxy-scale potentials, while leaving the external shear term in place. Mirroring the procedure for the cluster members, we employ a second mass-traces-light scaling relation (equation 1) for the background group, in order to keep the total number of model parameters manageable. We normalize this relation to the median redshift of the group ( $z = 1.0494$ ), determining a normalization constant ( $m_{F814W} = 21.45$ ) based on the behaviour of  $L_*$  with redshift presented in Lin et al. (2006). Since this model includes masses at two distinct redshifts, we use a modified version of LENSTOOL to optimize the distribution, designed to account for multiple lensing deflections along the line of sight. Specifically, the ‘multiplane’ setting of LENSTOOL first transforms the observed coordinates of the background group members (which are themselves deflected by the cluster) to their intrinsic source positions before including the



**Figure 10.** Line-of-sight substructure candidates. *Left:* objects in the overdense spectral bin ( $z \sim 1.05$ ) behind A370. Image-plane positions of all galaxies are shown as blue circles, while their subsequent source-plane locations (assuming the best-fitting *copper* model) are shown in red. The three counterimages of System 6 (which also falls in this redshift range) and its source-plane location are instead shown as yellow and orange squares. We investigate the effects of line-of-sight substructure by including these systems as additional components in the mass model (Section 5.) The green circle highlights the extent of the group in the source plane, and serves as the centroid of a group-scale mass component. *Right:* substructure candidates in the foreground of A370. We identify two distinct groups in the redshift catalogue, at  $z \sim 0.256$  (cyan circles) and  $z \sim 0.326$  (magenta circles). The positions of the galaxies are consistent with the orientation of the external shear term in the model, and we note that many fall near the location of the crown mass clump, which raises the possibility that they could be responsible for one or both components. However, much like their background counterparts, these systems have low mass and we find that they do not significantly affect the total mass model.

mass in the model fit, providing a more accurate description of the mass distribution. This in turn creates a more realistic light path for the observed system: Flux from the distant lensing constraints first reaches the plane of the background group, where it is lensed and deflected by the group mass. The deflected source light and undeflected group light then travel together to the cluster plane, where everything is subsequently deflected again by the cluster mass.

After optimizing the new configuration, we find that the additional potentials do slightly improve the fit ( $\text{rms} = 0.75$  arcsec; Table A1) but the model assigns only a small amount of mass to the new potentials and maintains a high-magnitude external shear term. Therefore, to test for possible degeneracies between shear and substructure mass, we run a second version of the model that eliminates the shear term entirely. Without the shear, the model quickly reverts to a configuration closer to the no-shear *gold*-class model, with a large rms value and a poorer overall fit. This suggests that the background galaxies alone are not massive enough to account for the observed model distortions; this result is perhaps unsurprising, given that the identified group galaxies are typically much smaller and fainter than the cluster members.

Alternatively, we model the group with a large-scale mass component. Taking advantage of the LENSTOOL multiplane ray-tracing capability, we replace the individual galaxies in the  $z \sim 1$  scaling relation with a single massive potential representing the group halo. This allows us to not only test for an alternative to shear but also assess the likelihood that the group members are truly gravitationally bound. Since LENSTOOL currently forces background components to have a fixed lens-plane position, we place the halo at the group centroid, determined by averaging over the individual coordinates of all group members (Fig. 10). Similarly, we fix its

redshift to the group median,  $z = 1.054$ . Given the uniform spatial distribution of the group members, we assume a circular rather than an elliptical shape for this component, though we maintain a radial profile that behaves like a dPIE potential. We note that these parameter choices are largely driven by the MUSE data, and that it is possible additional group members may reside outside of the MUSE footprint, leading to a change in centroid and redshift. However, given the flexibility of the multiplane model – by calculating the group centroid in the image plane, the component still moves relative to the cluster in the source plane – the effects of these possible systematics should have only a small effect on the results.

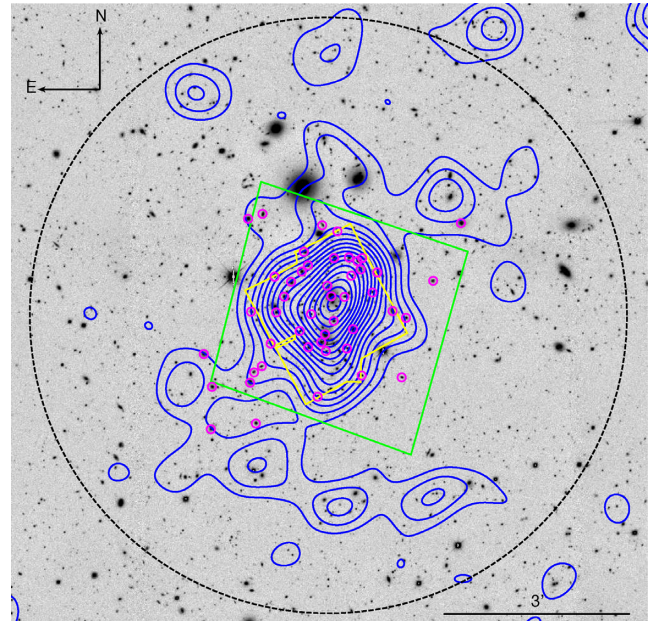
After running two new models in this configuration – with and without the external shear term – we again find that the background group has little impact on the overall model, failing to significantly reduce the shear term when it is included or provide a viable alternative in its absence. Furthermore, the low total mass of the component ( $\sigma_0 \sim 200 \text{ km s}^{-1}$ ) makes it unlikely to be large enough to bind the individual group members together, implying that the ‘group’ is simply a chance alignment of several unrelated galaxies. We note, though, that the extended nature of the profile makes it more susceptible to degeneracies with other components. This is particularly true of the central large-scale potentials (DM2 and DM3) that make up the cluster mass distribution, which are both largely coincident on the group position. Even accounting for possible degeneracies, however, the fact remains that no combination of background galaxies or halo terms is able to significantly alter the external shear component, strongly suggesting that these masses are not the main driver of the additional model perturbations. We are therefore forced to look at other possibilities.

The two small overdensities in the foreground of A370 (Section 3.3.3) stand as another logical choice, as both groups show



some evidence of clustering (Fig. 10), and many of the galaxies are located to the east or west of the main cluster centre – regions where additional mass would be expected given the orientation of the external shear term ( $\Gamma_\theta \sim -18^\circ$ ). However, most objects in these groups appear small and faint in HFF imaging, implying that they have low masses and thus a limited range of influence on the model. While low-mass systems make for poor lenses in any circumstance, lying close to an already massive lensing cluster enhances the effect: Even assuming these objects have masses equal to a typical cluster member, their deflection angles relative to the cluster plane are only expected to be 0.3 arcsec. Since the foreground galaxies are on average over 3 arcsec away from ‘nearby’ lensing constraints, it is unlikely that they will significantly perturb the constraint coordinates, especially not in a coherent fashion that mimics external shear. Furthermore, the sparse number of objects in each group (8 at  $z = 0.256$  and 14 at  $z = 0.326$ ) suggests that any halo binding the objects together is itself a low-mass system that is far less significant than the existing physical components. Never the less, we run an additional model that includes all foreground galaxies in both groups. Given the small line-of-sight separation between these objects and the main cluster, we simply add them directly to the existing  $L^*$ -based scaling relation, instead of generating a new, separate relation. However, to account for the fact that foreground objects have a less efficient lensing effect, we renormalize their fluxes by the ratio of luminosity distances ( $R = D_{L,\text{group}}/D_{L,\text{cluster}}$ ) making them slightly fainter (and thus, less massive) during the fitting process. As expected, we find that the model is unchanged relative to the *copper*-class model, and we reject the foreground deflectors as a suitable replacement for the shear. In doing so, we effectively eliminate all sources of line-of-sight substructure as strong model perturbors, though we note that they do have some influence on the final fit. This agrees with the results presented in Chirivì et al. (2018), who find that including line-of-sight galaxies slightly improves the model of MACS0416, but not enough to significantly modify the final parameters of the main cluster mass components.

While our current analysis shows that line-of-sight substructures do not play a large role in the A370 mass model, it does not address physically related structures farther away from the cluster core. As shown in Jauzac et al. (2016), these components can dramatically impact the cluster mass environment, and in some cases act in place of external shear (e.g. Mahler et al. 2018). Though outside the focus of this paper, follow-up on such structures would be particularly interesting. Indeed, there is already some evidence that additional mass structures in the outskirts of A370 may exist: Lower-resolution imaging data taken with CFH12K (Hoekstra 2007)<sup>7</sup> on the Canada–France–Hawaii Telescope (CFHT) show several concentrations of galaxies with similar colours to cluster members (Fig. 11), and early CFHT/PUMA and ESO/PUMA2 spectroscopy (Fort et al. 1986) tentatively measures redshifts for a few of these objects, placing them at the same distance as the cluster (Mellier et al. 1988). The east- or west-of-centre locations of these concentrations are also promising in terms of external shear replacement, since despite being at greater distances from the cluster, their potentially much larger masses could have a stronger effect. The current low-resolution imaging and sparse spectroscopy do not allow us to investigate this possibility, though future data will improve these prospects significantly. The upcoming



**Figure 11.** CFH12K imaging of A370 and its surroundings. Using multi-band ( $B + R + I$ ) photometry, we identify members of the cluster red sequence, smoothing the light from these galaxies to observe any extended structure they create (blue contours). While the majority of the light falls in the core of the cluster (seen at the image centre), we do find other concentrations at extended distances – especially in the north-west and south-east. Low-resolution PUMA spectroscopy taken throughout the field reveals that at least some of the galaxies in these extended regions have confirmed cluster redshifts (magenta circles), suggesting they could be additional substructure candidates. The black dashed circle has a radius of 1.5 Mpc and serves as a rough estimate of the A370 virial radius, showing that these structures fall well within the theoretical cluster boundary. For reference, the extent of the MUSE and HFF footprints are shown in yellow and green, respectively.

wider field-of-view BUFFALO imaging of A370 will provide deep multiband imaging of these groups, while an upcoming wide-area MUSE mosaic designed to overlap the BUFFALO imaging will bring high-resolution spectroscopy, providing secure redshifts for all group members. With this additional data in hand, we will be in a much better position to investigate substructure in the A370 field.

## 6 CONCLUSIONS

In this work we have continued our investigation into the strong-lensing cluster Abell 370, expanding on our initial GTO study (Lagattuta et al. 2017) thanks to a larger mosaic of high-resolution MUSE spectroscopy and deeper *HST* imaging. As part of these efforts we have constructed a comprehensive redshift catalogue covering the full line-of-sight region in the vicinity of the cluster core. This catalogue, which is significantly more complete than the GTO edition, has considerable legacy value in its own right, and we highlight the fact that many of the redshifts published in this catalogue – already provided internally to other lens-modelling groups as part of the *Hubble* Frontier Fields modelling challenge – have proven useful in other modelling efforts (e.g. D18; Strait et al. 2018). Our main results are as follows:

- (i) The new redshift catalogue contains 584 entries, including 506 independent objects when accounting for multiple-imaging

<sup>7</sup>[http://home.strw.leidenuniv.nl/~hoekstra/Projects/CCCP.CFH12k\\_image\\_s.html](http://home.strw.leidenuniv.nl/~hoekstra/Projects/CCCP.CFH12k_image_s.html)

effects. With 11 stars, 57 foreground galaxies, 244 cluster members, 155 background galaxies, and 39 multiply imaged systems, this catalogue provides a 3D picture of the central cluster and its immediate surroundings.

(ii) The MUSE spectroscopic data cover nearly the entire multiple-image region of A370, allowing the identification of several new multiply imaged galaxies and more than doubling the number of spectroscopically confirmed systems. These include a number of faint or continuum-free Lyman $\alpha$  emitters that are ‘invisible’ in broad-band imaging. In addition, we confirm and refine the redshifts of non-spectroscopic galaxies identified in earlier works.

(iii) Thanks to the significant increase in multiple-image constraints, we are able to probe the A370 mass distribution out to larger radii, and with much greater accuracy. Given the abundance of high-confidence ‘gold-class’ spectroscopic constraints, we find little difference between our initial (*gold*) model and subsequent trials (*silver*, *bronze*, and *copper*) using additional, lower-confidence systems – though these small variations demonstrate the level of systematic uncertainty. Our final *copper*-class model contains 45 background galaxies creating 136 individual multiple-image constraints. The best-fitting rms is 0.78 arcsec, a significant improvement over the GTO model (rms = 0.94 arcsec).

(iv) Broadly, this model confirms the results of our GTO work: namely the boxy shape of the central mass distribution and the need for an additional mass clump (the ‘crown’ clump) in the north-east of the cluster. However, to achieve an acceptable fit level, we must include a significant external shear component, which is inherently non-physical. The presence of shear suggests additional mass not incorporated into the current model and could indicate the presence of local substructure.

(v) Using the redshift catalogue, we identify three possible substructure candidates along the immediate line of sight: two small concentrations of galaxies in the foreground ( $z = 0.256$  and  $z = 0.326$ ) and one larger group in the background ( $z = 1.049$ ). While the relative locations of these objects are consistent with the orientation of the best-fitting shear term, subsequent analysis shows that they are not massive enough to completely account for the shear. Never the less, we find that including the galaxies in the background group as individual haloes in the mass model slightly improves the overall fit, reducing the total rms to 0.75 arcsec.

(vi) Although we rule out line-of-sight substructure as the cause of shear, we are able to identify promising substructure candidates at the cluster redshift but at much greater distances from the core. An upcoming extension of our current MUSE mosaic designed to provide spectroscopic follow-up of the BUFFALO imaging campaign will target these regions, providing valuable insight into both the nature of these mass concentrations and the overall matter distribution of A370 itself.

These results showcase the advantages of our updated MUSE data set: With a deeper spectroscopic mosaic we discover several new multiply imaged constraints and evidence of structure along the line of sight, both of which improve the lens model and reveal a more complex mass distribution in the form of external shear. However, they also highlight limitations to the current approach: Despite a larger coverage area, we still focus our efforts primarily on the multiple-image region alone, which prevents us from definitively identifying the source of the external shear term and leaving an important question unresolved. It is clear, therefore, that there is a benefit in acquiring additional MUSE data in the outskirts of the cluster. Spectroscopic coverage in these regions will unambiguously

identify additional substructures and give a rough estimate of their masses, eliminating the uncertainty in the current model. At the same time, an extended MUSE footprint can aid complementary studies to our own, such as a weak-lensing analysis of the mass distribution. In particular, spectroscopic data will help to calibrate the selection function of background galaxies, removing foreground interlopers that dilute the weak-lensing signal. Additionally, these data provide a more precise measure of the 3D separation between cluster and background objects, better normalizing the derived weak-lensing mass.

While joint strong- and weak-lensing techniques have already been used to investigate cluster properties (e.g. Jauzac et al. 2016; Strait et al. 2018), these studies often lack significant, wide-ranging spectroscopic coverage, especially in the weak-lensing regime. Given the different data requirements for these techniques, it is likely that a ‘wedding cake’ style survey – deeper coverage in the cluster core to identify strong lensing constraints, plus shallower coverage in the surrounding areas to identify substructure and calibrate weak lensing constraints – represents the most efficient method for analysing the cluster mass with such data. Indeed, this is the strategy we are adopting in our efforts to extend the current A370 MUSE mosaic, which we will report on in future work.

Finally, we also point out that this type of coverage would be equally useful for the other FF clusters, or indeed any massive cluster with significant lensing features. A joint analysis of several clusters would be less susceptible to the effects of cosmic variance, providing more robust constraints on the substructure fraction and mass assembly history of the Universe’s large-scale structure. With wide-area spectral data now more easily available thanks to MUSE and other instruments, obtaining such a sample is well within the realm of possibility, and would be well worth the effort.

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## APPENDIX A: LENS MODELS

The best-fitting parameters of all mass models generated by this work are presented in Table A1. In addition to the final parameters, we also provide several goodness-of-fit criteria in the leftmost column. These include the total model rms (in arcseconds), the

**Table A1.** Lens models and best-fitting parameters.

Model name (Fit statistics) <sup>d</sup>	Component	$\Delta\alpha^a$ (arcsec)	$\Delta\delta^a$ (arcsec)	$\varepsilon^b$	$\theta$ (deg)	$r_{\text{core}}$ (kpc)	$r_{\text{cut}}$ (kpc)	$\sigma_0$ (km s <sup>-1</sup> )
Gold, no shear Rms = 1.08 arcsec $\chi^2/\nu = 5.04$	DM1	2.21 <sup>+0.12</sup> <sub>-0.10</sub>	1.33 <sup>+0.05</sup> <sub>-0.06</sub>	0.40 <sup>+0.03</sup> <sub>-0.03</sub>	-69.6 <sup>+1.5</sup> <sub>-1.3</sub>	14.7 <sup>+1.0</sup> <sub>-1.5</sub>	[800.0] <sup>c</sup>	394 <sup>+15</sup> <sub>-9</sub>
	DM2	2.01 <sup>+0.10</sup> <sub>-0.23</sub>	11.35 <sup>+0.31</sup> <sub>-0.38</sub>	0.69 <sup>+0.02</sup> <sub>-0.01</sub>	-122.3 <sup>+0.4</sup> <sub>-0.6</sub>	137.4 <sup>+0.2</sup> <sub>-1.3</sub>	[800.0]	1039 <sup>+6</sup> <sub>-14</sub>
	DM3	-1.59 <sup>+0.26</sup> <sub>-0.56</sub>	30.15 <sup>+1.34</sup> <sub>-0.82</sub>	0.77 <sup>+0.01</sup> <sub>-0.02</sub>	104.1 <sup>+0.5</sup> <sub>-0.4</sub>	164.1 <sup>+1.7</sup> <sub>-2.3</sub>	[800.0]	1030 <sup>+19</sup> <sub>-8</sub>
	DM4	-43.69 <sup>+1.47</sup> <sub>-0.27</sub>	27.74 <sup>+0.57</sup> <sub>-0.78</sub>	0.56 <sup>+0.03</sup> <sub>-0.03</sub>	65.7 <sup>+1.5</sup> <sub>-1.2</sub>	73.6 <sup>+2.8</sup> <sub>-3.8</sub>	[800.0]	544 <sup>+11</sup> <sub>-10</sub>
log ( $\mathcal{L}$ ) = -276.79	BCG1	[-0.01]	[0.02]	[0.30]	[-81.9]	[0.1]	57.6 <sup>+4.1</sup> <sub>-5.1</sub>	224 <sup>+9</sup> <sub>-6</sub>
log ( $\mathcal{E}$ ) = -351.89	BCG2	[5.90]	[37.24]	[0.20]	[-63.9]	[0.1]	77.6 <sup>+6.0</sup> <sub>-6.8</sub>	388 <sup>+6</sup> <sub>-9</sub>
BIC = 738.54	GAL1	[7.92]	[-9.76]	[0.26]	[25.7]	[0.1]	1.7 <sup>+1.0</sup> <sub>-1.0</sub>	169 <sup>+2</sup> <sub>-1</sub>
$n = 130; k = 38$	GAL2	[2.66]	[46.84]	[0.60]	[-84.3]	[0.2]	16.0 <sup>+1.1</sup> <sub>-1.4</sub>	216 <sup>+5</sup> <sub>-3</sub>
	GAL3	[26.25]	[56.94]	[0.10]	[37.0]	[0.1]	5.3 <sup>+0.7</sup> <sub>-0.6</sub>	62 <sup>+23</sup> <sub>-28</sub>
	GAL4	[29.29]	[59.30]	[0.57]	[42.5]	[0.2]	3.9 <sup>+1.0</sup> <sub>-1.0</sub>	185 <sup>+10</sup> <sub>-12</sub>
	L* galaxy					[0.15]	10.8 <sup>+0.6</sup> <sub>-1.2</sub>	152 <sup>+2</sup> <sub>-1</sub>
Gold, shear rms = 0.66 arcsec $\chi^2/\nu = 1.89$	DM1	1.84 <sup>+0.30</sup> <sub>-0.21</sub>	1.20 <sup>+0.18</sup> <sub>-0.17</sub>	0.13 <sup>+0.04</sup> <sub>-0.03</sub>	-73.9 <sup>+2.8</sup> <sub>-3.6</sub>	19.1 <sup>+2.0</sup> <sub>-2.1</sub>	[800.0]	490 <sup>+20</sup> <sub>-16</sub>
	DM2	2.70 <sup>+0.24</sup> <sub>-0.31</sub>	13.39 <sup>+0.80</sup> <sub>-0.62</sub>	0.50 <sup>+0.02</sup> <sub>-0.03</sub>	-122.0 <sup>+1.0</sup> <sub>-1.4</sub>	91.9 <sup>+4.6</sup> <sub>-3.0</sub>	[800.0]	827 <sup>+14</sup> <sub>-19</sub>
	DM3	-5.92 <sup>+0.58</sup> <sub>-0.54</sub>	30.81 <sup>+0.89</sup> <sub>-0.82</sub>	0.67 <sup>+0.02</sup> <sub>-0.01</sub>	110.7 <sup>+1.1</sup> <sub>-0.9</sub>	182.2 <sup>+4.1</sup> <sub>-4.7</sub>	[800.0]	992 <sup>+17</sup> <sub>-29</sub>
	DM4	-50.23 <sup>+0.79</sup> <sub>-0.92</sub>	26.51 <sup>+1.15</sup> <sub>-0.58</sub>	0.13 <sup>+0.05</sup> <sub>-0.07</sub>	69.6 <sup>+8.1</sup> <sub>-7.9</sub>	56.3 <sup>+8.5</sup> <sub>-9.4</sub>	[800.0]	437 <sup>+26</sup> <sub>-16</sub>
log ( $\mathcal{L}$ ) = -129.82	BCG1	[-0.01]	[0.02]	[0.30]	[-81.9]	[0.1]	71.0 <sup>+14.4</sup> <sub>-13.4</sub>	191 <sup>+26</sup> <sub>-31</sub>
log ( $\mathcal{E}$ ) = -171.88	BCG2	[5.90]	[37.24]	[0.20]	[-63.9]	[0.1]	125.7 <sup>+8.0</sup> <sub>-7.3</sub>	461 <sup>+8</sup> <sub>-8</sub>
BIC = 454.34	GAL1	[7.92]	[-9.76]	[0.26]	[25.7]	[0.1]	1.4 <sup>+1.0</sup> <sub>-1.0</sub>	201 <sup>+12</sup> <sub>-21</sub>
$n = 130; k = 40$	GAL2	[2.66]	[46.84]	[0.60]	[-84.3]	[0.2]	15.5 <sup>+3.1</sup> <sub>-2.0</sub>	238 <sup>+16</sup> <sub>-13</sub>
	GAL3	[26.25]	[56.94]	[0.10]	[37.0]	[0.1]	4.3 <sup>+1.7</sup> <sub>-2.3</sub>	112 <sup>+36</sup> <sub>-44</sub>
	GAL4	[29.29]	[59.30]	[0.57]	[42.5]	[0.2]	2.3 <sup>+1.0</sup> <sub>-1.0</sub>	250 <sup>+44</sup> <sub>-30</sub>
	L* galaxy					[0.15]	16.0 <sup>+1.0</sup> <sub>-1.1</sub>	162 <sup>+4</sup> <sub>-5</sub>
	Shear			0.128 <sup>+0.005</sup> <sub>-0.005</sub>	-19.7 <sup>+1.5</sup> <sub>-0.8</sub>			
Silver, shear Rms = 0.70 arcsec $\chi^2/\nu = 2.17$	DM1	2.08 <sup>+0.12</sup> <sub>-0.26</sub>	1.69 <sup>+0.12</sup> <sub>-0.15</sub>	0.24 <sup>+0.03</sup> <sub>-0.04</sub>	-68.8 <sup>+3.3</sup> <sub>-1.6</sub>	21.7 <sup>+2.4</sup> <sub>-1.7</sub>	[800.0]	484 <sup>+16</sup> <sub>-14</sub>
	DM2	3.33 <sup>+0.64</sup> <sub>-0.40</sub>	13.14 <sup>+0.93</sup> <sub>-0.76</sub>	0.54 <sup>+0.03</sup> <sub>-0.04</sub>	-121.7 <sup>+1.2</sup> <sub>-1.4</sub>	105.3 <sup>+3.4</sup> <sub>-4.5</sub>	[800.0]	842 <sup>+26</sup> <sub>-44</sub>
	DM3	-4.54 <sup>+0.49</sup> <sub>-0.51</sub>	30.47 <sup>+1.20</sup> <sub>-1.12</sub>	0.63 <sup>+0.03</sup> <sub>-0.03</sub>	108.4 <sup>+1.2</sup> <sub>-0.8</sub>	160.3 <sup>+3.1</sup> <sub>-2.8</sub>	[800.0]	985 <sup>+32</sup> <sub>-41</sub>
	DM4	-48.26 <sup>+0.67</sup> <sub>-1.03</sub>	26.51 <sup>+0.83</sup> <sub>-0.80</sub>	0.33 <sup>+0.05</sup> <sub>-0.06</sub>	88.8 <sup>+5.2</sup> <sub>-3.4</sub>	60.3 <sup>+4.7</sup> <sub>-7.6</sub>	[800.0]	445 <sup>+20</sup> <sub>-20</sub>
log ( $\mathcal{L}$ ) = -161.20	BCG1	[-0.01]	[0.02]	[0.30]	[-81.9]	[0.1]	69.4 <sup>+6.4</sup> <sub>-7.5</sub>	235 <sup>+20</sup> <sub>-15</sub>
log ( $\mathcal{E}$ ) = -256.96	BCG2	[5.90]	[37.24]	[0.20]	[-63.9]	[0.1]	102.4 <sup>+6.2</sup> <sub>-6.2</sub>	456 <sup>+10</sup> <sub>-7</sub>
BIC = 541.68	GAL1	[7.92]	[-9.76]	[0.26]	[25.7]	[0.1]	1.8 <sup>+1.0</sup> <sub>-1.0</sub>	173 <sup>+5</sup> <sub>-6</sub>
$n = 146; k = 44$	GAL2	[2.66]	[46.84]	[0.60]	[-84.3]	[0.2]	14.3 <sup>+2.5</sup> <sub>-1.4</sub>	205 <sup>+5</sup> <sub>-5</sub>
	GAL3	[26.25]	[56.94]	[0.10]	[37.0]	[0.1]	3.4 <sup>+0.8</sup> <sub>-0.5</sub>	123 <sup>+27</sup> <sub>-15</sub>
	GAL4	[29.29]	[59.30]	[0.57]	[42.5]	[0.2]	1.6 <sup>+1.0</sup> <sub>-1.0</sub>	256 <sup>+27</sup> <sub>-17</sub>
	L* galaxy					[0.15]	16.2 <sup>+1.3</sup> <sub>-0.7</sub>	161 <sup>+7</sup> <sub>-1</sub>
	Shear			0.107 <sup>+0.004</sup> <sub>-0.004</sub>	-19.9 <sup>+0.9</sup> <sub>-1.4</sub>			
Bronze, shear	DM1	1.62 <sup>+0.22</sup> <sub>-0.23</sub>	0.96 <sup>+0.22</sup> <sub>-0.13</sub>	0.08 <sup>+0.02</sup> <sub>-0.04</sub>	-76.3 <sup>+2.1</sup> <sub>-1.3</sub>	25.4 <sup>+1.8</sup> <sub>-1.0</sub>	[800.0]	538 <sup>+11</sup> <sub>-9</sub>
	DM2	2.89 <sup>+0.33</sup> <sub>-0.21</sub>	15.29 <sup>+0.68</sup> <sub>-0.55</sub>	0.47 <sup>+0.01</sup> <sub>-0.02</sub>	-119.7 <sup>+0.7</sup> <sub>-0.9</sub>	105.7 <sup>+3.8</sup> <sub>-3.0</sub>	[800.0]	914 <sup>+12</sup> <sub>-17</sub>

Table A1 – continued

Model name (Fit statistics) <sup>d</sup>	Component	$\Delta\alpha^a$ (arcsec)	$\Delta\delta^a$ (arcsec)	$\varepsilon^b$	$\theta$ (deg)	$r_{\text{core}}$ (kpc)	$r_{\text{cut}}$ (kpc)	$\sigma_0$ (km s <sup>-1</sup> )
Rms = 0.73 arcsec	DM3	$-6.83^{+0.32}_{-0.47}$	$33.30^{+0.92}_{-0.83}$	$0.79^{+0.03}_{-0.03}$	$110.6^{+0.7}_{-0.8}$	$195.5^{+10.2}_{-20.5}$	[800.0]	$896^{+25}_{-26}$
$\chi^2/\nu = 2.23$	DM4	$-47.29^{+0.73}_{-0.99}$	$29.31^{+0.79}_{-0.59}$	$0.32^{+0.05}_{-0.04}$	$72.6^{+4.0}_{-1.2}$	$64.3^{+3.0}_{-4.4}$	[800.0]	$478^{+14}_{-13}$
$\log(\mathcal{L}) = -180.41$	BCG1	[-0.01]	[0.02]	[0.30]	[-81.9]	[0.1]	$37.8^{+4.5}_{-7.8}$	$214^{+13}_{-10}$
$\log(\mathcal{E}) = -282.62$	BCG2	[5.90]	[37.24]	[0.20]	[-63.9]	[0.1]	$148.0^{+9.5}_{-12.7}$	$457^{+10}_{-5}$
BIC = 588.64	GAL1	[7.92]	[-9.76]	[0.26]	[25.7]	[0.1]	$1.9^{+1.0}_{-1.0}$	$197^{+8}_{-10}$
$n = 158; k = 45$	GAL2	[2.66]	[46.84]	[0.60]	[-84.3]	[0.2]	$5.9^{+1.0}_{-1.0}$	$231^{+26}_{-6}$
	GAL3	[26.25]	[56.94]	[0.10]	[37.0]	[0.1]	$5.9^{+1.6}_{-0.5}$	$6^{+20}_{-5}$
	GAL4	[29.29]	[59.30]	[0.57]	[42.5]	[0.2]	$0.5^{+1.0}_{-1.0}$	$459^{+71}_{-13}$
	L* galaxy					[0.15]	$19.0^{+4.4}_{-1.0}$	$140^{+2}_{-2}$
	Shear			$0.114^{+0.004}_{-0.003}$	$-18.6^{+1.3}_{-1.0}$			
Copper, shear	DM1	$1.52^{+0.21}_{-0.15}$	$0.66^{+0.15}_{-0.13}$	$0.20^{+0.03}_{-0.03}$	$-83.6^{+4.1}_{-3.0}$	$17.0^{+1.1}_{-1.6}$	[800.0]	$480^{+10}_{-9}$
	DM2	$3.06^{+0.21}_{-0.21}$	$15.68^{+0.41}_{-0.35}$	$0.46^{+0.02}_{-0.02}$	$-117.7^{+0.9}_{-1.7}$	$107.5^{+2.9}_{-2.6}$	[800.0]	$1007^{+20}_{-29}$
Rms = 0.78 arcsec	DM3	$-5.78^{+0.74}_{-0.92}$	$34.55^{+1.38}_{-1.56}$	$0.80^{+0.02}_{-0.02}$	$110.7^{+0.5}_{-0.9}$	$198.4^{+8.1}_{-6.6}$	[800.0]	$872^{+30}_{-39}$
$\chi^2/\nu = 2.45$	DM4	$-48.20^{+0.97}_{-1.00}$	$31.59^{+0.72}_{-0.70}$	$0.41^{+0.03}_{-0.03}$	$69.4^{+2.2}_{-1.3}$	$88.0^{+2.6}_{-3.7}$	[800.0]	$551^{+4}_{-12}$
$\log(\mathcal{L}) = -227.91$	BCG1	[-0.01]	[0.02]	[0.30]	[-81.9]	[0.1]	$29.6^{+4.3}_{-5.0}$	$186^{+5}_{-4}$
$\log(\mathcal{E}) = -338.36$	BCG2	[5.90]	[37.24]	[0.20]	[-63.9]	[0.1]	$91.7^{+5.2}_{-4.8}$	$410^{+5}_{-3}$
BIC = 695.20	GAL1	[7.92]	[-9.76]	[0.26]	[25.7]	[0.1]	$1.8^{+1.0}_{-1.0}$	$149^{+7}_{-10}$
$n = 182; k = 46$	GAL2	[2.66]	[46.84]	[0.60]	[-84.3]	[0.2]	$9.6^{+1.4}_{-1.0}$	$282^{+12}_{-11}$
	GAL3	[26.25]	[56.94]	[0.10]	[37.0]	[0.1]	$6.4^{+0.8}_{-0.9}$	$27^{+8}_{-7}$
	GAL4	[29.29]	[59.30]	[0.57]	[42.5]	[0.2]	$4.1^{+1.0}_{-1.0}$	$184^{+14}_{-13}$
	L* galaxy					[0.15]	$15.0^{+1.4}_{-0.8}$	$149^{+1}_{-1}$
	Shear			$0.096^{+0.004}_{-0.003}$	$-18.3^{+1.1}_{-1.2}$			
Copper, shear + group	DM1	$1.58^{+0.12}_{-0.11}$	$0.93^{+0.15}_{-0.13}$	$0.17^{+0.01}_{-0.02}$	$-88.9^{+5.1}_{-3.9}$	$15.8^{+1.1}_{-1.1}$	[800.0]	$487^{+9}_{-8}$
	DM2	$2.59^{+0.14}_{-0.15}$	$15.68^{+0.22}_{-0.18}$	$0.42^{+0.01}_{-0.02}$	$-116.9^{+0.7}_{-0.6}$	$108.9^{+3.7}_{-1.2}$	[800.0]	$1009^{+8}_{-12}$
Rms = 0.75 arcsec	DM3	$-6.63^{+0.52}_{-0.56}$	$35.76^{+1.37}_{-0.94}$	$0.84^{+0.01}_{-0.01}$	$110.9^{+0.4}_{-0.6}$	$215.9^{+7.3}_{-6.8}$	[800.0]	$857^{+13}_{-21}$
$\chi^2/\nu = 2.30$	DM4	$-48.20^{+0.67}_{-0.50}$	$31.87^{+1.10}_{-0.40}$	$0.32^{+0.02}_{-0.03}$	$71.2^{+1.4}_{-1.7}$	$85.4^{+2.2}_{-2.9}$	[800.0]	$543^{+7}_{-10}$
$\log(\mathcal{L}) = -215.84$	BCG1	[-0.01]	[0.02]	[0.30]	[-81.9]	[0.1]	$22.6^{+7.7}_{-7.9}$	$174^{+4}_{-7}$
$\log(\mathcal{E}) = -260.28$	BCG2	[5.90]	[37.24]	[0.20]	[-63.9]	[0.1]	$126.2^{+10.4}_{-5.9}$	$407^{+2}_{-4}$
BIC = 681.47	GAL1	[7.92]	[-9.76]	[0.26]	[25.7]	[0.1]	$1.7^{+1.0}_{-1.0}$	$157^{+15}_{-8}$
$n = 182; k = 48$	GAL2	[2.66]	[46.84]	[0.60]	[-84.3]	[0.2]	$12.6^{+1.0}_{-1.1}$	$288^{+9}_{-5}$
	GAL3	[26.25]	[56.94]	[0.10]	[37.0]	[0.1]	$4.9^{+2.3}_{-2.7}$	$28^{+13}_{-8}$
	GAL4	[29.29]	[59.30]	[0.57]	[42.5]	[0.2]	$4.5^{+1.0}_{-1.0}$	$165^{+12}_{-13}$
	L* galaxy (cluster)					[0.15]	$16.0^{+0.8}_{-0.8}$	$153^{+1}_{-1}$
	L* galaxy (group)					[0.15]	$31.1^{+21.5}_{-1.2}$	$80^{+35}_{-24}$
	Shear			$0.104^{+0.003}_{-0.004}$	$-19.0^{+1.2}_{-0.6}$			

<sup>a</sup> $\Delta\alpha$  and  $\Delta\delta$  are measured relative to the reference coordinate point: ( $\alpha = 39.97134$ ,  $\delta = -1.5822597$ ).

<sup>b</sup>Ellipticity ( $\varepsilon$ ) is defined to be  $(a^2 - b^2)/(a^2 + b^2)$ , where  $a$  and  $b$  are the semimajor and semiminor axes of the ellipse.

<sup>c</sup>Quantities in brackets are fixed parameters.

<sup>d</sup>Statistics notes:  $\mathcal{L}$  represents the model likelihood and  $\mathcal{E}$  the model evidence. BIC is the Bayesian information criterion. The total number of model constraints is given by  $n$ , while  $k$  represents the total number of model parameters.

$\chi^2$  per degree of freedom ( $\nu$ ), the maximum model likelihood ( $\mathcal{L}$ ), and model evidence ( $\mathcal{E}$ ). Furthermore, we calculate the Bayesian information criterion (BIC), taking into account the total number of model constraints ( $n$ ) and the total number of fit parameters ( $k$ ).

## APPENDIX B: MULTIPLE-IMAGE CUT-OUT FIGURES

This section presents cut-out images of all multiple-image systems used in this work, to better show their morphology and (in the case of systems with spectroscopic redshifts) their relative line strengths.

**Table C1.** Master redshift catalogue (sample).

ID	RA	Dec.	$z$	Type	Conf	$m_{F814W}$	$e_{m_{F814W}}$	$\mu$	Multi-image	Lines
2085	39.9773329	−1.5995876	0.8047	2	2	25.186	0.009	1.606		[O II], [O III]
2159	39.9747501	−1.5991900	3.2797	5	3	25.814	0.018	2.813		Ly $\alpha$ , C III] (weak)
2510	39.9734309	−1.5988101	0.0000	0	3	−2.000	0.001	1.000		Star
2526	39.9731475	−1.5980583	1.0693	2	1	23.780	0.006	2.293		[O II]3730, Mg2799 (abs)
2577	39.9769563	−1.5986203	0.3702	3	3	21.841	0.001	1.000		Ca-K, Ca-H, Mg-b, Na-D
2615	39.9756001	−1.5977416	0.3692	3	3	21.785	0.001	1.000		Ca-K, Ca-H, H-b
2653	39.9718952	−1.5974092	0.3239	1	3	23.302	0.003	1.000		Ha, Hb, O II, O III
2655	39.9751731	−1.5973908	0.3564	3	1	24.770	0.009	1.000		H + K? (v. weak), D4000?
2714	39.9732177	−1.5991269	0.3747	3	3	20.482	0.001	1.000		Ca H + K, Mgb, NaD, Ha, Hb (abs)
2914	39.9706141	−1.5972957	0.0000	0	3	−2.000	0.000	1.000		Star
8620	39.9671636	−1.5768729	0.8041	2	3	23.178	0.003	14.143	1.1	[O II], Hb, [O III], Balmer series

Systems with confirmed spectroscopic redshifts are shown in Fig. B1, while those without can be seen in Fig. B2. (Both figures are included as electronic, online supplements to this manuscript.)

### APPENDIX C: MASTER REDSHIFT TABLE

Table C1 shows a portion of the master redshift catalogue compiled in this work. This is only a small subset of the full catalogue, shown for demonstration purposes. The entire table is provided as an online supplement to this manuscript. For clarity, only the  $F814W$  photometry is shown in this sample. However, in the full table magnitudes for all seven HFF bands are provided. A complete description of all columns is included in the online supplement.

### APPENDIX D: GLASS REDSHIFT COMPARISON

In Table D1 we compare the MUSE and GLASS redshift catalogues of A370. There are approximately 300 objects in common between

the two catalogues, matched within a 1 arcsec radius. A majority of the matches (165 galaxies) have only a small redshift discrepancy ( $\delta z < 0.025$ ), agreeing well with each other given the measurement uncertainty and the lower resolution of the *HST* grism. Additionally, we find  $\sim 80$  galaxies that have a MUSE-measured redshift but a value of  $-1$  (no measurement) in the GLASS catalogue. These are almost entirely cluster-member galaxies that have strong optical absorption features that are too blue to be seen in the GLASS wavelength range. While other matches have a more substantial disagreement in their redshift values, in many cases we can compare the features seen in both the GLASS and MUSE data sets and correct misidentified features in a single catalogue. This provides a better, more accurate redshift measurement in both catalogues, and can increase the redshift confidence of a measurement made from a single, low-significance feature. In the following table, we summarize the corrections and improvements made by these comparisons, highlighting the benefits of extended spectroscopic coverage. (Only a small portion of the table is shown here. The complete table is provided as an electronic, online supplement to this manuscript.)

**Table D1.** Comparisons between MUSE and GLASS redshifts (sample).

ID <sub>MUSE</sub>	$z_{\text{MUSE}}$	$C_{\text{MUSE}}$	ID <sub>GLASS</sub>	$z_{\text{GLASS}}$	$C_{\text{GLASS}}$	Description
3421	1.3399	3	3613	1.450 $\rightarrow$ 1.340	2	Noise peak in GLASS G102 misidentified as [O II]. MUSE redshift is based on a clear, bright [O II] feature. Possible [O III] and H $\alpha$ lines seen at the MUSE redshift in GLASS G141 data, though they are noisy.
4506	1.4500	3	3596	1.423 $\rightarrow$ 1.450	4	[O II], [O III], and H $\alpha$ identified in GLASS, but very broad. Misalignment in the wavelength solution due to variance in the grism PA makes the redshift measurement uncertain. Better resolution in MUSE removes this uncertainty.
4991	0.8048	3	3439	0.360 $\rightarrow$ 0.805	2 $\rightarrow$ 3	Emission line at 9000 Å originally identified as H $\alpha$ in GLASS G102, but MUSE data reveals it to be [O III]. This is verified by additional emission lines seen at shorter wavelengths.
5109	0.3464	3	3524	0.370 $\rightarrow$ 0.346	3	Faint [S II] emission seen in GLASS G102 Band misidentified as H $\alpha$ . The actual H $\alpha$ and [S II] emissions match those seen in MUSE.

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